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Weak Pawn
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PIECE ON EARTH

## REBUS NUMEROMETRY

There are nearly a half billion ways to assign pieces in a twelve letter rebus. $12!=479,001,600$

That pretty much rules out the brute force method. Logic is king on the chess board.

## HRPPY NEW YERR 2017

## A TWELUE LETTER REBUS FOR THE HOLIDAYS

Jeff Coakley \& Andrey Frolkin

Chess rebuses come in various forms. The most common type has six letters, with uppercase being pieces of one colour and lowercase the other. See our articles in issues 8 and 9 for examples.

The rebus below is the twelve letter type. Six of the letters are white pieces, six are black. The type of piece represented by a letter and its colour must be determined individually by analysis of the position. As always, we hope you enjoy trying the puzzle before looking at the solution on the next page.
Since there are no upper and lower cases, numbers can be used as well as letters. Good luck 2017!


Each of the twelve different letters and numbers represents a particular kind of piece of a specific colour. For example, perhaps $H$ is a white knight and $Y$ is a black pawn.

Determine the position and the last two moves.

## SOLUTION



| H 寊 | W |
| :---: | :---: |
| A 当 | R ${ }^{\text {d }}$ |
| P $\pm$ | 2 － |
| Y 合 | 0 O |
| N 曷 | 1 㫧 |
| E 習 | 7 管 |

last moves－1．．．e5－e4＋－2．Re4－c4＋

$(14+14)$

## Happy New Year 2017

Like most rebuses，there are various ways to deduce the solution． We give the reasoning that we consider the most direct．

为（NW）Only letters or numbers with a single instance．
苗 $\mathbf{\ddagger} \neq$ YEAR2017 These letters and numbers appear on 1st rank．
色 $\mathbf{I}=(\mathrm{HP})$
One of the kings（Nd3 or Wf3）is in check by a pawn P （e2 or e4）．
$P \neq$ 色 Impossible check from pawn on 2nd rank（e2＋）．
$\mathrm{P}=\boldsymbol{\pm}$
$\mathrm{H}=$ 息
$\mathrm{N} \neq$ 米 Impossible check from pawn on 2nd rank（c2＋）．
$\mathrm{N}=\mathrm{H}_{6}$
$W=$ 雨
The last move was -1 ．．．e5－e4＋．No other piece can be checking．

$2 \neq$ 间（e1＋）
$2 \neq(\mathrm{g} 4+)$
$2=$－
0 井 当㟶（d5＋）
$0 \neq$（b4＋）
$0 \neq$ 䚗管（f1＋）
$0 \neq$ 气（h2＋）
$0=$ 㬝
$A \neq$ ©（h4＋）
$A \neq{ }^{\mu}{ }^{-\mu}(\mathrm{g} 2+)$
$A \neq \underset{\sim}{0}$（f5＋）
$A \neq(c 1+)$
$A \neq$ 莦
If $\mathrm{A}=$ 曾，then both kings would be in check before the

A＝㟶

Before the last move，曾f3 was in check from d5．This could only occur by a discovery．Discovered checks by a knight are impossible． $\mathrm{R} \neq \hat{\mathrm{Z}}$（g5＋）
$E \neq$ © $(\mathrm{d} 2+)$
$1 \neq$（ $\mathrm{g} 1+$ ）
So the previous move had to be 2．管e4－c4＋．It was not a capture because the four missing pieces （all pawns）were captured earlier to account for the eight promoted pieces and four passed pawns on the board．
7 ＝营
$R, E, 1 \neq$ © See above
$Y=0$ Only other unassigned letter．
$\mathrm{E} \neq$ 㫧（ $\mathrm{d} 2+$ ）
$\mathrm{E} \neq$（b2＋）
E＝씅
$1 \neq$（c5＋）
1 ＝㒸
R＝

| Andrey Frolkin | Kiev，Ukraine |
| :--- | :--- |
| Jeff Coakley | P．E．I．，Canada |

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photograph Alex Frolkin
painting（page 404）Nina Omelchuk

## ORIGINALS

## 2016 Informal Tourney

ChessProblems.ca's annual Informal Tourney is open for series-movers of any type and with any fairy conditions and pieces. Hors concours compositions (any genre) are also welcome!
Send to: originals@chessproblems.ca.

| 2016 Judge: |  |
| :--- | ---: |
| Hans Gruber | (DEU) |
| 2016 Tourney Participants: |  |
| 1. Alberto Armeni | (ITA) |
| 2. György Bakcsi | (HUN) |
| 3. János Csák | (HUN) |
| 4. Norbert Geissler | (DEU) |
| 5. Eric Huber | (ROU) |
| 6. Vladimír Kočí | (CZE) |
| 7. Branko Koludrović | (HRV) |
| 8. Václav Kotěšovec | (CZE) |
| 9. Zoltán Laborczi | (HUN) |
| 10. Sébastien Luce | (FRA) |
| 11. Karol Mlynka | (SVK) |
| 12. Ladislav Packa | (SVK) |
| 13. Cornel Pacurar | (CAN) |
| 14. Paul Răican | (ROU) |
| 15. Manfred Rittirsch | (DEU) |
| 16. Ivan Skoba | (CZE) |
| 17. Adrian Storisteanu | (CAN) |
| 18. Jaroslav Štúň | (SVK) |
| 19. Gábor Tar | (HUN) |
| 20. Andreas Thoma | (DEU) |
| 21. Radovan Tomašević | (SRB) |
| 22. Pierre Tritten | (FRA) |
| 23. Arno Tüngler | (DEU) |
| 24. Branko Udovčić | (HRV) |

ChessProblems.ca | Bulletin |
| :--- |

## T303



[^0]$(11+12)$ ser-Zg2 157
Vertical Mirror Circe
Vertical Mirror Circe

## T303 (Branko Koludrović, Paul Răican, Arno Tüngler):

1.Ka4×b5 3.Ka4×a3[Pa7] 6.Kb5×a6[Ra8] 20.Kf7×e6 31.Kb2×a2[Bc8] 43.Ke8×d8[Bf8] 57.Ka4×a5[Sb8] 72.Kd8×c8 77.Ke6 $\times \mathrm{d} 5[\mathrm{Pd} 7] \sim=$

T304 (Arno Tüngler):
13.Kh5-h6 15.Rh5-h3 17.Kh5-h4 19.Rh5-g5 25.Kf8×e8(Bc8) 31.Kh5-h4 33.Rh5-h7 35.Kh5-h6 37.Rh5-g5 51.Kb5×b6(Sb8) 65.Kh5h6 67.Rh5-h3 69.Kh5-h4 71.Rh5-g5 79.Kd8×c8 80.Kc8×b8 89.Kh5-h4 91.Rh5-h7 93.Kh5-h6 95.Rh5-g5 102.Ke2×d3(Ra8) 109.Kh5h6 111.Rh5-h3 113.Kh5-h4 115.Rh5-g5 118.Kh6-h7 119.Rh3-h6 121.h4-h5 122.f3-f4+ Ke5-f6 =

## T305 (Arno Tüngler):

10.Ka4-a3 12.Ra4-a6 14.Ka4-a5 16.Ra4-b4 23.Kd1×e1(Sg8) 30.Ka4-a5 32.Ra4-a2 34.Ka4-a3 36.Ra4-b4 47.Kh5×g4(Rh8) 58.Ka4a3 60.Ra4-a6 62.Ka4-a5 64.Ra4-b4 73.Kf1×g1 82.Ka4-a5 84.Ra4-a2 86.Ka4-a3 88.Ra4-b4 100.Kg4×h3 112.Ka4-a3 114.Ra4-a6 116.Ka4-a5 118.Ra4-b4 128.Kg1×h1(Bf8) 138.Ka4-a5 140.Ra4-a2 142.Ka4-a3 144.Ra4-b4 156.Kg4×f3 157.Kf3-g2 Z

## T306 (Arno Tüngler)

10.Ka3-a2 12.Ra3-a5 14.Ka3-a4 16.Ra3-b3 19.Ka2-a1 20.Bb1-a2 24.Kd2×e1 (Sg8) 28.Kb1-a1 29.Ba2-b1 32.Ka3-a4 34.Ra3-a1 36.Ka3-a2 38.Ra3-b3 49.Kh5×g4(Rh8) 60.Ka3-a2 62.Ra3-a5 64.Ka3-a4 66.Ra3-b3 69.Ka2-a1 70.Bb1-a2 76.Kf1×g1 82.Kb1-a1 83.Ba2-b1 86.Ka3-a4 88.Ra3-a1 90.Ka3-a2 92.Ra3-b3 104.Kg4×h3 116.Ka3-a2 118.Ra3-a5 120.Ka3-a4 122.Ra3-b3 125.Ka2-a1 126.Bb1-a2 133.Kg1×h1(Bf8) 140.Kb1-a1 141.Ba2-b1 144.Ka3-a4 146.Ra3-a1 148.Ka3-a2 150.Ra3-b3 158.Ke8×f8(Bc8)
$159 . \mathrm{b} 7 \times \mathrm{c} 8=\mathrm{S} 160 . \mathrm{Sc} 8 \times \mathrm{e} 7[\mathrm{Pd} 7] 162 . \mathrm{Sf5}-\mathrm{g} 3 \mathrm{Z}$

## ORIGINALS

T303: It is interesting that in Circe a selfmate can be forced with a white Rex Solus! Branko achieved this already in 1985 with 74 moves (see PDB/P1230598), together we have now added three more moves. (Authors)

T304: Computer validation is impossible If correct, this would be the current overall length record with normal force for a Circe series-selfstalemate. (Author)

T305: This is the 'moved' Zeller trap that Dan Meinking once showed me for a task with promoted force. In T305 and T306 there is no promoted force as in Vertical Mirror Circe the bishops change square color each time they are captured. Record for 26 units. (Author)

T306: Another moved Zeller trap including bishop pendulum. Circe ser-Z overall record with normal force.
(Author)
T307: New Vertical Mirror Circe ser-h\# length record for 16 units. Based on one of my entries in Itamar Faybish's latest series tournament
(Author)
T308: New Circe ser-hsZ length record for 9 units.
(Author)
T309: New Vertical Mirror Circe ser-\# length record for 16 units.
(Author)
T310: New Vertical Mirror Circe ser-\# overall length record (normal force).
(Author)

## ORIGINALS

T313: Kozhakin
(Author)
T314: Valladao with line openings and closings.

Assuming $C P B$ will survive this long, the judges for the next four years are as follows:

## 2017 Judge:

Paz Einat
2018 Judge:
Manfred Rittirsch

## 2019 Judge:

Dinu-Ioan Nicula

## 2020 Judge:

Adrian Storisteanu


名 $=$ Nightrider

## T311 (Andreas Thoma):

a) $1 . \mathrm{f} 3 \times \mathrm{e} 2[\mathrm{bPe} 2 \rightarrow \mathrm{e} 7] 5 . \mathrm{e} 3 \times \mathrm{f} 2[\mathrm{bPf} 2 \rightarrow \mathrm{f} 7] 9 . \mathrm{f} 3 \times \mathrm{g} 2[\mathrm{bPg} 2 \rightarrow \mathrm{~g} 7] 14 . \mathrm{g} 2-\mathrm{g} 1=\mathrm{S} 16 . \mathrm{Sf} 3 \times \mathrm{e} 1[\mathrm{bSe} 1 \rightarrow \mathrm{~b} 8] 19 . \mathrm{Sc} 7-\mathrm{e} 8 \mathrm{Kf8} 8 \mathrm{~g} 8 \#$
b) $4 . \mathrm{g} 3 \times \mathrm{f} 2[\mathrm{bPf} 2 \rightarrow \mathrm{f} 7] 8 . \mathrm{f} 3 \times \mathrm{g} 2[\mathrm{bPg} 2 \rightarrow \mathrm{~g} 7] 13 . \mathrm{g} 2-\mathrm{g} 1=\mathrm{N} 14 . \mathrm{Ng} 1-\mathrm{f} 315 . \mathrm{Nf} 3 \times \mathrm{e} 1[\mathrm{bNe} 1 \rightarrow \mathrm{e} 1] 16 . \mathrm{Ne} 1 \times \mathrm{c} 2[\mathrm{bNc} 2 \rightarrow \mathrm{c} 1]$ $17 . \mathrm{Nc} 1 \times \mathrm{a} 2[\mathrm{bNa} 2 \rightarrow \mathrm{a} 1]$ 19.Ng4-e8 Kf8-g8 \#

## T312 (Andreas Thoma):

3.Kf8-e7 6.f2×e1=R[bRe1 $\rightarrow \mathrm{h} 8$ ] 7.Rh8-e8 8.Ke7-f8 Kg6-f7 \#

## T313 (Jaroslav Štúň):

a) $1 . \mathrm{Le} 2 \times \mathrm{g} 4-\mathrm{h} 5[+\mathrm{bPe} 2] 2 . \mathrm{Lh} 5 \times \mathrm{g} 5-\mathrm{ff} 5[+\mathrm{bPh} 5] 3 . \mathrm{Lf5} 5 \times \mathrm{g} 6-\mathrm{h} 7[+\mathrm{bPf5}] 4 . \mathrm{Lh} 7 \times \mathrm{f5}-\mathrm{e} 4[+\mathrm{bPh} 7] 5 . \mathrm{Le} 4 \times \mathrm{d} 3-\mathrm{c} 2[+\mathrm{bPe} 4] 6 . \mathrm{Lc} 2 \times \mathrm{e} 4-\mathrm{ff}[+\mathrm{bPc} 2]$ $7 . \mathrm{Lf} 5 \times \mathrm{c} 2-\mathrm{b} 1[+\mathrm{bPf} 5] 8 . \mathrm{Lb} 1 \times f 5-\mathrm{g} 6[+\mathrm{bPb} 1=\mathrm{L}] 9 . \mathrm{Lg} 6 \times \mathrm{g} 3-\mathrm{g} 2[+\mathrm{bPg} 6] 10 . \mathrm{Lg} 2 \times \mathrm{g} 6-\mathrm{g} 7[+\mathrm{bPg} 2] 11 . \mathrm{Lg} 7 \times \mathrm{g} 2-\mathrm{g} 1[+\mathrm{bPg} 7]$
12.Lg1×b1-a1[+bLg1] 13.La1×g7-h8[+bPa1=L] 14.Lh8×h7-h6[+bPh8] 15.Lh6×h5-h4[+bPh6] 16.Lh4×f2-e1[+bPh4] 17.Le1×g1h1[+bLe1] 18.Lh1 $\times \mathrm{h} 4-\mathrm{h} 5[+\mathrm{bPh} 1=\mathrm{L}]=$
b) $1 . \mathrm{Lf} 2 \times \mathrm{g} 3-\mathrm{h} 4[+\mathrm{bPf} 2] 2 . \mathrm{Lh} 4 \times \mathrm{g} 5-\mathrm{ff} 6[+\mathrm{bPh} 4] 3 . \mathrm{Lf} 6 \times \mathrm{g} 6-\mathrm{h} 6[+\mathrm{bPf} 6] 4 . \mathrm{Lh} 6 \times \mathrm{h} 4-\mathrm{h} 3[+\mathrm{bPh} 6] 5 . \mathrm{Lh} 3 \times \mathrm{g} 4-\mathrm{ff}[+\mathrm{bPh} 3] 6 . \mathrm{Lf} 5 \times \mathrm{f} 6-\mathrm{ff}[+\mathrm{bPf5}]$ $7 . \mathrm{Lf7} \times \mathrm{ff} 5 \mathrm{f} 4[+\mathrm{bPf} 7] 8 . \mathrm{Lf4} 4 \times \mathrm{f} 2-\mathrm{f} 1[+\mathrm{bPf4}] 9 . \mathrm{Lf} 1 \times f 4-\mathrm{f} 5[+\mathrm{bPf} 1=\mathrm{L}] 10 . \mathrm{Lf5} \times \mathrm{d} 3-\mathrm{c} 2[+\mathrm{bPf5}] 11 . \mathrm{Lc} 2 \times f 5-\mathrm{g} 6[+\mathrm{bPc} 2] 12 . \mathrm{Lg} 6 \times f 7-\mathrm{e} 8[+\mathrm{bPg} 6]$ 13.Le8×g6-h5[+bPe8] 14.Lh5 $\times$ e2-d1[+bPh5] 15.Ld1 $\times f 1-\mathrm{g} 1[+\mathrm{bLd} 1] 16 . \mathrm{Lg} 1 \times \mathrm{d} 1-\mathrm{c} 1[+\mathrm{bLg} 1] 17 . \mathrm{Lc} 1 \times \mathrm{g} 1-\mathrm{h} 1[+\mathrm{bLc} 1]$
$18 . \mathrm{Lh} 1 \times \mathrm{h} 3-\mathrm{h} 4[+\mathrm{bPh} 1=\mathrm{L}]=$

## T314 (Zoltán, Laborczi, Gábor Tar):

1.d7-d8=S 2.Sd8×b7 3.Sb7-c5 4.0-0 5.Rd1-d6 6.Kg1-h2 7.Rf1-f5 8.g2-g4+h4×g3 \#

## ORIGINALS

T315: Long roundtrip with promotion and switchbacks combined with a long king wandering with check shields. Line closing and pin at the end.
(Authors)
T318: Cycle of white officers moving and black officers giving checkmate
R-S, B-R, S-B.
(Authors)


T315 (Zoltán, Laborczi, Gábor Tar):
1.Ka8-a7 (1.f5-f6?) $3 . K b 6 \times c 5$ (3.Kb6-b5?) 4.Kc5-c4 6.f6×e7 $7 . \mathrm{e} 7 \times \mathrm{d} 8=\mathrm{R} 8 . \mathrm{Rd} 8-\mathrm{d} 311 . \mathrm{Ke} 3-\mathrm{f} 213 . \mathrm{Rg} 3 \times \mathrm{g} 418 . \mathrm{Rh} 1 \times \mathrm{h} 2$ 20.Rh1-e1 22.Kg1-h2 24.Re5-f5 25.g2-g4+ h4×g3 \#

## T316 (Jaroslav Štúň):

$1 . e 4-e 3+K d 2 \times d 32 . K d 6-c 5[+b P e 4]+K d 3 \times e 43 . K c 5-b 4[+b P f 5]+K e 4 \times f 54 . K b 4-c 3[+. e 6]+K f 5-f 65 . e 6 \times d 5=S+$ $\mathrm{c} 4 \times \mathrm{d} 5=\mathrm{S}[+\mathrm{wSc4} 4+6 . \mathrm{Kc} 3 \times \mathrm{c} 4[+\mathrm{bPd} 4] 7 . \mathrm{Sd} 4 \times \mathrm{c} 6=\mathrm{B}[+\mathrm{wPd} 2] 8 . \mathrm{Kc} 4 \times \mathrm{d} 5[+\mathrm{wSb5}] 9 . \mathrm{Bc} 6-\mathrm{e} 8=\mathrm{S}[+\mathrm{wSb} 3]+\mathrm{Kf6} 6 \mathrm{f} 5$
10. Se $8-\mathrm{d} 6=\mathrm{P}$ d $2 \times \mathrm{e} 3=\mathrm{S} \#$

T317 (György Bakcsi, János) Csák
1.Qd6-e5 2.Kc5-d6 3.c7-c5 4.Sa8-c7 5.Rb8-a8 6.Ba7-b8 Ra6×b6 \#

T318 (Vladimír Kočí, Ladislav Packa):
a) 1.Ra1-b1 2.Rb1-b3 $3 . \mathrm{Rb} 3 \times \mathrm{c} 3+\mathrm{Sa} 2 \times \mathrm{c} 3$ \#
b) $1 . \mathrm{Ba} 1 \times \mathrm{c} 32$. $\mathrm{Bc} 3-\mathrm{f} 63 . \mathrm{Bf} 6-\mathrm{g} 5+\mathrm{Rg} 7 \times \mathrm{g} 5$ \#
c) $1 . \mathrm{Sa} 1-\mathrm{b} 32 . \mathrm{Sb} 3 \times \mathrm{d} 23 . \mathrm{Sd} 2 \times \mathrm{c} 4+\mathrm{Bb} 5 \times \mathrm{c} 4 \#$

## ORIGINALS

HC157: Adds one move to | $\mathrm{HC103}$ and |
| :--- |
| (Authors) |

HC158: The longest problem with 7 units we have found so far with this stipulation and condition. (Authors)

HC159: One more move than PDB/P1013886. (Author)

HC160: 100 moves with only 15 units! (Author)

## Hors Concours



## ORIGINALS

HC134 in CPB8 was published without a black pawn at g6. Thanks to Gani Ganapathi for noticing this and apologies to the author! Below is the correct diagram:

## HC134b

Gerald EttI

$\mathrm{h} \# 2 \quad \mathrm{C}+(2+8+3)$
b) ㅎ.. $\mathrm{c} 5 \rightarrow \mathrm{~g} 4$

背 $=$ Neutral Queen
= Neutral Bishop
$\zeta=$ Neutral Nightrider
a) 1.nNb5-h8 nBg3-d6+ 2.Kc5-b5 nBd6×b4\#; b) 1.nBg3-b8 nNb5-c7 2.Kg4-g3 nNc7×e3\#

To HC154 in CPB9, the author has added the condition "no forward defense"
Thanks to Paul Răican for noticing the need for NFD!

| HC161 <br> Andreas Thoma | HC162 <br> Andreas Thoma | HC163 <br> Andreas Thoma | HC164 Andreas Thoma |
| :---: | :---: | :---: | :---: |
|  |  |  | Wenlan |
| $\mathrm{h} \# 2 \mathrm{C}+(1+1+2)$ | -3 \& s\#1 $\quad(2+5)$ | 3 \& s\#1 $\quad(4+1)$ | -9 \& \#1 (2+5) |
| SuperCirce | Proca Retractor | Proca Retractor | Proca Retractor |
| b) 真e $1 \rightarrow \mathrm{e} 5$ | Anticirce Cheylan | Anticirce Cheylan | Anticirce Cheylan |
| c) $\mathrm{e} 3 \rightarrow \mathrm{e} 8$ |  |  |  |
| $\boldsymbol{\beta}=$ Neutral Pawn |  |  |  |

## HC161 (Andreas Thoma):

a) $1 . \mathrm{Ke} 3-\mathrm{f} 3 \mathrm{Ke} 1-\mathrm{f} 12 . \mathrm{nBc} 2-\mathrm{c} 1=\mathrm{nD}+\mathrm{nDc} 1 \times \mathrm{g} 5[+\mathrm{nBh} 1=\mathrm{nL}] \#$ b) $1 . \mathrm{nBc} 2-\mathrm{c} 1=\mathrm{nT} \mathrm{nTc} 1-\mathrm{g} 12 . \mathrm{nTg} 1 \times \mathrm{g} 5[+\mathrm{nBg} 3]+\mathrm{nTg} 5 \times \mathrm{g} 3$ $[+\mathrm{nBe} 1=\mathrm{nD}] \#$
c) $1 . \mathrm{nBc} 2-\mathrm{c} 1=\mathrm{nD}+\mathrm{Ke} 1-\mathrm{f} 22 . \mathrm{nDc} 1 \times \mathrm{g} 5[+\mathrm{nBe} 7] \mathrm{nDg} 5 \times \mathrm{e} 7$ $[+\mathrm{nBe} 1=\mathrm{nT}] \#$

## HC162 (Andreas Thoma):

$-1 . \mathrm{Ke} 1 \times \mathrm{Pd} 2 \rightarrow \mathrm{e} 1 \mathrm{Pd} 3-\mathrm{d} 2+-2 . \mathrm{Ke} 2 \times \mathrm{Re} 3 \rightarrow \mathrm{e} 1 \mathrm{Re} 7-\mathrm{e} 3+$
$-3 . \mathrm{Pb} 6 \times \mathrm{Ba} 7 \rightarrow \mathrm{a} 2$ \& 1.Pb6-b7+K~ \#

## HC163 (Andreas Thoma)

$-1 . \mathrm{d} 5 \times \mathrm{c} 6$ e.p. $\rightarrow \mathrm{c} 2 \mathrm{Pc} 7-\mathrm{c} 5-2 . \mathrm{Pa} 2 \times \mathrm{Bb} 3 \rightarrow \mathrm{~b} 2 \mathrm{Bc} 4-\mathrm{b} 3+$
$-3 . \mathrm{Pb} 6 \times \mathrm{Ra} 7 \rightarrow \mathrm{a} 2$ \& 1.Pb6-b7+K~ \#

HC164 (Andreas Thoma):
Main plan: $-1 . \mathrm{Ka} 7 \times \mathrm{Rb} 7 \rightarrow \mathrm{e} 1 \mathrm{Rb} 8-\mathrm{b} 7+-2 . \mathrm{Kb} 6-\mathrm{a} 7$
\& 1.Kb6-c7 \# but 1...e1!
Preparatory maneuver: - $1 . \mathrm{Ke} 1 \times \mathrm{Pf} 2 \rightarrow \mathrm{e} 1 \mathrm{Pf} 3-f 2+$
$-2 . \mathrm{Kg} 2 \times \mathrm{Bh} 2 \rightarrow \mathrm{e} 1 \mathrm{Pf} 4-\mathrm{f} 3+-3 . \mathrm{Kf3-g} 2 \mathrm{Pe} 5-\mathrm{e} 4+-4 . \mathrm{Kf} 2-\mathrm{f} 3 \mathrm{Pe} 4-\mathrm{e} 3+$
-5.Kg1-f2 Bg3-h2+ -6.Kf1-g1 Pe3-e2+ -7.Ke1-f1 Bh2-g3+ and now the main plan $-8 . \mathrm{Ka} 7 \times \mathrm{Rb} 7 \rightarrow \mathrm{e} 1 \mathrm{Rb} 8-\mathrm{b} 7+-9 . \mathrm{Kb} 6-\mathrm{a} 7$ \& 1.Kb6-c7 \#

## ORIGINALS

HC166, HC167, HC168: Thank you for the dedication!

## HC168 (cont.):

b) $1 . \mathrm{Le} 5 \times \mathrm{e} 4-\mathrm{e} 3[+\mathrm{bPe} 5] \quad 2 . \mathrm{Le} 3 \times \mathrm{d} 3-\mathrm{c} 3[+\mathrm{bPe} 3]$ 3.Lc3×e3-f3[+bPc3] 4.Lf3 $\times$ f5-f6[+bPf3] 5.Lf6×f3f2[+bPf6] 6.Lf2×f6-f7[+bPf2] 7.Lf7×f2-f1[+bPf7] 8.Lf1 $\times f 7-$-f8[+bPf1 $=$ L] $\quad 9 . L f 8 \times \mathrm{d} 6-\mathrm{c} 5[+\mathrm{bPf8}]$
10.Lc5 $\times$ d4-e3[+bPc5] 12. $\mathrm{Lc} 1 \times \mathrm{c} 3-\mathrm{c} 4[+\mathrm{bPc} 1=\mathrm{L}]$ 14.Lc6×e6-f6[+bPc6] 16. Ld4×e3-f2[+bPd4] 18.Lc5×d5-e5[+bPc5] $20 . \operatorname{Lg} 7 \times$ e $5-\mathrm{d} 4[+\mathrm{bPg} 7]$ 22.Lh8 $\times$ d4-c3[+bPh8] $=$ 11.Le3 $\times \mathrm{d} 2-\mathrm{c} 1[+\mathrm{bPe} 3]$ 13.Lc4×c5-c6[+bPc4] 15.Lf6 $\times$ e5-d4[+bPf6] 17.Lf2 $\times$ d4-c5[+bPf2] 19.Le5 $\times$ f6-g7[+bPe5] $21 . \mathrm{Ld} 4 \times \mathrm{g} 7-\mathrm{h} 8[+\mathrm{bPd} 4]$ ChessProblems.ca


## HC165 (Andreas Thoma):

a) -1.Re2-d2 Qf8-b4 -2.Re7-e2 \& 1.Bd3-e4 Qf1 \#
b) $1 . \mathrm{Kb} 6 \times \mathrm{Ba} 7 \rightarrow \mathrm{e} 1$ Qf8-b4 -2.Bb5-d3 \& 1.Bb5-c6 Qf1 \#

## HC166 (Jaroslav Štúň):

1.Le6 $\times$ d6-c6[+bPe6] 2.Lc6×b5-a4[+bPc6] 3.La4×b4-c4[+bPa4] 4.Lc4×d3$\mathrm{e} 2[+\mathrm{bPc} 4] \quad 5 . \mathrm{Le} 2 \times \mathrm{c} 2-\mathrm{b} 2[+\mathrm{bPe} 2] \quad 6 . \mathrm{Lb} 2 \times \mathrm{b} 3-\mathrm{b} 4[+\mathrm{bPb} 2] \quad 7 . \mathrm{Lb} 4 \times \mathrm{b} 6-$ b7[+bPb4] $\quad 8 . \mathrm{Lb} 7 \times \mathrm{c} 7-\mathrm{d} 7[+\mathrm{bPb} 7] \quad 9 . \mathrm{Ld} 7 \times \mathrm{c} 6-\mathrm{b} 5[+\mathrm{bPd} 7] \quad 10 . \mathrm{Lb} 5 \times \mathrm{b} 4-$ b3[+bPb5] 11.Lb3×c4-d5[+bPb3] 12.Ld5 $\times \mathrm{b} 3-\mathrm{a} 2[+\mathrm{bPd5}] \quad 13 . \mathrm{La} 2 \times \mathrm{a} 4-$ $\mathrm{a} 5[+\mathrm{bPa} 2$ ] 14.La5 $\times \mathrm{b} 5-\mathrm{c} 5[+\mathrm{bPa} 5] \quad 15 . \mathrm{Lc} 5 \times \mathrm{d} 5-\mathrm{e} 5[+\mathrm{bPc} 5] \quad 16 . \mathrm{Le} 5 \times \mathrm{b} 2-$ a1[+bPe5] 17.La1×a2-a3 18.La3×a5-a6[+bPa3] 19.La6×a3-a2[+bPa6] 20.La2×a6-a7[+bPa2] 21.La7×a2-a1[+bPa7] 22.La1×a7-a8 $23 . \mathrm{La} 8 \times \mathrm{b} 7-$ c6 24.Lc6 $\times$ c5-c4[+bPc6] $25 . \mathrm{Lc} 4 \times$ e6-f7[+bPc4] $\quad 26 . \mathrm{Lf7} \times \mathrm{d} 7-\mathrm{c} 7[+\mathrm{bPf7}]$ 27.Lc7×c6-c5[+bPc7] 28.Lc5×c4-c3[+bPc5] 29.Lc3×c5-c6[+bPc3] $30 . \mathrm{Lc} 6 \times \mathrm{c} 3-\mathrm{c} 2[+\mathrm{bPc} 6] \quad 31 . \mathrm{Lc} 2 \times \mathrm{e} 2-\mathrm{f} 2[+\mathrm{bPc} 2] \quad 32 . \mathrm{Lf} 2 \times \mathrm{c} 2-\mathrm{b} 2[+\mathrm{bPf} 2]$ 33.Lb2*f2-g2[+bPb2] 34.Lg2×c6-b7[+bPg2] 35.Lb7×b2-b1[+bPb7] 36.Lb1×b7-b8 $37 . \mathrm{Lb} 8 \times \mathrm{c} 7-\mathrm{d} 638 . \mathrm{Ld} 6 \times \mathrm{e} 5-\mathrm{f} 4[+\mathrm{bPd} 6] 39 . \mathrm{Lf4} \times \mathrm{d} 6-\mathrm{c} 7[+\mathrm{bPf4} 4]$ $40 . \mathrm{Lc} 7 \times \mathrm{f} 4-\mathrm{g} 3[+\mathrm{bPc} 7] \quad 41 . \mathrm{Lg} 3 \times \mathrm{c} 7-\mathrm{b} 8[+\mathrm{bPg} 3] \quad 42 . \mathrm{Lb} 8 \times \mathrm{g} 3-\mathrm{h} 2 \quad 43 . \mathrm{Lh} 2 \times \mathrm{g} 2-$ f2[+bPh2] 44.Lf2×f7-f8[+bPf2] 45.Lf8 $\times f 2-\mathrm{f} 1=$

## ORIGINALS

HC169: Thank you for the dedication! (Ed.)


## HC169 (Sébastien Luce):

1.Lf3 $\times \mathrm{c} 3-\mathrm{b} 3[+\mathrm{bPf} 3] 2 . \mathrm{Lb} 3 \times \mathrm{c} 4-\mathrm{d} 5[+\mathrm{bPb} 3] 3 . \mathrm{Ld} 5 \times \mathrm{d} 6-\mathrm{d} 7[+\mathrm{bPd} 5]$ $4 . \mathrm{Ld} 7 \times \mathrm{d} 5-\mathrm{d} 4[+\mathrm{bPd} 7] \quad 5 . \mathrm{Ld} 4 \times \mathrm{d} 7-\mathrm{d} 8[+\mathrm{bPd} 4] \quad 6 . \mathrm{Ld} 8 \times \mathrm{d} 4-$ $\mathrm{d} 3[+\mathrm{bPd} 8] \quad 7 . \mathrm{Ld} 3 \times \mathrm{e} 2-\mathrm{f} 1[+\mathrm{bPd} 3] \quad 8 . \mathrm{Lf} 1 \times \mathrm{f} 3-\mathrm{f} 4[+\mathrm{bPf} 1=\mathrm{bL}]$ $9 . \mathrm{Lf} 4 \times \mathrm{d} 2-\mathrm{c} 1[+\mathrm{bPf} 4] \quad 10 . \mathrm{Lc} 1 \times \mathrm{c} 5-\mathrm{c} 6[+\mathrm{bPc} 1=\mathrm{bL}] \quad 11 . \mathrm{Lc} 6 \times \mathrm{e} 6-$ f6[+bPc6] 12.Lf6 $\times \mathrm{c} 6-\mathrm{b} 6[+b P f 6] \quad 13 . \mathrm{Lb} 6 \times \mathrm{b} 3-\mathrm{b} 2[+\mathrm{bPb} 6$ ] 14.Lb2×b6-b7[+bPb2] $15 . \mathrm{Lb} 7 \times \mathrm{b} 2-\mathrm{b} 1[+\mathrm{bPb} 7] \quad 16 . \mathrm{Lb} 1 \times \mathrm{d} 3-$ e4[+bPb1=bL] 17.Le4×b7-a8[+bPe4] 18.La8×e4-f3[+bPa8] =

## HC170 (Sébastien Luce):

1.Ld3×e4-f5[+bPd3] 2.Lf5 $\times \mathrm{d} 3-\mathrm{c} 2[+\mathrm{bPf5}] 3 . \mathrm{Lc} 2 \times \mathrm{c} 4-\mathrm{c} 5[+\mathrm{bPc} 2]$ 4.Lc5×c2-c1[+bPc5] 5.Lc1×c5-c6[+bPc1=bL] 6.Lc6×e6f6[+bPc6] 7.Lf6 $\times$ e5-d4[+bPf6] 8.Ld4 $\times \mathrm{f6}-\mathrm{g} 7[+\mathrm{bPd} 4] 9 . \mathrm{Lg} 7 \times \mathrm{d} 4-$ $\mathrm{c} 3[+\mathrm{bPg} 7] \quad 10 . \mathrm{Lc} 3 \times \mathrm{c} 6-\mathrm{c} 7[+\mathrm{bPc} 3] \quad 11 . \mathrm{Lc} 7 \times \mathrm{c} 3-\mathrm{c} 2[+\mathrm{bPc} 7]$ 12. $\mathrm{Lc} 2 \times \mathrm{c} 7-\mathrm{c} 8[+\mathrm{bPc} 2] \quad 13 . \mathrm{Lc} 8 \times \mathrm{f} 5-\mathrm{g} 4[+\mathrm{bPc} 8] \quad 14 . \mathrm{Lg} 4 \times \mathrm{g} 7-$ $\mathrm{g} 8[+\mathrm{bPg} 4] 15 . \mathrm{Lg} 8 \times \mathrm{g} 4-\mathrm{g} 3[+\mathrm{bPg} 8]=$

## HC171 (Sébastien Luce)

1.Le3 $\times \mathrm{c} 3-\mathrm{b} 3[+\mathrm{bPe} 3] \quad 2 . \mathrm{Lb} 3 \times \mathrm{c} 4-\mathrm{d} 5[+\mathrm{bPb} 3] \quad 3 . \mathrm{Ld} 5 \times \mathrm{c} 5-$ b5[+bPd5] $4 . \mathrm{Lb} 5 \times \mathrm{d} 5-\mathrm{e} 5[+\mathrm{bPb} 5] \quad 5 . \mathrm{Le} 5 \times \mathrm{d} 4-\mathrm{c} 3[+\mathrm{bPe} 5]$ 6.Lc3×e5-f6[+bPc3] 7.Lf6 $\times \mathrm{c} 3-\mathrm{b} 2[+\mathrm{bPf6} 6$ 8.Lb2 $2 \mathrm{~b} 3-\mathrm{b} 4[+\mathrm{bPb} 2]$ $9 . \mathrm{Lb} 4 \times \mathrm{b} 5-\mathrm{b} 6[+\mathrm{bPb} 4] \quad 10 . \mathrm{Lb} 6 \times \mathrm{b} 4-\mathrm{b} 3[+\mathrm{bPb} 6] \quad 11 . \mathrm{Lb} 3 \times \mathrm{e} 3-$ $\mathrm{f3}[+\mathrm{bPb} 3] \quad 12 . \mathrm{Lf} 3 \times \mathrm{f} 4-\mathrm{ff}[+\mathrm{bPf3}] \quad 13 . \mathrm{Lf5} \times \mathrm{f6} 6 \mathrm{f} 7[+\mathrm{bPf5}]$ $14 . \mathrm{Lf} 7 \times \mathrm{b} 3-\mathrm{a} 2[+\mathrm{bPf} 7] \quad 15 . \mathrm{La} 2 \times \mathrm{b} 2-\mathrm{c} 2[+\mathrm{bPa} 2] \quad 16 . \mathrm{Lc} 2 \times \mathrm{f} 5-$ $\mathrm{g} 6[+\mathrm{bPc} 2] \quad 17 . \mathrm{Lg} 6 \times \mathrm{c} 2-\mathrm{b} 1[+\mathrm{bPg} 6] \quad 18 . \mathrm{Lb} 1 \times \mathrm{b} 6-\mathrm{b} 7[+\mathrm{bPb} 1=\mathrm{bL}]$ 19.Lb7 $\times \mathrm{ff} 7-\mathrm{g} 7[+\mathrm{bPb} 7] \quad 20 . \mathrm{Lg} 7 \times \mathrm{b} 7-\mathrm{a} 7[+\mathrm{bPg} 7] \quad 21 . \mathrm{La} 7 \times \mathrm{a} 2-$ a1[+bPa7] 22.La1×a7-a8[+bPa1=bL] 23.La8×f3-g2[+bPa8] =

## HC172 (Sébastien Luce):

1.Lf3×d5-c6[+bPf3] 2.Lc6×d6-e6[+bPc6] 3.Le6×c6-b6[+bPe6] 4.Lb6 $\times$ e6-f6[+bPb6] 5.Lf6 $\times$ b6-a6[+bPf6] 6.La6 $\times \mathrm{d} 3-\mathrm{e} 2[+\mathrm{bPa} 6]$ 7.Le2×e3-e4[+bPe2] 8.Le4×d4-c4[+bPe4] 9.Lc4×e2-f1[+bPc4] $10 . \mathrm{Lf} 1 \times \mathrm{f} 3-\mathrm{f} 4[+\mathrm{bPf} 1=\mathrm{bL}] \quad 11 . \mathrm{Lf} 4 \times \mathrm{f6} 6 \mathrm{f} 7[+\mathrm{bPf4} 4 \quad 12 . \mathrm{Lf} 7 \times \mathrm{c} 4-$ b3[+bPf7] 13.Lb3×f7-g8[+bPb3] 14.Lg8×b3-a2[+bPg8] 15. $\mathrm{La} 2 \times \mathrm{a} 6-\mathrm{a} 7[+\mathrm{bPa} 2] \quad 16 . \mathrm{La} 7 \times \mathrm{a} 2-\mathrm{a} 1[+\mathrm{bPa} 7] \quad 17 . \mathrm{La} 1 \times \mathrm{a} 7-$ $\mathrm{a} 8[+\mathrm{bPa} 1=\mathrm{bL}] 18 . \mathrm{La} 8 \times \mathrm{e} 4-\mathrm{f} 3[+\mathrm{bPa} 8]=$

## ORIGINALS

HC174: Meredith, zugzwangs, stalemates, model mate.
(Author)


## HC173 (György Bakcsi):

5.a7 $\times$ b8 $=$ B $6 . \mathrm{Bb} 8 \times \mathrm{h} 27 . \mathrm{b} 7-\mathrm{b} 8=$ Q $8 . \mathrm{Qb} 8-\mathrm{g} 3+\mathrm{Sf} 1 \times \mathrm{g} 3 \#$

## HC174 (L'uboš Kekely):

1.b5! zz
1... Bb8 2.a7! ( $2 . \mathrm{K} \times \mathrm{b} 8$ ? $=) 2 \ldots \mathrm{~B} \times \mathrm{a} 73 . \mathrm{Kc7} \mathrm{zz} \mathrm{Bb8+}$ 4. $\mathrm{K}=\mathrm{Bd} 8$ ! (4. $\mathrm{K}=\mathrm{B} \times \mathrm{b} 8$ ? =) 4... Be5 5.R×e5 Bf7 6.Rf5 Kg8
7.Be7 zz Kh8 8.R×f7 Kg8 9.Rf8 \#

## HC175 (György Bakcsi)

5.f7-f8=S 6.Sf8 $\times \mathrm{g} 67 . \mathrm{Sg} 6 \times \mathrm{h} 410 . \mathrm{g} 7-\mathrm{g} 8=\mathrm{R} 11 . \mathrm{Rg} 8 \times \mathrm{g} 2=$

## HC176 (György Bakcsi, János Csák):

a) $1 . \mathrm{Ke} 5-\mathrm{e} 42 . \mathrm{Ke} 4-\mathrm{f} 33 . \mathrm{Kf} 3-\mathrm{g} 24 . \mathrm{Kg} 2 \times \mathrm{h} 15 . \mathrm{Bd} 5-\mathrm{g} 20-0-0$ \#
b) $1 . \mathrm{Ke} 5-\mathrm{d} 42 . \mathrm{Kd} 4-\mathrm{c} 33 . \mathrm{Kc} 3-\mathrm{b} 24 . \mathrm{Kb} 2 \times \mathrm{a} 15 . \mathrm{Bf6}-\mathrm{b} 20-0$ \#

## ChessProblems.ca Bulletin - 2014 Tourney Award

## Nicolas Dupont

First of all I would like to thank Cornel for having invited me to judge the ChessProblems.ca Bulletin 2014 originals - it is a great honour, especially because this was the first year of activity for the associated Bulletin.

Even if in the past few years my chess activities were mainly concentrated around so-called "future proof games", my interest in series problems has never disappeared. I invented the Anti-Parry and Back-Home fairy conditions - they are still alive, including inside ChessProblems.ca Bulletin columns!

It was thus a great pleasure for me to analyze the 2014 originals from this magazine, the list of entries under judgment going as follows:

Issue 1: Ten originals T159-T168, the E1 problem (page 2), and three originals VMC4-VMC6 (page 18) coming from an article about series problems under the Vertical Mirror Circe condition. [14]

Issue 2: Sixteen originals T169-T184, the OC1 problem (page 27), and one original KS14B (page 42) coming from an article which is summarizing some series length records. [18]

Issue 3: Nine originals T185-T194 except T192 which has been cooked, seven problems $0-0-2-0-0-8$ (page 79) coming from an article about series length records with concluding castling, and an original (page 94), sent too late to participate to the Messigny 2012 fairy tourney. [17]

Issue 4: A correction T192b, twenty-eight originals T195-T222, eight problems AS (pages 108 to 110) coming from an article about series length records ending with auto-stalemate, and eight problems AUW (pages 113 to 118) coming from an article about allumwandlung by neutral pawns in series problems. [45]

This is thus a total of 94 problems to be judged. The average level is quite good without being exceptionally high. Before presenting my award, let me explain why I didn't rank some kinds of problems:

- Some are more or less anticipated by older entries - when a given theme has already been demonstrated, the supplement to justify a new solid work must be substantial, except in rare cases such as a new length record in a well-known area.
- Some are merely illustrative puzzles of a more or less basic idea. This might be interesting, in particular inside an article, but can hardly claim a distinction.
- Some are attempts to establish a length record in a new field (using some unusual fairy piece or condition, say). These are difficult to award when no comparison with a previous record is available.
- Some are probably "cyborg" entries - the composer lets a computer program check many positions until something nice emerges. I have nothing against this practice (numerous jewels have been found this way) except when there is no chance for the average solver to see what is going on!
- Some are using too many fairy pieces/conditions relative to the thematic content. This leads to badly-balanced entries between the heaviness of the stipulation and the strength of the aim. Using a fairy piece instead of a regular one just to avoid a cook is also doubtful.
- Some where I have the feeling that the main thematic content has a good chance to be shown through a non-series problem. Breaking the side-afterside orthodox move rule must be strongly motivated.
- Some multi-solutions don't always conform to the two main features desirable in this kind of problems: except in rare cases such as a big task, the various solutions should be at the same time harmonic and different enough, while officers should be active in each solution.

After having removed the problems presenting such flaw(s), and some others for different reasons, such as my personal taste or a length record intention which is now broken (this is a law, even if it is cruel for such a problem to be forgotten...), there remain 15 survivors in my award: 5 Prizes, 5 Honourable Mentions, and 5 Commendations without order.

## VMC6

## Dan Meinking $\dagger$

## Arno Tüngler

ChessProblems.ca Bulletin
2014
$1^{\text {st }}$ Prize

ser-!= 71
Vertical Mirror Circe

First Prize: VMC6 (Meinking \& Tüngler). This very high distinction is given neither for the length of the problem (I don't know if it is a record) nor to honour Dan's memory (when judging, I always try to consider a problem as if it were anonymous), but to the general fantastic strategy, mainly the "package" Bf1-Sg1-Rh1 which is visiting three corners, $2+3$ times the respective northern ones!
To achieve the goal - auto-stalemate - it is necessary to free wPg4 to move, because it will play last (to prevent the possibility of a switchback from the wK after its last move). Hence the wK must capture, in reverse order, Sg5 Ph6 and Rh1.
But to reach square h1, the wK must capture Bf1 with rebirth Bf8, which is observing Ph6... So the Sg1 must also be captured in order to interfere on g8 after rebirth. After the first step of the solution, the trio Bf1-Sg1-Rh1 is transported to Bf8-Sg8-Rh8. As the intermediate goal for white is to capture Ph6, there is no other way but to transport the trio Bf8-Sg8-Rh8 to Bc8-Sb8-Ra8 (second step of the solution).
Now wK captures Ph6 but white is still in difficulty: the auto-stalemate position
can hardly be obtained without the ending Kg5-g6 Pg4-g5, hence Ph7 must be captured too. Maybe the more subtle point of the problem is that if the wK is capturing Sg5 right now, its rebirth on g8 makes impossible the capture of Ph7! Hence, once again, the wK needs to transport the trio Bc8-Sb8-Ra8 to Bf8-Sg8-Rh8 (third step of the solution).
Then Sg5 can be captured with annihilation (as g8 is occupied) and once again, the trio $\mathrm{Bf} 8-\mathrm{Sg} 8-\mathrm{Rh} 8$ is transported to $\mathrm{Bc} 8-\mathrm{Sb} 8-\mathrm{Ra} 8$. Now it is possible to capture h 7 and a last "switchback" of the thematic trio leads to the above described autostalemate position. Great problem, even without mentioning the "miracle" that the above strategy is constructed without any dual... Finally, note that VMC5 from Dan alone is probably an intermediate step used to build the much stronger VMC6, and hence the former becomes more or less anticipated by the latter.

## AS-43

## Branko Koludrović

## Arno Tüngler

ChessProblems.ca Bulletin 2014

ser-! $=254$
C- $(12+15)$
Circe
1.Ka7×b8 [+bBf8] 2.Ra5-b5 3.Ra4-a7 7.a6×b7 8.Ra7-a3 12.Ka5-a4 14.Ra5a7 16.Ka5-a6 18.Ra5-b5 29.Kf6×g6 [ +bBc 8 ] 40.Ka5-a6 42.Ra5-a3 44.Ka5a4 46.Ra5-b5 51.Kb8×c8 56.Ka5a4 58.Ra5-a7 60.Ka5-a6 62.Ra5-b5 72.Ke5×e6 [+bSg8] 82.Ka5-a6 84.Ra5a3 86.Ka5-a4 88.Ra5-b5 96.Ke8×f8 97.Kf8×g8 106.Ka5-a4 108.Ra5-a7 110.Ka5-a6 112.Ra5-b5 124.Kg $5 \times \mathrm{g} 4$ [+bBc8] 136.Ka5-a6 138.Ra5-a3 140.Ka5-a4 142.Ra5-b5 147.Kb8×c8 152.Ka5-a4 154.Ra5-a7 156.Ka5a6 158.Ra5-b5 167.Ke4×f5 [+bSg8] 171.Kh $2 \times$ h1 184.Ka5-a6 186.Ra5-a3 188.Ka5-a4 190.Ra5-b5 199.Kf8×g8 208.Ka5-a4 210.Ra5-a7 212.Ka5-a6 214.Ra5-b5 $228 . \mathrm{Kg} 1 \times \mathrm{f} 2 \quad$ [+bRh 8$]$ 242.Ka5-a6 244.Ra5-a3 246.Ka5-a4 248.Ra5-b5 251.Ka6-a7 252.Ra3-a6 254.a4-a5 !=

Second Prize: AS-43 (Koludrović \& Tüngler). A new overall length record in the Circe auto-stalemate framework - 254 moves! The wRs and the wB are in cage, hence the wK should do the job - its only open road being via b 2 .

It successively captures, via long journeys (involving the two rooks to open the road), bBg 6 (with rebirth) bBc 8 (with annihilation) bSe6 (with rebirth) bBf8 and bSg8 (with annihilations) bBg4 (with rebirth) bBc8 (with annihilation) bSf5 (with rebirth) bSh1/g8 (with annihilations) and finally bRf2 (with rebirth, and which could not have been captured earlier as the rebirth on h 8 would cut the road to g8). Now everything is ready for the conclusion: white is closing the west cage with wKa7 which becomes auto-stalemated because square b8 is now under control from the bRh8!
It is an excellent new length record with a clever and intensive use of the Circe condition. Note that the AS-42 and T215 diagram positions are too close to be also awarded. I kept AS-43 as I think that overall records are more important than records with normal force because, as we don't claim positions to be legal (and de facto they are not here), it becomes legitimate to accept extra material.

## T165

## Jaroslav Štúň

ChessProblems.ca Bulletin

## 2014


ser-h\# 39
$\mathrm{C}+(2+3)$
Anti-Andernach
Parrain Circe
BackHome
1.e $\times \mathrm{d} 5 \quad 2 . \mathrm{Kb} 3(\mathrm{Se} 4) \quad 3 . \mathrm{Ka} 4 \quad 4 . \mathrm{d} \times \mathrm{e} 4$ 5.Kb3(Sf3) 6.Ka4 7.exf3 8.Kb3(Sg2) 9.Ka4 10.f×g2 11.Kb3(Sh1) 12.Ka4 $13 . \mathrm{g} \times \mathrm{h} 1=\mathrm{R} \quad 14 . \mathrm{Ka} 5(\mathrm{Sh} 2) \quad 15 . \mathrm{Ka} 4$ 16.R $\times$ h2 17.Ka5(Sh3) 18.Ka4 19.R $\times$ h3 20.Ka5(Sh4) 21.Ka4 22.R×h4 23.Sb4(B;Sg2) 24.R $\times$ b4 25.Ka3(Sb3) 26.Ka4 27.R×b3 28.Ka3(Sb2) 29.Ka2 $30 . \mathrm{R} \times \mathrm{b} 2 \quad 31 . \mathrm{Kb} 3(\mathrm{Sc} 3) \quad 32 . \mathrm{R} \times \mathrm{g} 2$ 33.Ka3(Sf2) 34.Kb2 35.Kc1 36.R×f2 37.Kb2(Se3) 38.Ka1 39.Ra2(w) Sed5(b) \#

Third Prize: T165 (Štún̆). The three fairy conditions are perfectly mixed to lead to a surprising dual-free sequence (in particular, why a queen promotion does
not work). Moreover the final checkmate position is a complete success - using both particularities of Back-Home and Anti-Andernach conditions.
First the bPe6 goes to a Rook-promotion on h1 by pushing the wS (with backhome switchbacks from the bK to allow the use of the Parrain-Circe condition). Second, the wS is set on e3 (one step from its back-home square d5!), the bS becomes white due to a noncapturing move (thanks to the Anti-Andernach condition) and is set on b2, so that the bK can't play its back-home move Ka4, and is therefore free to go to its final destination a1.
Everything is now ready for a delightful conclusion - the last noncapturing black move $\operatorname{Ra} 2(\mathrm{w})$ is not a check because white, now on move, is forced to play its back-home move Sed5\#!

## CPB3, p. 94

Arno Tüngler
ChessProblems.ca Bulletin
2014
$4^{\text {th }}$ Prize
dédié a Messigny 2012
participants


Fourth Prize: Messigny 2012 original - CPB3, p. 94 (Tüngler). The theme of the Messigny 2012 Fairy Tourney was "A $\rightarrow$ B goal with Parry-Series stipulation". This rendition was sent loo late to participate, but nevertheless I quoted it "out of competition" in my award for Phénix. Its editor, Laurent Riguet, decided not to publish this addendum, but in the ChessProblems.ca Bulletin 3,

Cornel reprinted my award in full, which therefore contains what became an original - a curious story...
This is an excellent problem in which I was unable to find even a small flaw... Position B has the same black skeleton as Position A except the two missing pawns c 6 and $\mathrm{d} 6-\mathrm{a}$ very appealing diagram position. The heart of the strategy is to allow bSc 4 and bSe 5 to move, for wSb6 and wSd7 to be able to respectively reach squares b2 and g4 in time. This needs in each solution a specific interchange of bSc 4 and bSe 5 , beautifully motivated by well-differentiated moves from the white queen. Moreover each move number is played by the same piece type in both solutions, always on different squares (except for the final one), and moreover giving check or not exactly at the same times! Very impressive work...
i) 1.Qb2+ Sd2 $2 . \mathrm{K} \times \mathrm{d} 63 . \mathrm{Sc} 44 . \mathrm{Qb} 55 . \mathrm{Sb} 2+\mathrm{Sec} 4+6 . \mathrm{K} \times \mathrm{c} 67 . \mathrm{Qh} 5+\mathrm{Sf} 38 . \mathrm{Se} 5$ 9.Sg4 10.Qe5+ Sf $\times \mathrm{e} 5+11 . \mathrm{Kd} 5 \mathrm{~A} \rightarrow \mathrm{~B}$
ii) 1.Qg4+ Sf3 2.K×c6 3.Se5 4.Qe6 5.Sg4+ Sce5+6.K×d6 7.Qa2+ Sd2 8.Sc4 9.Sb2 10.Qc4+ Sd×c4+ 11.Kd5 A $\rightarrow$ B

## T209

George P. Sphicas

## ChessProblems.ca Bulletin

2014
$5^{\text {th }}$ Prize
dedicated to Phil

ser-hxz $32 \quad(6+8)$

Fifth Prize: T209 (Sphicas). The goal xz (cap-zug), invented by the late Dan Meinking, means that after the final move, the other side would be compelled to
capture, even though not being in check. This is close to a self-stipulation, the non-checking addition making the forced goal even more difficult to reach.
The entry demonstrates a difficult and homogeneous task -6 black promotions (3/2 AUW!) are self-incarcerated, so that their only legal moves would be captures after the helping white concluding move.
It is interesting how the order and the various types of the promotions are fixed, leading to the following final position where black on move is in cap-zug:

Final Position:


The only flaw I can see is the cook-stopper bSc1, clearly unfortunate... A variation with also six promotions would be the $3+3$ piece type distribution, if we assume that the same rendition involving only one piece type is unreachable. Finally note that the two previous entries from the same author, T207 and T208, are showing less impressive contents with mechanisms close to T209, and hence are not awarded.

First Honourable Mention: 0-0-8 (Tüngler). This is the current overall record for Direct Series with castling goal and normal force. It makes the other matrices of the same article more or less anticipated. This record of 45 moves seems not very high but this is an illusion, the reason being that long records are generally reached with moves from the king, which is obviously impossible in this castling setting...
After 1.Bf1 to parry the checking position, white is using its only unit which may move - the Bh8 - to capture Rd2 after a long journey, and to interfere on square g1 after almost the same returning path. Now the Bf1 is free to successively capture Rb1 and Sd1 after two new long journeys. After Bd1-e2 (only available move) white is ready to castle.

A beautiful and clever matrix. I didn't rank it in the Prizes set because castling is more or less a folkloric goal, less investigated than the traditional ones.

## $0-0-8$

## Arno Tüngler

ChessProblems.ca Bulletin
2014
$1^{\text {st }}$ Honourable Mention

ser-0-0 45

| $1 . \mathrm{Bd} 3-\mathrm{f} 1$ | $4 . \mathrm{Bd} 8 \times \mathrm{c} 7$ | $8 . \mathrm{Ba} 3 \times \mathrm{b} 2$ |
| :--- | :---: | ---: |
| $10 . \mathrm{Bc} 1 \times \mathrm{d} 2$ | $18 . \mathrm{Bf} 2-\mathrm{g} 1$ | $22 . \mathrm{Bg} 6 \times \mathrm{f} 7$ |
| $25 . \mathrm{Bc} 8 \times \mathrm{b} 7$ | $31 . \mathrm{Ba} 2 \times \mathrm{b} 1$ | $43 . \mathrm{Be} 2 \times \mathrm{d} 1$ |

## E1 Adrian Storisteanu

 ChessProblems.ca Bulletin 2014
add $\Delta \Delta$ for $\quad(1+3)$
-2w \& =1, Circe Assassin

## T210 Sebastien Luce

ChessProblems.ca Bulletin
2014 (dedicated to M. Kerhuel)
$3^{\text {rd }}$ Honourable Mention

1 b \& ser- $=28 \quad \mathrm{C}+(1+8)$ Circe Mutant Grasshopper


After the solution, the following nice stalemate position in Circe Assassin is reached (black on move):

Third Honourable Mention: T210 (Luce). A funny problem, with a beautiful and unexpected idea: each nonroyal black piece is transforming into Grasshopper and the whole is glued on the first rank - moreover, with the white king on h 3 , this is a stalemate position! It is quite incredible that this problem is dual-free, in particular because a rebirth on the first row needs two different actions, difficult to coordinate: first the black pieces must be reborn as Grasshoppers on the top row of the diagram (normal Circe rule for black), but then a less-known Circe rule is applied - when a fairy piece is reborn, it is considered a promoted one, and hence it will get reborn on the first row in case of a second capture!

## AUW-30

## Juraj Lörinc

ChessProblems.ca Bulletin
2014
$4^{\text {th }}$ Honourable Mention


$$
==
$$

ser-== 9
Eiffel Chess

Fourth Honourable Mention: AUW-30 (Lörinc). The Eiffel fairy condition is quite complex - a closed chain of paralysis: pawn observed (not necessarily threatened) by queen, queen observed by rook..., and finally knight observed by pawn. The author nevertheless managed a fluid and appealing series where in the end each unit is paralyzed, or has no legal move to play, the whole with a strong constraint: showing an AUW involving neutral pawns. I would have preferred a position where the six pieces on the southeast are deleted, in particular with
1.g8 $=\mathrm{nR} \quad 3 . \mathrm{g} \times \mathrm{f} 8=\mathrm{nQ} \quad 4 . \mathrm{nRg} 4 \quad$ 5.nQf5

$$
6 . \mathrm{nR} \times \mathrm{f} 4 \quad 7 . \mathrm{c} \times \mathrm{b} 8=\mathrm{nS} \quad 8 . \mathrm{nSc} 6 \quad 9 . \mathrm{b} 8=\mathrm{nB}
$$

no wK and no bK on the board (those pieces are not sensitive regarding Eiffel Chess), leading to a final position where each unit is paralyzed. Alas a dual shows up in this situation...

## T217

Cornel Pacurar

## ChessProblems.ca Bulletin

## 2014

$5^{\text {th }}$ Honourable Mention

$-4 \mathrm{w} \&!=1$

$(2+5)$

Fifth Honourable Mention: T217 (Pacurar). Only three orthodox pieces and no fairy conditions are needed to create this jewel of great purity! Each retracting move uncaptures a black officer, the whole family forming the famous "AUW"... The intermediate diagram position then goes as above.

The strategy which is fixing the order and the types of the uncaptures is very cute, and of course white is auto-stalemated after the direct move 1.f5.

Solution: -1.Kb6 $\times$ Ba6 $-2 . \mathrm{Kc} 7 \times$ Rb6 $-3 . e 5 \times$ Qf6 $-4 . f 4 \times$ Se5 \& 1.f4-f5 ! $=$

## T170

## Paul Răican

ChessProblems.ca Bulletin
2014
Commendation

ser-xz 118

Commendation: T170 (Răican). Another problem with cap-zug goal, this time with direct stipulation, showing the length record for 16 pieces (I didn't rank it higher as it is not an overall record), with a clever use of the well-known Zeller trap. The white king is successively capturing, after long journeys, Rg5, Sg1, Rh3, Ph4, Bh1 and Pf3. Then a rook-promotion of wPf2 on g8 is successively capturing Pb6, Qd6, Pd7 and Bd4, which allows the white king to capture the Pc5 and to finally reach square a3. Now the nonchecked black king, alone of its colour, has no other option but to capture Pc 2 or Rd 4 .

Commendation: T178 (Pacurar). A good Wenigsteiner which cleverly marries a rare fairy piece - Grasshopper-2, which is moving 2 steps beyond the hurdle -, and a rare fairy condition - SAT, where checks are more or less inverted: a king is in check if it has a flight (in the orthodox sense). The stipulation asserts that after 6 moves by black (with defensive parry white moves in case of checks from black), white can force black to checkmate. After 1.Bd4 2.Bf6+ white is in check and must play $2 \ldots \mathrm{rG} 2 \mathrm{~g} 6-\mathrm{d} 6$. It is worth noting that this royal piece is no more in check as the putative flight rG2d6-h6 would be an auto-check because h 6 is observed (although not attacked: this distinction is very important) by the black rG2! The next move 3.b7-b6+ is clearly a check, but it is not obvious that
it is legal, i.e. not an auto-check even if the black rG2 is observing square d6. The reason is that black is not attacking this square (capturing a royal piece is forbidden in chess!) and hence the black rG2 has in fact no flight... Now the parry-move $3 \ldots$. rG2d6-h6 is mandatory - which is not a check, as the given flight is not legal - and still not an auto-check, which forces $4 . r G 2 a 6-\mathrm{d} 6$. Now $5 . \mathrm{Bg} 5+$ rG2h6 $\times \mathrm{b} 66$. Be $3+$ (bishop circuit) and the $\mathrm{s} \# 1$ ending is forced (this being a slight flaw). The problem is maybe too close to a simple illustrative puzzle, but perfectly done in its pedagogical aspect, and hence deserves a distinction.

## T178

Cornel Pacurar
ChessProblems.ca Bulletin
2014
Commendation

pser-hs\# 6
$\mathrm{C}+(1+3)$
SAT
哖 = Grasshopper-2
(Royal)

Commendation: T195 (Răican). This is a good illustration of the anti-parry series concept via a selfstalemate stipulation, albeit with a drawback IMO: the lack of multiple variations from the black side (there is actually only one, and almost trivial to tackle). Nevertheless this flaw if far from a definite handicap - self-stipulations where white's job is to not allow dangerous black defenses might be interesting (this is the case here), although I prefer when white has to fight against such defenses. Remember that in anti-parry auto-checks are allowed
and, in such a case, the non-serial side must "anti-parry" the auto-check, that is making the situation normal with the serial side on move. Using repeatedly this possibility, the white king is forcing black to put its queen on h 5 and pawns on g 5 , g 4 and h4 (with a bonus - switchback from Bc8). Only now may white promote $22 . \mathrm{a} 8=\mathrm{Q}$ and play $23 . \mathrm{Qa} 726 . \mathrm{Kg} 3!+\mathrm{h} 327 . \mathrm{Qg} 1+\mathrm{K} \times \mathrm{g} 1=$ (see position below).

## T195

## Paul Răican

ChessProblems.ca Bulletin
2014
Commendation
dedicated to the memory of
Dan Meinking

aser-s= 27

(1+6)

Note that, in anti-parry, one has to take care of unexpected valid defenses via auto-check. Black is forced to capture the Qg1 because royal contact is forbidden in anti-parry. The wK is stalemated because the 5 squares around it and not around the opponent king are doubly guarded (except f 4 which is guarded by a fixed pawn, and h3 which is even triply guarded), and hence it is impossible for black to anti-parry an auto-check on one of those squares. Finally, note that in some other anti-parry entries (even in the ChessProblems.ca Bulletins), the symbol used for an auto-check is *, but I definitely prefer !+.

Solution: 1.Kf4 2.Kg4!+ Bb7 3.Kg5!+ h5 4.Kg4!+ h4 9.Kg8!+ Qh6 12.Kf5!+ g5 13.Kf6!+ g6 14.Kg7!+ Qh5 17.Kf4!+ g4 18.Kf5!+ g5 19.Ke4!+ Bc8 20.b×a6 21.a7 22.a8=Q 23.Qa7 26.Kg3!+ h3 27.Qg1+K×g1 =

## AUW-24

## Sébastien Luce

ChessProblems.ca Bulletin
2014
Commendation

ser-h\# 4
$\mathrm{C}+(1+2+3)$

$(1+2+1)$

Take \& Make
2 Solutions

Commendation: AUW-24 (Luce). There already exist such neutral AUWs under the Take-and-Make condition - this one shows an economy record (6 pieces in all) in the ser-h\# framework. The two solutions are not perfectly linked, but it is quite normal when each shows half of the needed AUW. The second checkmate position is funny (see above). Black on move can't parry the check from the neutral rook...

Solutions:
a) $1 . \mathrm{nRh} 12 . \mathrm{d} 1=\mathrm{nB} 3 . \mathrm{Kb} 14 . \mathrm{g} 1=\mathrm{nQ}+\mathrm{nQ} \times \mathrm{d} 1(\mathrm{nQb} 3) \#$
b) $1 . \mathrm{K} \times \mathrm{a} 1(\mathrm{Kh} 1) 2 . \mathrm{g} 1=\mathrm{nS} 3 . \mathrm{d} 1=\mathrm{nR} 4 . \mathrm{nRe} 1 \mathrm{~K} \times \mathrm{g} 1(\mathrm{Kh} 3) \#$

## AUW-25

## Juraj Lörinc

ChessProblems.ca Bulletin
2014

ser-\# 5
$\mathrm{C}+(1+7+4)$
Take \& Make

Commendation: AUW-25 (Lörinc). This is the first direct series problem showing a neutral AUW under the Take-and-Make condition. The solution is quite complex but entertaining - the way the squares around the bK are observed is well-done (and the checkmate is neutral-specific as in the above problem). One might only regret that the promoted neutral rook is captured - the final position would have been more aesthetic with e.g. bPf7 removed and the neutral rook observing square f 7 .

## Solution:

1. $\mathrm{d} \times \mathrm{e} 7(\mathrm{nPc} 8=\mathrm{nS}) \quad 2 . \mathrm{d} \times \mathrm{e} 3(\mathrm{nPe} 8=\mathrm{nQ}) \quad 3 . \mathrm{nQ} \times \mathrm{d} 7(\mathrm{nQg} 4) \quad 4 . \mathrm{e} \times \mathrm{d} 3(\mathrm{nPd} 8=\mathrm{nR})$ $5 . \mathrm{c} \times \mathrm{d} 8(\mathrm{nPh} 8=\mathrm{nB})$ \#
[^1]October 29, 2016


Happy New Year 2017 (Painting by Nina Omelchuk)

## Twofold Excelsior Promotion Into the Same Fairy Piece in ser-s\#10 Without Special Conditions

by Manfred Rittirsch

Excelsior, higher and higher but only step by step.' Daniel D. Palmer


Double Excelsior (Cornel Pacurar - Matter, AfterLight and Union for iPhone, 2016)

# Twofold excelsior promotion into the same fairy piece in ser-s\#10 WITHOUT SPECIAL CONDITIONS 

by Manfred Rittirsch

At the end of the previous millennium, the unforgettable Theodor Steudel initiated another interesting type chase in the Problemkiste magazine by suggesting to find the most economic realizations for each pair of promotions in series-movers showing two pawn excelsiors in a single phase. In that field I was mostly fascinated by the ser-s\# stipulation and especially by the subgroup mentioned in the title showing uniform fairy promotions in the minimal number of moves. In this article I am going to present the current status of investigations to the best of my knowledge - roughly sorted according to classes of fairy pieces - hoping that other composers will find the same pleasure in this amusing finger exercise as I did. In addition to some originals I also included the correction of a previously unsound opus. Some of the types I deliberately reserved for the readers. As starting points I recommend zebra, antelope or equihopper; the advanced learner may then chance his luck with hare, nuncio, empress, elephant or even vizier. Here and there improvements seem to be possible, too. Have fun!

ser-s\# 10
Grasshoppers f2,f8
4.g7 9.b8=G 10.gxh8=G+

TEP2
Manfred Rittirsch
Problemkiste 2000

ser-s\# 10
Moose h3
4.b7 9.g8=MO 10.b8=MO+

## TEP3

Manfred Rittirsch

ser-s\# 10
Eagle b1
4.g7 9.c8=EA 10.g8=EA+

## TEP4

Manfred Rittirsch


Sparrow b8
5.axb8=SP 10.f8=SP +

## TEP5

Manfred Rittirsch

ser-s\# 10
Hamster d7
3.axb6 4.b7 9.gxf8=HA
$10 . \mathrm{b} 8=\mathrm{HA}+$

## TEP6

Manfred Rittirsch
Problemkiste 2000
Correction - original

ser-s\# 10
Marguerite c8
5.bxc8=MA 10.g8=MA+

## TEP11

Manfred Rittirsch
Original

ser-s\# 10
Camel e8
4.hxg7 9.b8=CA 10.g8=CA+

## TEP7

Manfred Rittirsch
Original

ser-s\# 10
Contra-grasshopper c8
4.b7 9.gxh8=CG 10.b8=CG+

## TEP12

Manfred Rittirsch
Original

ser-s\# 10
Giraffe f8
4.hxg7 6.bxc5 9.c8=GI
10.gxf8=GI+

## TEP8

Manfred Rittirsch
Problemkiste 2000

ser-s\# 10
Kangaroo h1
5.b8=KA $10 . \mathrm{g} 8=\mathrm{KA} \mathrm{Zz}$.

TEP13
Manfred Rittirsch
Norbert Geissler
Original

ser-s\# 10
Gnu b7
3.hxg6 4.g7 8.bxa7 9.a8=GN
10.gxh8=GN+

## TEP9

Manfred Rittirsch
Original

ser-s\# 10
Double-grasshopper a3
5.g8=DG 10.b8=DG Zz.

## TEP14

Manfred Rittirsch
Original
Dedicated to Sebastien Luce

ser-s\# 10
Okapi h6
4.axb7 9.g8=OK 10.b8=OK+

TEP10
Manfred Rittirsch
Original

ser-s\# 10
Liong7
4.b7 8.gxf7 9.fxg8=LI
10.b8=LI+

TEP15
Manfred Rittirsch
Original

ser-s\# 10
Zebu c8
4.axb7 6.gxf4 9.f8=ZU
10.bxc8=ZU+

## TEP16

Manfred Rittirsch
Problemkiste 2000

ser-s\# 10
Bison c5
$4 . \operatorname{axb} 79 . \mathrm{g} 8=\mathrm{BI} 10 . \mathrm{b} 8=\mathrm{BI}+$

## TEP21

Manfred Rittirsch
Problemkiste 2000

ser-s\# 10
Boy Scout h6
4.b7 8.gxh7 9.h8=BS
10.bxa8=BS+

TEP17
Manfred Rittirsch
Problemkiste 1998

ser-s\# 10
Nightrider e3
4.hxg7 9.b8=N 10.g8=N+

## TEP22

Norbert Geissler
Manfred Rittirsch
Problemkiste 2000

ser-s\# 10
Girl Scout h8
4.g7 9.a8=GS 10.g8=GS+

TEP18
Manfred Rittirsch
Norbert Geissler
Problemkiste 2000

ser-s\# 10
Roses a7/d1
4.d7 9.b8=RO 10.d8=RO+

## TEP23

Manfred Rittirsch
Problemkiste 2000

ser-s\# 10
Cardinal e8

## TEP19

Manfred Rittirsch
Problemkiste 2000

ser-s\# 10
Trojan Horse d1
4.b7 8.gxh7 9.h8=TH bxa8=TH+

TEP24
Manfred Rittirsch
Problemkiste 2000

ser-s\# 10
Princess h2
4.axb7 9.g8=PR 10.b8=PR+

TEP20
Manfred Rittirsch
Norbert Geissler

ser-s\# 10
Ubi-ubi a8
4.b7 8.gxh7 9.h8=BS
10.bxa8=BS+

## TEP25

Manfred Rittirsch
Problemkiste 2000

ser-s\# 10
Amazon h3
4.axb7 9.g8=AM 10.b8=AM+

## TEP26

Manfred Rittirsch
Problemkiste 2001
In memory of Werner Speckmann

ser-s\# 10
Octopus h3
$4 . \operatorname{axb} 79 . \mathrm{g} 8=\mathrm{OC} 10 . \mathrm{b} 8=\mathrm{OC}+$

Amazon: queen + knight.
Bison: 3:1+3:2-leaper (= camel + zebra).
Boy Scout: 1:1-spiral rider = zigzag bishop.
Camel: 3:1-leaper.
Cardinal: Line piece moving like a bishop, additionally reflecting by $90^{\circ}$ at the edge of the board in the corner of the ultimate square, thus changing the square colour.
Contra-grasshopper: Same as Grasshopper, but the hurdle must be adjacent to the CG, whereas the distance of the arrival square to the hurdle is arbitrary.
Double-grasshopper: Allowed and obliged to make 2 consecutive grasshopper leaps, where the first one must not capture.
Eagle: Same as grasshopper, but deviating by $90^{\circ}$ over the hurdle.
Giraffe: 4:1-leaper.
Girl Scout: 0:1-diagonal spiral rider $=$ zigzag rook.
Gnu: 2:1+3:1-leaper (= knight + camel ).
Grasshopper: Moves on queen lines over a random piece (hurdle) to the square adjacent to that piece in the same direction.
Hamster: Same as grasshopper, but deviating by $180^{\circ}$ over the hurdle.
Kangaroo: Same as grasshopper, but needs exactly 2 hurdles on the same line that do not need to be in juxtaposition with each other.
Lion: Same as grasshopper, but the distance of the arrival square to the hurdle is arbitrary.
Marguerite: Same as grasshopper, but deviating by any angle over the hurdle ( $=$ grasshopper + moose + eagle + sparrow + hamster $)$.
Moose: Same as grasshopper, but deviating by $45^{\circ}$ over the hurdle.
Nightrider: Makes any number of $2: 1$-steps on a straight line without capturing before the last step.
Octopus (German: Krake): rook +1:1+2:1-leaper.
Okapi: 2:1+3:2-leaper (= knight + zebra) .
Princess: bishop + knight.
Rose: Same as nightrider, but changing direction in every 2:1-step by the same minimum angle, thus moving in 2:1-steps on a circle.
Sparrow: Same as grasshopper, but deviating by $135^{\circ}$ over the hurdle.
Trojan horse (CAT): Starts with a 2:1-step and is able to step further parallel to the 2:0 component of that step according to a dabbaba rider (= in 2:0-steps) up to an obstacle (edge of the board or piece) in the same move.
Ubi-ubi: Makes any number of consecutive $2: 1$-steps in a single move without capturing before the last step.
Zebu: 3:1+4:1-leaper (= camel + giraffe).

## UNIT COUNT TABLE

| FAIRY PIECE | UNIT COUNT (w) | UNIT COUNT (b) | UNIT COUNT (total) |
| :---: | :---: | :---: | :---: |
| Amazon | 3 | 4 | $\mathbf{7}$ |
| Bison | 4 | 5 | $\mathbf{9}$ |
| Boy scout | 3 | 5 | $\mathbf{8}$ |
| Camel | 5 | 7 | $\mathbf{1 2}$ |
| Cardinal | 3 | 5 | $\mathbf{8}$ |
| Contra-grasshopper | 5 | 5 | $\mathbf{1 0}$ |
| Double-grashopper | 6 | 4 | $\mathbf{1 0}$ |
| Eagle | 6 | 4 | $\mathbf{1 0}$ |
| Giraffe | 5 | 7 | $\mathbf{1 2}$ |
| Girl scout | 4 | 3 | $\mathbf{7}$ |
| Gnu | 5 | 7 | $\mathbf{1 2}$ |
| Grasshopper | 4 | 6 | $\mathbf{1 0}$ |
| Hamster | 5 | 10 | $\mathbf{1 5}$ |
| Kangaroo | 7 | 3 | $\mathbf{1 0}$ |
| Lion | 4 | 6 | $\mathbf{1 0}$ |
| Marguerite | 5 | 6 | $\mathbf{1 1}$ |
| Moose | 4 | 5 | $\mathbf{9}$ |
| Nightrider | 5 | 6 | $\mathbf{1 1}$ |
| Octopus | 3 | 5 | $\mathbf{9}$ |
| Okapi | 4 | 5 | $\mathbf{9}$ |
| Princess | 4 | 5 | $\mathbf{9}$ |
| Rpare | 5 | 4 | $\mathbf{1 0}$ |
| Trojan horse | 3 | 7 | $\mathbf{1 2}$ |
| Ubi-ubi | 5 | 7 | $\mathbf{1 2}$ |
| Zebu | 3 | 9 | $\mathbf{1 2}$ |

## Series-mover Artists: Zdravko Maslar

by Arno Tüngler
"As componist Zdravko Maslar, who is an International Master for Chess Composition, quite early concentrated on helpmates, especially longmovers, often realizing tasks that at the same time almost never contained the typical weaknesses of tasks, but on the contrary are mostly very elegant with a somewhat pointed solution."

- Thomas Brand, "feenschach" September/October 2012



Zdravko Maslar
Photo credit \& copyright: bernd ellinghoven (Andernach, 2010) Prisma processing: Cornel Pacurar

## ARTICLES

Arno Tüngler<br>Series-mover Artists: Zdravko Maslar

As many other problemists I became acquainted with Zdravko in Andernach, his home town for decades, at one of the famous Andernach meetings for fairy chess enthusiasts. It is amazing that he has followed up on the tradition of these yearly meetings now already for more than 40 years and they obviously have not lost their attraction. While not being his main field of composing activity, series-movers have been on his mind now and again and he has achieved great tasks, especially with multiple promotions. In June of this year his own book with the revealing title "Atelier 64" was published in the very attractive Editions FEE=NIX series by bernd ellinghoven. A highly recommended collection of real chessart (180 diagrams) commented by his friends in German, English, French, and Russian and with many photos. It also includes seriesmovers and some of those you can enjoy here.

The first three problems show the full promotion task (Allumwandlung) in different series genres but with great skill in enforcing the order of moves. As usual in Maslar's pieces the different units change all the time their participation in the game and there are no long sequences by one unit. John M. Rice commented on $\mathbf{Z M}-\mathbf{2}$ in the book: "Allumwandlung in seriesmovers has long appealed to composers, but it is only in the last couple of decades that their constructional skill has reached a point where the effect could be achieved with no sense of strain. In this problem Zdravko has made it harder to eliminate cooks by including two full pieces in the position, as well as the pawns that must either promote or hem in the black force. The sequence of moves is skillfully arranged and by no means obvious".

The next three problems also have promotion tasks as their main content but now we see multiple promotions into the same unit! ZM-4 was commented by Miloš Tomašević himself: "The four promotions to black queens in a rex-solus series-helpstalemate surely cannot be beaten as record. Absolutely unbelievable that such a position can be correct. This achievement deserves more than a courteous Bravo!". As it turned out, the problem was in fact cooked, but not yet this correction. If you try, you will probably even more appreciate the author's skill... The next problem demonstrates 7 unbelievable white rook promotions in a series-self-stalemate! And my absolute favourite promotion task is ZM-6. Let me repeat the comment that I posted in August 2015 on the MatPlus forum: "Probably you will only be able to understand my excitement for the problem if you solve it yourself - as I did in 1989 - without knowing what the author had planned. The idea of trying bishop promotions came after some time but then, how can this have a unique move-order?? With rook promotion it is "so easy", but bishops...?" My comment in the solutions for the original cooked problem was then: "What should we say to that? A terrific idea in indescribable elegant design with a brilliant solution-mechanism that almost entirely dispenses with the usual blocking units in series-movers. A piece that makes you think of ceasing composition activity as anyhow such composing height seems out of reach. A perfect problem, not spoiled even by the cook as this seems easily avoidable" (my translation from German). I still agree...

Born 1932 in Serbia, Zdravko continues to compose chess fairy tales and has quite a few open tasks still to achieve on his to-do list. We wish him all the best in these attempts!

## ZM-1

Zdravko Maslar
Probleemblad 1980
$2^{\text {nd }}$ Honourable Mention


## ZM-2

Zdravko Maslar

## feenschach 1985


ser-h= 21
$(1+10)$


Zdravko Maslar (Andernach, 2010)
Photo credit \& copyright: bernd ellinghoven

## ZM-3

Zdravko Maslar

ser-h\# 8
$\mathrm{C}+(3+7)$ ser-h= 26

## Zdravko Maslar

Correction 2003
$(1+14)=$

ZM-5
Zdravko Maslar
ser-s=33


## ZM-6

Zdravko Maslar
feenschach 1989
$1^{\text {st }}$ Prize

$(13+9)$ ser-s= 34
-6
avko Maslar
Prize 1989
icated to Peter
$(14+8)$

ZM-4

ZM-5: 1.b7-b8=R 2.Rb8-b5 3.Rd8-b8 4.d7-d8=R 5.Rf7-a7 $7 . f 7 \times \mathrm{g} 8=\mathrm{R} 8 . \mathrm{Rg} 8-\mathrm{f} 89 . \mathrm{g} 7-\mathrm{g} 8=\mathrm{R} 11 . \mathrm{Rg} 7-\mathrm{b} 7$ 13.g7-g8=R 15.Rg6a6 18.g7-g8=R 20.Rg6-b6 22.Ke6-d6 23.Bh3-c8 28.g7-g8=R 30.Rg7-c7 31.Rd8-d7 32.Kd6-c6 33.Rf8-f4+ Sd3×f4 =

ZM-6: 1.d7-d8=B 2.d6-d7 3.d5-d6 4.d4-d5 6.Sd4-e6 7.e7 $\times f 8=B$ 8.Bf8-h6 9.f7-f8=B 10.f6-f7 11.Bd8-h4 12.d7-d8=B 13.d6-d7 14.d5-d6 15.Ke5-d5 17.Sg5-h7 18.Ld8-g5 19.d7-d8=B 20.d6-d7 21.Ra6-g6 23.a6×b7 24.b7-b8=B 26.Be5-h8 27.Bf8-g7 28.f7-f8=B 29.Rf5-f7 30.Bd8-f6 31.d7-d8=B 32.Bd8-e7 33.Kd5-e5 34.Qa2$c 4+K d 3 \times c 4=$

## Solutions:

ZM-1: 1.b7-b8=R 2.Rb8-h8 3.c7-c8=B 4.c6-c7 5.d7-d8=S 7.Be6-g8 8.Sd8-f7 9.c7-c8=Q 10.Qc8-f5 + Sh4×f5 =

ZM-2: 1.a2-a1=B 2.Ba1-b2 3.Rf1-a1 4.f2-f1=R 5.Rf1-b1 6.Kg1f1 7.g2-g1=S 8.Sg1-e2 9.Qh4-e1 13.h2-h1=Q 15.Qa8-a2 16.Bb2a3 17.Rb1-b2 18.Qe1-b1 21.Kd1-c1 Ke3×e2 =

ZM-3: 1.f2-f1=B 2.b2×a1=R 3.Ra1-b1 4.a2-a1=Q 6.Qa6-c8 7.Rb1-b7 8.Bf1-a6 d7×c8=S \#

ZM-4: 1.a2-a1=Q 3.Qa4-d1 7.a2-a1=Q 9.Qa6-f1 14.a2-a1=Q 15.Qa1-a6 16.b2-b1=Q 18.Qh7-h2 19.Bg2-h3 20.Rf2-g2 21.Bg1f2 22.Qf1-g1 23.Qa6-f1 24.Re1-e2 25.Qd1-e1 26.Kc1-d1 Kc3-b2

Arno Tüngler Bishkek, December $23^{\text {rd }}$, 2016

## Locust Length Records

by Jaroslav Štúň \& Sébastien Luce


"Sometimes I wonder what we're doing here.
grown men making mud pies to sell to the great unwashed." - Claude Estee, The Day of the Locust


Locust (Cornel Pacurar - Isometric, Prisma, PS Express and Union for iPhone, 2016)

## Enemy Sentinels Direct－Series Length Records With White Locust Against Black Pawns Only

## Jaroslav Štúñ

Following the Graffiti in Black II article，we had the idea of exploring a new area： locust and pawns，without the kings．

## LLR0（1＋1）

With a white locust and a single black pawn，the length record is 6 moves． However，there are numerous positions which allow for a unique solution．

LLR1（1＋2）
Jaroslav Štúň

## Original


ser－$=12$

$$
\mathrm{C}+(1+2)
$$

Enemy Sentinels
b）$g \rightarrow f 5$
哷＝Locust
a） $1 . \mathrm{Lg} 5 \times \mathrm{f} 4-\mathrm{e} 3[+\mathrm{bPg} 5] \quad 2 . \mathrm{Le} 3 \times \mathrm{g} 5-$ $\mathrm{h} 6[+\mathrm{bPe} 3] \quad 3 . \mathrm{Lh} 6 \times \mathrm{e} 3-\mathrm{d} 2[+\mathrm{bPh} 6]$ 4．Ld2 $\times \mathrm{e} 2-\mathrm{f} 2[+\mathrm{bPd} 2] \quad 5 . \mathrm{Lf} 2 \times \mathrm{d} 2-$ $\mathrm{c} 2[+\mathrm{bPf} 2] \quad 6 . \mathrm{Lc} 2 \times \mathrm{f} 2-\mathrm{g} 2[+\mathrm{bPc} 2]$ 7． $\mathrm{Lg} 2 \times \mathrm{c} 2-\mathrm{b} 2[+\mathrm{bPg} 2] \quad 8 . \mathrm{Lb} 2 \times \mathrm{g} 2-$ $\mathrm{h} 2[+\mathrm{bPb} 2] \quad 9 . \mathrm{Lh} 2 \times \mathrm{h} 6-\mathrm{h} 7[+\mathrm{bPh} 2]$ $10 . \mathrm{Lh} 7 \times \mathrm{h} 2-\mathrm{h} 1[+\mathrm{bPh} 7] \quad 11 . \mathrm{Lh} 1 \times \mathrm{h} 7-\mathrm{h} 8$ 12．Lh $8 \times \mathrm{b} 2-\mathrm{a} 1=$
b） $1 . \mathrm{Lf} 5 \times \mathrm{f} 4-\mathrm{f} 3[+\mathrm{bPf} 5] \quad 2 . \mathrm{Lf} 3 \times \mathrm{ff}-$ f6［＋bPf3］3．Lf6 $\times$ f3－f2［＋bPf6］4．Lf2 $\times$ e2－ $\mathrm{d} 2[+\mathrm{bPf} 2] \quad 5 . \mathrm{Ld} 2 \times \mathrm{f} 2-\mathrm{g} 2[+\mathrm{bPd} 2]$ $6 . \mathrm{Lg} 2 \times \mathrm{d} 2-\mathrm{c} 2[+\mathrm{bPg} 2] \quad 7 . \mathrm{Lc} 2 \times \mathrm{g} 2-$ $\mathrm{h} 2[+\mathrm{bPc} 2] \quad 8 . \mathrm{Lh} 2 \times \mathrm{c} 2-\mathrm{b} 2[+\mathrm{bPh} 2]$ $9 . \mathrm{Lb} 2 \times \mathrm{f} 6-\mathrm{g} 7[+\mathrm{bPb} 2] \quad 10 . \mathrm{Lg} 7 \times \mathrm{b} 2-$ $\mathrm{a} 1[+\mathrm{bPg} 7]$ 11．La1 $\times \mathrm{g} 7-\mathrm{h} 8$ 12．Lh $8 \times \mathrm{h} 2-$ $\mathrm{h} 1=$

Exchange of $3^{\text {rd }}$ and $4^{\text {th }}$ white moves．A graphical representation of the first solution is two isosceles triangles having the hypotenuses on two different diagonals（b2－h8 and d2－h6）．In the second solution，there are again two isosceles triangles，with the hypotenuses on the same diagonal now（b2－f6 and b2－h8）．
An interesting feature of the next problem（with the three pawns）is that the locust moves along the diagonal only once（Lh $1 \times \mathrm{b} 7-\mathrm{a} 8$ ）．

LLR2（1＋3）
Jaroslav Štúň
Original


Enemy Sentinels
撼＝Locust

LLR3（1＋4）
Jaroslav Štúň
Original

ser－＝ 26
Enemy Sentinels
哙＝Locust

1．Lb5×e5－f5［＋bPb5］2．Lf5 $\times \mathrm{ff} 4-$ f3［＋bPf5］3．Lf3×f5－f6［＋bPf3］4．Lf6×e6－ d6［＋bPf6］$\quad 5 . L d 6 \times f 6-\mathrm{g} 6[+\mathrm{bPd} 6]$ $6 . \mathrm{Lg} 6 \times \mathrm{d} 6-\mathrm{c} 6[+\mathrm{bPg} 6] \quad 7 . \mathrm{Lc} 6 \times \mathrm{g} 6-$ $\mathrm{h} 6[+\mathrm{bPc} 6] \quad 8 . \mathrm{Lh} 6 \times \mathrm{c} 6-\mathrm{b} 6[+\mathrm{bPh} 6]$ $9 . \mathrm{Lb} 6 \times \mathrm{b} 5-\mathrm{b} 4[+\mathrm{bPb} 6] \quad 10 . \mathrm{Lb} 4 \times \mathrm{b} 6-$ $\mathrm{b} 7[+\mathrm{bPb} 4] \quad 11 . \mathrm{Lb} 7 \times \mathrm{b} 4-\mathrm{b} 3[+\mathrm{bPb} 7]$ $12 . \mathrm{Lb} 3 \times \mathrm{f} 3-\mathrm{g} 3[+\mathrm{bPb} 3] \quad 13 . \mathrm{Lg} 3 \times \mathrm{b} 3-$ a3［＋bPg3］ $14 . \mathrm{La} 3 \times \mathrm{g} 3-\mathrm{h} 3[+\mathrm{bPa} 3]$ 15．Lh3 $\times$ h $6-\mathrm{h} 7[+\mathrm{bPh} 3] \quad$ 16．Lh7 $\times \mathrm{h} 3-$ $\mathrm{h} 2[+\mathrm{bPh} 7] \quad 17 . \mathrm{Lh} 2 \times \mathrm{h} 7-\mathrm{h} 8[+\mathrm{bPh} 2]$ $18 . \mathrm{Lh} 8 \times \mathrm{h} 2-\mathrm{h} 1$ 19．Lh1 $\times$ b7－a8 $20 . \mathrm{La} 8 \times \mathrm{a} 3-$ $\mathrm{a} 2=$

1． $\mathrm{Ld} 2 \times \mathrm{d} 4-\mathrm{d} 5[+\mathrm{bPd} 2] \quad 2 . \mathrm{Ld} 5 \times \mathrm{c} 4-$ $\mathrm{b} 3[+\mathrm{bPd} 5] \quad 3 . \mathrm{Lb} 3 \times \mathrm{c} 3-\mathrm{d} 3[+\mathrm{bPb} 3]$ $4 . \mathrm{Ld} 3 \times \mathrm{e} 4-\mathrm{ff} 5[+\mathrm{bPd} 3] \quad 5 . \mathrm{Lf} 5 \times \mathrm{d} 5-$ $\mathrm{c} 5[+\mathrm{bPf} 5] \quad 6 . \mathrm{Lc} 5 \times \mathrm{f} 5-\mathrm{g} 5[+\mathrm{bPc} 5]$ 7．Lg5×c5－b5［＋bPg5］8．Lb5×d3－ $\mathrm{e} 2[+\mathrm{bPb} 5] \quad 9 . \mathrm{Le} 2 \times \mathrm{d} 2-\mathrm{c} 2[+\mathrm{bPe} 2]$ $10 . \mathrm{Lc} 2 \times \mathrm{e} 2-\mathrm{f} 2[+\mathrm{bPc} 2] \quad 11 . \mathrm{Lf} 2 \times \mathrm{c} 2-$ $\mathrm{b} 2[+\mathrm{bPf} 2] \quad 12 . \mathrm{Lb} 2 \times \mathrm{b} 3-\mathrm{b} 4[+\mathrm{bPb} 2]$ $13 . \mathrm{Lb} 4 \times \mathrm{b} 5-\mathrm{b} 6[+\mathrm{bPb} 4] \quad 14 . \mathrm{Lb} 6 \times \mathrm{b} 4-$ $\mathrm{b} 3[+\mathrm{bPb} 6] \quad 15 . \mathrm{Lb} 3 \times \mathrm{b} 2-\mathrm{b} 1[+\mathrm{bPb} 3]$ $16 . \mathrm{Lb} 1 \times \mathrm{b} 3-\mathrm{b} 4 \quad 17 . \mathrm{Lb} 4 \times \mathrm{b} 6-\mathrm{b} 7[+\mathrm{bPb} 4]$ $18 . \mathrm{Lb} 7 \times \mathrm{b} 4-\mathrm{b} 3[+\mathrm{bPb} 7] \quad 19 . \mathrm{Lb} 3 \times \mathrm{b} 7-$ b $8[+\mathrm{bPb} 3] 20 . \mathrm{Lb} 8 \times \mathrm{b} 3-\mathrm{b} 2$ 21．Lb $2 \times \mathrm{f} 2-$ $\mathrm{g} 2[+\mathrm{bPb} 2] \quad 22 . \mathrm{Lg} 2 \times \mathrm{g} 5-\mathrm{g} 6[+\mathrm{bPg} 2]$ $23 . \operatorname{Lg} 6 \times \mathrm{g} 2-\mathrm{g} 1[+\mathrm{bPg} 6] \quad 24 . \mathrm{Lg} 1 \times \mathrm{g} 6-\mathrm{g} 7$ 25．Lg7×b2－a1［＋bPg7］$\quad 26 . \mathrm{La} 1 \times \mathrm{g} 7-\mathrm{h} 8$ ＝

Of the two initial positions with four black pawns, I chose the problem above. In all problems that follow, the Locust moves to all four corners.

LLR4 (1+5)
Jaroslav Štúň
Original

ser- $=35$
Enemy Sentinels
= Locust

LLR5 (1+6)
Jaroslav Štúñ
Original


LLR4: $\quad$ 1.La4 $\times \mathrm{b} 4-\mathrm{c} 4[+\mathrm{bPa} 4] \quad 2 . \mathrm{Lc} 4 \times \mathrm{d} 4-\mathrm{e} 4[+\mathrm{bPc} 4] \quad 3 . \mathrm{Le} 4 \times \mathrm{f} 4-\mathrm{g} 4[+\mathrm{bPe} 4]$ $4 . \mathrm{Lg} 4 \times \mathrm{e} 4-\mathrm{d} 4[+\mathrm{bPg} 4] \quad 5 . \mathrm{Ld} 4 \times \mathrm{g} 4-\mathrm{h} 4[+\mathrm{bPd} 4] \quad 6 . \mathrm{Lh} 4 \times \mathrm{g} 5-\mathrm{f} 6[+\mathrm{bPh} 4] \quad 7 . \mathrm{Lf} 6 \times \mathrm{e} 6-$ d6[+bPf6] 8.Ld6×f6-g6[+bPd6] 9.Lg6×d6-c6[+bPg6] 10.Lc6×c4-c3[+bPc6] 11. $\mathrm{Lc} 3 \times \mathrm{d} 4-\mathrm{e} 5[+\mathrm{bPc} 3]$ 12.Le $5 \times \mathrm{c} 3-\mathrm{b} 2[+\mathrm{bPe} 5]$ 13.Lb2×e5-f6[+bPb2] 14.Lf6×g6h6[+bPf6] 15.Lh6×f6-e6[+bPh6] 16.Le6×c6-b6[+bPe6] 17.Lb6×e6-f6[+bPb6] 18.Lf6×b6-a6[+bPf6] 19.La6×a4-a3[+bPa6] 20.La3×a6-a7[+bPa3] 21.La7×a3$\mathrm{a} 2[+\mathrm{bPa} 7] \quad 22 . \mathrm{La} 2 \times \mathrm{a} 7-\mathrm{a} 8[+\mathrm{bPa} 2] \quad 23 . \mathrm{La} 8 \times \mathrm{a} 2-\mathrm{a} 1 \quad 24 . \mathrm{La} 1 \times \mathrm{b} 2-\mathrm{c} 3 \quad 25 . \mathrm{Lc} 3 \times \mathrm{f} 6-$ $\mathrm{g} 7[+\mathrm{bPc} 3] \quad 26 . \mathrm{Lg} 7 \times \mathrm{c} 3-\mathrm{b} 2[+\mathrm{bPg} 7] \quad 27 . \mathrm{Lb} 2 \times \mathrm{g} 7-\mathrm{h} 8[+\mathrm{bPb} 2] \quad 28 . \mathrm{Lh} 8 \times \mathrm{h} 6-\mathrm{h} 5$ 29.Lh5 $\times$ h4-h3[+bPh5] 30.Lh3 $\times$ h5-h6[+bPh3] 31.Lh6 $\times$ h3-h2[+bPh6] 32.Lh $2 \times$ h6$\mathrm{h} 7[+\mathrm{bPh} 2] 33 . \mathrm{Lh} 7 \times \mathrm{h} 2-\mathrm{h} 1[+\mathrm{bPh} 7] 34 . \mathrm{Lh} 1 \times \mathrm{h} 7-\mathrm{h} 835 . \mathrm{Lh} 8 \times \mathrm{b} 2-\mathrm{a} 1=$
LLR5: $\quad$ 1.Lb $4 \times \mathrm{c} 3-\mathrm{d} 2[+\mathrm{bPb} 4] \quad 2 . \mathrm{Ld} 2 \times \mathrm{b} 4-\mathrm{a} 5[+\mathrm{bPd} 2] \quad 3 . \mathrm{La} 5 \times \mathrm{d} 5-\mathrm{e} 5[+\mathrm{bPa} 5]$ $4 . \mathrm{Le} 5 \times \mathrm{d} 4-\mathrm{c} 3[+\mathrm{bPe} 5] \quad 5 . \mathrm{Lc} 3 \times \mathrm{d} 3-\mathrm{e} 3[+\mathrm{bPc} 3] \quad 6 . \mathrm{Le} 3 \times \mathrm{c} 3-\mathrm{b} 3[+\mathrm{bPe} 3] \quad 7 . \mathrm{Lb} 3 \times \mathrm{c} 4-$ $\mathrm{d} 5[+\mathrm{bPb} 3] \quad 8 . \mathrm{Ld} 5 \times \mathrm{e} 5-\mathrm{f} 5[+\mathrm{bPd} 5] \quad 9 . \mathrm{Lf} 5 \times \mathrm{d} 5-\mathrm{c} 5[+\mathrm{bPf} 5] \quad 10 . \mathrm{Lc} 5 \times \mathrm{e} 3-\mathrm{f} 2[+\mathrm{bPc} 5]$ 11.Lf2 $2 \mathrm{c} 5-\mathrm{b} 6[+\mathrm{bPf} 2] 12 . \mathrm{Lb} 6 \times \mathrm{b} 3-\mathrm{b} 2[+\mathrm{bPb} 6] 13 . \mathrm{Lb} 2 \times \mathrm{d} 2-\mathrm{e} 2[+\mathrm{bPb} 2] 14 . \mathrm{Le} 2 \times \mathrm{f} 2-$ $\mathrm{g} 2[+\mathrm{bPe} 2]$ 15.Lg2×e2-d2[+bPg2] 16.Ld2×b2-a2[+bPd2] 17.La2×a5-a6[+bPa2] 18.La6×a2-a1[+bPa6] 19.La1×a6-a7 20.La7×b6-c5[+bPa7] 21.Lc5 $5 \times \mathrm{f} 5-\mathrm{g} 5[+\mathrm{bPc} 5]$ $22 . \operatorname{Lg} 5 \times \mathrm{c} 5-\mathrm{b} 5[+\mathrm{bPg} 5] 23 . \mathrm{Lb} 5 \times \mathrm{g} 5-\mathrm{h} 5[+\mathrm{bPb} 5] 24 . \mathrm{Lh} 5 \times \mathrm{h} 4-\mathrm{h} 3[+\mathrm{bPh} 5] 25 . \mathrm{Lh} 3 \times \mathrm{h} 5-$
h6[+bPh3] 26.Lh6 $\times \mathrm{h} 3-\mathrm{h} 2[+\mathrm{bPh} 6] 27 . \mathrm{Lh} 2 \times \mathrm{g} 2-\mathrm{f} 2[+\mathrm{bPh} 2] 28 . \mathrm{Lf} 2 \times \mathrm{d} 2-\mathrm{c} 2[+\mathrm{bPf} 2]$ $29 . \mathrm{Lc} 2 \times \mathrm{f} 2-\mathrm{g} 2[+\mathrm{bPc} 2] 30 . \mathrm{Lg} 2 \times \mathrm{c} 2-\mathrm{b} 2[+\mathrm{bPg} 2] 31 . \mathrm{Lb} 2 \times \mathrm{b} 5-\mathrm{b} 6[+\mathrm{bPb} 2] 32 . \mathrm{Lb} 6 \times \mathrm{b} 2-$ $\mathrm{b} 1[+\mathrm{bPb} 6] \quad 33 . \mathrm{Lb} 1 \times \mathrm{b} 6-\mathrm{b} 7$ 34.Lb7×g2-h1[+bPb7] $35 . \mathrm{Lh} 1 \times \mathrm{h} 2-\mathrm{h} 336 . \mathrm{Lh} 3 \times \mathrm{h} 6-$ $\mathrm{h} 7[+\mathrm{bPh} 3] \quad 37 . \mathrm{Lh} 7 \times \mathrm{h} 3-\mathrm{h} 2[+\mathrm{bPh} 7] \quad 38 . \mathrm{Lh} 2 \times \mathrm{h} 7-\mathrm{h} 8[+\mathrm{bPh} 2] \quad 39 . \mathrm{Lh} 8 \times \mathrm{h} 2-\mathrm{h} 1$ $40 . \mathrm{Lh} 1 \times \mathrm{b} 7-\mathrm{a} 841 . \mathrm{La} 8 \times \mathrm{a} 7-\mathrm{a} 6=$

LLR6 (1+7)
Jaroslav Štúň
Original

ser- $=44$
$\mathrm{C}+(1+7)$
Enemy Sentinels
塊= Locust

LLR7 ( $1+8$ ) Jaroslav Štúň Original

ser- $=48$
$\mathrm{C}+(1+8)$
Enemy Sentinels
哈= Locust

LLR6: $\quad$ 1. $\mathrm{Lg} 7 \times \mathrm{g} 6-\mathrm{g} 5[+\mathrm{bPg} 7] \quad 2 . \operatorname{Lg} 5 \times \mathrm{g} 7-\mathrm{g} 8[+\mathrm{bPg} 5] \quad 3 . \mathrm{Lg} 8 \times \mathrm{g} 5-\mathrm{g} 4 \quad 4 . \mathrm{Lg} 4 \times \mathrm{f} 3-$ $\mathrm{e} 2[+\mathrm{bPg} 4] \quad$ 5.Le $2 \times \mathrm{g} 4-\mathrm{h} 5[+\mathrm{bPe} 2] \quad$ 6.Lh5 $\times \mathrm{e} 5-\mathrm{d} 5[+\mathrm{bPh} 5] \quad 7 . \mathrm{Ld} 5 \times \mathrm{e} 4-\mathrm{f} 3[+\mathrm{bPd} 5]$ 8.Lf3 $\times \mathrm{e} 3-\mathrm{d} 3[+\mathrm{bPf} 3] \quad 9 . \mathrm{Ld} 3 \times \mathrm{f} 3-\mathrm{g} 3[+\mathrm{bPd} 3] \quad 10 . \mathrm{Lg} 3 \times \mathrm{f} 4-\mathrm{e} 5[+\mathrm{bPg} 3] \quad$ 11.Le $5 \times \mathrm{d} 5-$ $\mathrm{c} 5[+\mathrm{bPe} 5]$ 12.Lc $5 \times \mathrm{e} 5-\mathrm{f} 5[+\mathrm{bPc} 5] \quad 13 . \mathrm{Lf} 5 \times \mathrm{d} 3-\mathrm{c} 2[+\mathrm{bPf} 5] \quad 14 . \mathrm{Lc} 2 \times \mathrm{f} 5-\mathrm{g} 6[+\mathrm{bPc} 2]$ 15.Lg6×g3-g2[+bPg6] 16.Lg2×e2-d2[+bPg2] 17.Ld2×c2-b2[+bPd2] 18.Lb2×d2$\mathrm{e} 2[+\mathrm{bPb} 2]$ 19.Le $2 \times \mathrm{g} 2-\mathrm{h} 2[+\mathrm{bPe} 2]$ 20.Lh $2 \times \mathrm{h} 5-\mathrm{h} 6[+\mathrm{bPh} 2] 21 . \mathrm{Lh} 6 \times \mathrm{h} 2-\mathrm{h} 1[+\mathrm{bPh} 6]$ $22 . \mathrm{Lh} 1 \times \mathrm{h} 6-\mathrm{h} 723 . \mathrm{Lh} 7 \times \mathrm{g} 6-\mathrm{f} 5[+\mathrm{bPh} 7] 24 . \mathrm{Lf} 5 \times \mathrm{c} 5-\mathrm{b} 5[+\mathrm{bPf} 5] 25 . \mathrm{Lb} 5 \times \mathrm{f} 5-\mathrm{g} 5[+\mathrm{bPb} 5]$ 26.Lg $5 \times \mathrm{b} 5-\mathrm{a} 5[+\mathrm{bPg} 5] 27 . \mathrm{La} 5 \times \mathrm{a} 4-\mathrm{a} 3[+\mathrm{bPa} 5] 28 . \mathrm{La} 3 \times \mathrm{a} 5-\mathrm{a} 6[+\mathrm{bPa} 3] 29 . \mathrm{La} 6 \times \mathrm{a} 3-$ $\mathrm{a} 2[+\mathrm{bPa} 6] \quad 30 . \mathrm{La} 2 \times \mathrm{b} 2-\mathrm{c} 2[+\mathrm{bPa} 2] \quad 31 . \mathrm{Lc} 2 \times \mathrm{e} 2-\mathrm{f} 2[+\mathrm{bPc} 2] \quad 32 . \mathrm{Lf} 2 \times \mathrm{c} 2-\mathrm{b} 2[+\mathrm{bPf} 2]$ $33 . \mathrm{Lb} 2 \times \mathrm{f} 2-\mathrm{g} 2[+\mathrm{bPb} 2] 34 . \mathrm{Lg} 2 \times \mathrm{g} 5-\mathrm{g} 6[+\mathrm{bPg} 2] 35 . \mathrm{Lg} 6 \times \mathrm{g} 2-\mathrm{g} 1[+\mathrm{bPg} 6] 36 . \mathrm{Lg} 1 \times \mathrm{g} 6-$ g7 37.Lg7×b2-a1[+bPg7] 38.La1×a2-a3 39.La3×a6-a7[+bPa3] 40.La7×a3$\mathrm{a} 2[+\mathrm{bPa} 7] 41 . \mathrm{La} 2 \times \mathrm{a} 7-\mathrm{a} 8[+\mathrm{bPa} 2] 42 . \mathrm{La} 8 \times \mathrm{a} 2-\mathrm{a} 143 . \mathrm{La} 1 \times \mathrm{g} 7-\mathrm{h} 844 . \mathrm{Lh} 8 \times \mathrm{h} 7-\mathrm{h} 6=$
LLR7: $\quad 1 . \mathrm{Lc} 5 \times \mathrm{c} 4-\mathrm{c} 3[+\mathrm{bPc} 5] \quad 2 . \mathrm{Lc} 3 \times \mathrm{c} 5-\mathrm{c} 6[+\mathrm{bPc} 3] \quad 3 . \mathrm{Lc} 6 \times \mathrm{c} 3-\mathrm{c} 2[+\mathrm{bPc} 6]$ $4 . \mathrm{Lc} 2 \times \mathrm{c} 6-\mathrm{c} 7[+\mathrm{bPc} 2] \quad 5 . \mathrm{Lc} 7 \times \mathrm{c} 2-\mathrm{c} 1[+\mathrm{bPc} 7] \quad 6 . \mathrm{Lc} 1 \times \mathrm{c} 7-\mathrm{c} 8 \quad 7 . \mathrm{Lc} 8 \times \mathrm{f} 5-\mathrm{g} 4 \quad 8 . \mathrm{Lg} 4 \times \mathrm{f} 3-$
$\mathrm{e} 2[+\mathrm{bPg} 4]$ 9．Le $2 \times \mathrm{g} 4-\mathrm{h} 5[+\mathrm{bPe} 2]$ 10．Lh5 $\times \mathrm{e} 5-\mathrm{d} 5[+\mathrm{bPh} 5]$ 11．Ld5 $\times \mathrm{e} 4-\mathrm{f} 3[+\mathrm{bPd} 5]$ $12 . \mathrm{Lf} 3 \times \mathrm{e} 3-\mathrm{d} 3[+\mathrm{bPf} 3] 13 . \mathrm{Ld} 3 \times \mathrm{f} 3-\mathrm{g} 3[+\mathrm{bPd} 3] \quad 14 . \mathrm{Lg} 3 \times \mathrm{f} 4-\mathrm{e} 5[+\mathrm{bPg} 3] \quad 15 . \mathrm{Le} 5 \times \mathrm{d} 5-$ $\mathrm{c} 5[+\mathrm{bPe} 5]$ 16．Lc5×e5－f5［＋bPc5］17．Lf5 $\times \mathrm{d} 3-\mathrm{c} 2[+\mathrm{bPf} 5] \quad 18 . \mathrm{Lc} 2 \times \mathrm{f} 5-\mathrm{g} 6[+\mathrm{bPc} 2]$ 19．Lg6×g3－g2［＋bPg6］20．Lg2×e2－d2［＋bPg2］21．Ld $2 \times \mathrm{c} 2-\mathrm{b} 2[+\mathrm{bPd} 2] 22 . \mathrm{Lb} 2 \times \mathrm{d} 2-$ $\mathrm{e} 2[+\mathrm{bPb} 2]$ 23．Le2 $\times \mathrm{g} 2-\mathrm{h} 2[+\mathrm{bPe} 2]$ 24．Lh2 $\times \mathrm{h} 5-\mathrm{h} 6[+\mathrm{bPh} 2] 25 . \mathrm{Lh} 6 \times \mathrm{h} 2-\mathrm{h} 1[+\mathrm{bPh} 6]$ 26．Lh1 $\times$ h6－h7 27．Lh7× 6 －f5［ $+\mathrm{bPh} 7] 28 . \mathrm{Lf} 5 \times \mathrm{c} 5-\mathrm{b} 5[+\mathrm{bPf} 5] 29 . \mathrm{Lb} 5 \times \mathrm{f} 5-\mathrm{g} 5[+\mathrm{bPb} 5]$ 30．Lg5×b5－a5［＋bPg5］31．La5×a4－a3［＋bPa5］32．La3×a5－a6［＋bPa3］33．La6×a3－ $\mathrm{a} 2[+\mathrm{bPa} 6] \quad 34 . \mathrm{La} 2 \times \mathrm{b} 2-\mathrm{c} 2[+\mathrm{bPa} 2] \quad 35 . \mathrm{Lc} 2 \times \mathrm{e} 2-\mathrm{f} 2[+\mathrm{bPc} 2] \quad 36 . \mathrm{Lf} 2 \times \mathrm{c} 2-\mathrm{b} 2[+\mathrm{bPf} 2]$ 37．Lb2×f2－g2［＋bPb2］38．Lg2×g5－g6［＋bPg2］39．Lg6×g2－g1［＋bPg6］40．Lg1×g6－ g7 41．Lg7×b2－a1［＋bPg7］42．La1×a2－a3 43．La3×a6－a7［＋bPa3］44．La7×a3－ $\mathrm{a} 2[+\mathrm{bPa} 7] 45 . \mathrm{La} 2 \times \mathrm{a} 7-\mathrm{a} 8[+\mathrm{bPa} 2] 46 . \mathrm{La} 8 \times \mathrm{a} 2-\mathrm{a} 147 . \mathrm{La} 1 \times \mathrm{g} 7-\mathrm{h} 848 . \mathrm{Lh} 8 \times \mathrm{h} 7-\mathrm{h} 6=$

## PWC Direct－Series Length Records With White Locust

 Against Black Pawns OnlyJaroslav Štúň \＆Sébastien Luce
LLR8（1＋2）
Sébastien Luce

## Jaroslav Štúň

## Original


ser－$=12$
$\mathrm{C}+(1+2)$
PWC
b）哈 $\mathrm{g} 5 \rightarrow \mathrm{f} 5$
噥 $=$ Locust
a）$\quad 1 . \mathrm{L} \times \mathrm{f} 4-\mathrm{e} 3(\mathrm{~g} 5) \quad 2 . \mathrm{L} \times \mathrm{g} 5-\mathrm{h} 6(\mathrm{e} 3)$ 3．L×e3－d2（h6）4．L×e2－f2（d2）5．L×d2－ $\mathrm{c} 2(\mathrm{f} 2) \quad 6 . \mathrm{L} \times \mathrm{f} 2-\mathrm{g} 2(\mathrm{c} 2) \quad 7 . \mathrm{L} \times \mathrm{c} 2-$ b2（g2）8．L×g2－h2（b2）9．L×h6－h7（h2） $10 . \mathrm{L} \times \mathrm{h} 2-\mathrm{h} 1(\mathrm{~h} 7) \quad 11 . \mathrm{L} \times \mathrm{h} 7-\mathrm{h} 8(\mathrm{Lh} 1)$ 12． $\mathrm{L} \times \mathrm{b} 2-\mathrm{a} 1(\mathrm{~h} 8)=$
b） $1 . \mathrm{L} \times \mathrm{f} 4-\mathrm{f} 3(\mathrm{f} 5) 2 . \mathrm{L} \times \mathrm{f} 5-\mathrm{f} 6(\mathrm{f} 3) 3 . \mathrm{L} \times \mathrm{f} 3-$ f2（f6）$\quad 4 . \mathrm{L} \times \mathrm{e} 2-\mathrm{d} 2(\mathrm{f} 2) \quad 5 . \mathrm{L} \times \mathrm{f} 2-\mathrm{g} 2(\mathrm{~d} 2)$ 6．L×d2－c2（g2）7．L×g2－h2（c2）8．L×c2－ b2（h2）9．L×f6－g7（b2）10．L×b2－a1（g7） 11．L×g7－h8（La1）12．L×h2－h1（h8）$=$

After the previous study，another idea followed naturally：why not try the same
challenge with the $P W C$ condition？！Here is the result of our joint effort．It is interesting that every time a pawn is added，the new record position differs substantially from the previous ones．
With a white locust and just one black pawn there are many possible sound positions，and we decided that there is no need to show these．

## LLR9（1＋3）

Sébastien Luce

## Jaroslav Štúň

## Original


ser－$=20$ $\mathrm{C}+(1+3)$
PWC
㽧＝Locust

LLR10（1＋4）
Sébastien Luce
Jaroslav Štúň
Original

ser－$=30$
$\mathrm{C}+(1+4)$
PWC
喚＝Locust

There are different $(1+3)$ versions in 20 moves．Our preference goes for the one above，showing Locust four－corners．
LLR9： $1 . \mathrm{L} \times \mathrm{d} 4-\mathrm{d} 5(\mathrm{~d} 3) \quad 2 . \mathrm{L} \times \mathrm{d} 3-\mathrm{d} 2(\mathrm{~d} 5) 3 . \mathrm{L} \times \mathrm{d} 5-\mathrm{d} 6(\mathrm{~d} 2) 4 . \mathrm{L} \times \mathrm{e} 6-\mathrm{f} 6(\mathrm{~d} 6) 5 . \mathrm{L} \times \mathrm{d} 6-$ c6（f6）6．L×f6－g6（c6）7．L×c6－b6（g6）8．L×g6－h6（b6）9．L×f4－e3（h6）10．L×b6－ a7（e3）11．L×e3－f2（a7）12．L×d2－c2（f2）13．L×f2－g2（c2）14．L×c2－b2（g2）15．L×g2－ h2（b2）16．L×h6－h7（h2）17．L×h2－h1（h7）18．L×h7－h8（Lh1）19．L×b2－a1（h8） $20 . \mathrm{L} \times \mathrm{a} 7-\mathrm{a} 8(\mathrm{La} 1)=\quad$ LLR10：$\quad 1 . \mathrm{L} \times \mathrm{d} 5-\mathrm{c} 5(\mathrm{e} 5) \quad 2 . \mathrm{L} \times \mathrm{e} 5-\mathrm{f} 5(\mathrm{c} 5) \quad 3 . \mathrm{L} \times \mathrm{c} 5-$ $\mathrm{b} 5(\mathrm{f} 5) 4 . \mathrm{L} \times \mathrm{c} 4-\mathrm{d} 3(\mathrm{~b} 5) 5 . \mathrm{L} \times \mathrm{c} 3-\mathrm{b} 3(\mathrm{~d} 3) 6 . \mathrm{L} \times \mathrm{d} 3-\mathrm{e} 3(\mathrm{~b} 3) 7 . \mathrm{L} \times \mathrm{b} 3-\mathrm{a} 3(\mathrm{e} 3) 8 . \mathrm{L} \times \mathrm{e} 3-\mathrm{f} 3(\mathrm{a} 3)$ 9．L×f5－f6（f3）$\quad 10 . \mathrm{L} \times \mathrm{f} 3-\mathrm{f} 2(\mathrm{f} 6) \quad 11 . \mathrm{L} \times \mathrm{c} 2-\mathrm{b} 2(\mathrm{f} 2) \quad 12 . \mathrm{L} \times \mathrm{f} 2-\mathrm{g} 2(\mathrm{~b} 2) \quad 13 . \mathrm{L} \times \mathrm{b} 2-\mathrm{a} 2(\mathrm{~g} 2)$ $14 . \mathrm{L} \times \mathrm{a} 3-\mathrm{a} 4(\mathrm{a} 2) 15 . \mathrm{L} \times \mathrm{b} 5-\mathrm{c} 6(\mathrm{a} 4) 16 . \mathrm{L} \times \mathrm{f} 6-\mathrm{g} 6(\mathrm{cc} 6) 17 . \mathrm{L} \times \mathrm{c} 6-\mathrm{b} 6(\mathrm{~g} 6) 18 . \mathrm{L} \times \mathrm{g} 6-\mathrm{h} 6(\mathrm{~b} 6)$ 19．L×b6－a6（h6）20．L×a4－a3（a6）21．L×a2－a1（a3）22．L×a3－a4（La1）23．L×a6－ a7（a4）24．L×a4－a3（a7）25．L×a7－a8（a3）26．L×a3－a2（a8）27．L×g2－h2（a2）28．L×h6－ h7（h2）29．L×h2－h1（h7）30．L×h7－h8（Lh1）$=$

LLR11 (1+5)
Sébastien Luce
Jaroslav Štúñ
Original

ser- $=32$
$\mathrm{C}+(1+5)$
PWC
盛 = Locust

LLR12 (1+6)
Sébastien Luce
Jaroslav Štúñ
Original

ser- $=40$
$\mathrm{C}+(1+6)$
PWC
風 $=$ Locust

LLR13 (1+7)
Sébastien Luce
Jaroslav Štúň
Original

ser-= 42
PWC
Locust

LLR14 (1+8)
Sébastien Luce
Jaroslav Štúň
Original

ser-= 45
$\mathrm{C}+(1+8)$
PWC
$=$ Locust

LLR11: 1.L×f6-e6(g6) 2.L×g6-h6(e6) 3.L×h5-h4(h6) 4.L×g5-f6(h4) 5.L×e6d 6 (f6) $6 . \mathrm{L} \times \mathrm{f6} 6-\mathrm{g} 6(\mathrm{~d} 6) 7 . \mathrm{L} \times \mathrm{d} 6-\mathrm{c} 6(\mathrm{~g} 6) 8 . \mathrm{L} \times \mathrm{c} 5-\mathrm{c} 4(\mathrm{c} 6) 9 . \mathrm{L} \times \mathrm{c} 6-\mathrm{c} 7$ (c4) $10 . \mathrm{L} \times \mathrm{c} 4-\mathrm{c} 3(\mathrm{c} 7)$ 11.L×e3-f3(c3) 12.L×c3-b3(f3) 13.L×f3-g3(b3) 14.L×b3-a3(g3) 15.L×g3-h3(a3) 16.L $\times \mathrm{h} 4-\mathrm{h} 5(\mathrm{~h} 3) \quad 17 . \mathrm{L} \times \mathrm{h} 6-\mathrm{h} 7(\mathrm{~h} 5) \quad 18 . \mathrm{L} \times \mathrm{h} 5-\mathrm{h} 4(\mathrm{~h} 7) \quad 19 . \mathrm{L} \times \mathrm{h} 3-\mathrm{h} 2(\mathrm{~h} 4) \quad 20 . \mathrm{L} \times \mathrm{h} 4-$ h5(h2) 21.L×g6-f7(h5) 22.L×c7-b7(f7) 23.L×f7-g7(b7) 24.L×b7-a7(g7) 25.L×a3a2(a7) 26.L×a7-a8(a2) 27.L×a2-a1(a8) 28.L×g7-h8(La1) 29.L×h7-h6(h8) 30.L×h5-h4(h6) 31.L×h2-h1(h4) 32.L $\times$ h4-h5(Lh1) $=$

LLR12: 1.L×b6-a6(c6) 2.L×a5-a4(a6) 3.L×a6-a7(a4) 4.L×a4-a3(a7) 5.L×c3d3(a3) 6.L×c4-b5(d3) 7.L×b4-b3(b5) 8.L×b5-b6(b3) 9.L×b3-b2(b6) 10.L×b6b 7 (b2) 11.L×c6-d5(b7) $12 . \mathrm{L} \times \mathrm{f} 5-\mathrm{g} 5(\mathrm{~d} 5) 13 . \mathrm{L} \times \mathrm{d} 5-\mathrm{c} 5(\mathrm{~g} 5) 14 . \mathrm{L} \times \mathrm{g} 5-\mathrm{h} 5(\mathrm{c} 5) 15 . \mathrm{L} \times \mathrm{c} 5-$ b5(h5) 16.L×b2-b1(b5) 17.L×d3-e4(Lb1) 18.L×b7-a8(e4) 19.L×a7-a6(a8) 20.L×b5-c4(a6) 21.L×e4-f4(c4) 22.L×c4-b4(f4) 23.L×f4-g4(b4) 24.L×b4-a4(g4) 25.L×a3-a2(a4) 26.L×a4-a5(a2) 27.L×a6-a7(a5) 28.L×a5-a4(a7) 29.L×g4-h4(a4) 30.L $\times \mathrm{h} 5-\mathrm{h} 6(\mathrm{~h} 4) \quad 31 . \mathrm{L} \times \mathrm{h} 4-\mathrm{h} 3(\mathrm{~h} 6) \quad 32 . \mathrm{L} \times \mathrm{h} 6-\mathrm{h} 7(\mathrm{~h} 3) \quad 33 . \mathrm{L} \times \mathrm{h} 3-\mathrm{h} 2(\mathrm{~h} 7) \quad 34 . \mathrm{L} \times \mathrm{h} 7-$ h8(h2) 35.L×h2-h1(h8) 36.L×b1-a1(Lh1) 37.L×a2-a3(La1) 38.L×a4-a5(a3) 39.L×a3-a2(a5) 40.L×a5-a6(a2) =

LLR13: 1.L×f5-g4(e6) 2.L×f4-e4(g4) 3.L×g4-h4(e4) 4.L×h5-h6(h4) 5.L×h4h3(h6) 6.L×h6-h7(h3) 7.L×g6-f5(h7) 8.L×f6-f7(f5) 9.L×f5-f4(f7) 10.L×e4-d4(f4) 11. $\mathrm{L} \times \mathrm{f} 4-\mathrm{g} 4(\mathrm{~d} 4) 12 . \mathrm{L} \times \mathrm{g} 5-\mathrm{g} 6(\mathrm{~g} 4) 13 . \mathrm{L} \times \mathrm{g} 4-\mathrm{g} 3(\mathrm{~g} 6) 14 . \mathrm{L} \times \mathrm{g} 6-\mathrm{g} 7(\mathrm{~g} 3) 15 . \mathrm{L} \times \mathrm{f} 7-\mathrm{e} 7(\mathrm{~g} 7)$ 16.L×e6-e5(e7) 17.L×e7-e8(e5) 18.L×e5-e4(e8) 19.L×d4-c4(e4) 20.L×e4-f4(c4) 21. $\mathrm{L} \times \mathrm{c} 4-\mathrm{b} 4(\mathrm{f} 4) 22 . \mathrm{L} \times \mathrm{f} 4-\mathrm{g} 4(\mathrm{~b} 4) 23 . \mathrm{L} \times \mathrm{g} 3-\mathrm{g} 2(\mathrm{~g} 4) 24 . \mathrm{L} \times \mathrm{g} 4-\mathrm{g} 5(\mathrm{~g} 2) 25 . \mathrm{L} \times \mathrm{g} 7-\mathrm{g} 8(\mathrm{~g} 5)$ 26.L×e8-d8(g8) 27.L×g5-h4(d8) 28.L×h3-h2(h4) 29.L×h4-h5(h2) 30.L×h7h8(h5) 31.L×g8-f8(h8) 32.L×b4-a3(f8) 33.L×a5-a6(a3) 34.L×a3-a2(a6) 35.L×a6a7(a2) 36.L×a2-a1(a7) 37.L×a7-a8(La1) 38.L×g2-h1(a8) 39.L×h2-h3(Lh1) 40.L×h5-h6(h3) 41.L×h3-h2(h6) 42.L×h6-h7(h2) $=$

LLR14: 1.L×c6-d6(a6) 2.L×c5-b4(d6) 3.L×b5-b6(b4) 4.L×d6-e6(b6) 5.L×f5g4(e6) 6.L×b4-a4(g4) 7.L×a6-a7(a4) 8.L×b6-c5(a7) 9.L×g5-h5(c5) 10.L×g6f7(h5) 11.L×e6-d5(f7) 12.L×c5-b5(d5) 13.L×d5-e5(b5) 14.L×b5-a5(e5) 15.L×a4a3(a5) 16.L×a5-a6(a3) 17.L×a7-a8(a6) 18.L×b7-c6(a8) 19.L×f6-g6(c6) 20.L×g4$\mathrm{g} 3(\mathrm{~g} 6) 21 . \mathrm{L} \times \mathrm{g} 6-\mathrm{g} 7(\mathrm{~g} 3) 22 . \mathrm{L} \times f 7-\mathrm{e} 7(\mathrm{~g} 7) 23 . \mathrm{L} \times \mathrm{e} 5-\mathrm{e} 4(\mathrm{e} 7) 24 . \mathrm{L} \times \mathrm{e} 7-\mathrm{e} 8(\mathrm{e} 4) 25 . \mathrm{L} \times \mathrm{e} 4-$ $\begin{array}{lll}\mathrm{e} 3(\mathrm{e} 8) & 26 . \mathrm{L} \times \mathrm{g} 3-\mathrm{h} 3(\mathrm{e} 3) \quad 27 . \mathrm{L} \times \mathrm{h} 5-\mathrm{h} 6(\mathrm{~h} 3) \quad 28 . \mathrm{L} \times \mathrm{h} 3-\mathrm{h} 2(\mathrm{~h} 6) \quad 29 . \mathrm{L} \times \mathrm{h} 6-\mathrm{h} 7(\mathrm{~h} 2)\end{array}$ 30.L×h2-h1(h7) 31.L×h7-h8(Lh1) 32.L×g7-f6(h8) 33.L×c6-b6(f6) 34.L×e3f2(b6) $35 . \mathrm{L} \times \mathrm{f} 6-\mathrm{f} 7(\mathrm{f} 2) 36 . \mathrm{L} \times \mathrm{f} 2-\mathrm{f} 1(\mathrm{f} 7) 37 . \mathrm{L} \times \mathrm{f} 7-\mathrm{f} 8(\mathrm{Lf} 1) 38 . \mathrm{L} \times \mathrm{e} 8-\mathrm{d} 8(\mathrm{f} 8) 39 . \mathrm{L} \times \mathrm{b} 6-$ a (d8) 40.L×a6-a7(a5) 41.L×a5-a4(a7) 42.L×a3-a2(a4) 43.L×a4-a5(a2) 44.L×a2a1(a5) 45.L×a5-a6(La1) =

## Record Breakers III

by Arno Tüngler

"Congratulations. I knew the record would stand until it was broken." - Yogi Berra


## ARTICLES

## Arno Tüngler

## Record Breakers III

Earlier in July, Branko Udovčić wrote us that AS-20 reprinted in the December 2014 issue of our bulletin is cooked by $1 . \mathrm{Ke} 112 . \mathrm{K} \times e 6$ 14. $\mathrm{K} \times \mathrm{g} 6$ 16.Ke4 19.g8=S 22.S $\times \mathrm{f4} 423 . \mathrm{Ke} 3$ $26 . \mathrm{S} \times \mathrm{f3}$. Radovan Tomašević immediately tried to correct it, and that's how RB-18 appeared. Hopefully it is sound... RB19 is another new series-help-target-square record extending HZ-21 in CPB7 by 7 moves. There are also two new tasks with the basic series target square stipulation and two first record breakers in the series-circuit Circe field presented in CPB9, each adding 4 moves.

## RB-18

Radovan Tomašević
Original


RB-21
Arno Tüngler
Original

ser-Zd7 104
$\mathrm{C}+(4+9)$
Circe

RB-19
Branko Koludrović
Arno Tüngler
Original


RB-20
Arno Tüngler
Original

ser-Zd7 100
$\mathrm{C}+(4+8)$
Circe
RB-23
Arno Tüngler
Original

ser-RK 100
C+ (5+8)
Circe

RB-18: $1 . \mathrm{Kf} 1-\mathrm{e} 1$ 15. $\mathrm{Kf} 5 \times \mathrm{g} 431 . \mathrm{Kf} 1 \times \mathrm{g} 148 . \mathrm{Kg} 4 \times \mathrm{h} 366 . \mathrm{Kg} 1 \times \mathrm{h} 184 . \mathrm{Kg} 4 \times \mathrm{f} 3$ 92.Kb7-a8 93.b6-b7!=

RB-19: 1.Kh5-g6 20.Kf1×g2[Rh1] 21.Kg2×h1 42.Kg6×g5[Pg2] 62.Kf1×g2 83.Kg5 $\times \mathrm{f4}[\mathrm{Ra} 1] 85 . \mathrm{Kf} 3 \times f 2[\mathrm{Bc} 1] \mathrm{Bc} 1-\mathrm{g} 5 \mathrm{Z}$

RB-20: 1.Kc8-d8 12.Kd2×c2[Pc7] 26.Kb8×a7 45.Kb4×a5[Sb8] 63.Kc8×b8 82. Kb5 $\times$ c6[Ra8] $83 . \mathrm{Kc6} \times \mathrm{c} 5[\mathrm{Sb} 8] 97 . \mathrm{Kb} 7 \times \mathrm{a} 898 . \mathrm{Ka} \times \mathrm{b} 8100 . \mathrm{Kc} 8-\mathrm{d} 7 \mathrm{Z}$

RB-21: 1.Kc8-d8 5.h6×g7 16.Kd2×c2[Pc7] 30.Kb8×a7 49.Kb4×a5[Sb8] $67 . \mathrm{Kc} 8 \times \mathrm{b} 8$ 86.Kb5×c6[Ra8] 87.Kc6×c5[Sb8] 101.Kb7×a8 102.Ka8×b8 104.Kc8-d7 RK

RB-22: 1.Kd7-e8 11.Kd2×c2[Pc7] 25.Kb8×a7 44.Kb4×a5[Sb8] 62.Kc8×b8 81.Kb5×c6[Ra8] 82.Kc6×c5[Sb8] 96.Kb7×a8 97.Ka8×b8 99.Kc8-d7 RK

RB-23: 1.Kd7-e8 11.Kd2×c2[Pc7] 25.Kb8×a7 44.Kb4×a5[Sb8] 62.Kc8×b8 $81 . \mathrm{Kb} 5 \times \mathrm{c} 6[\mathrm{Ra} 8] 82 . \mathrm{Kc} 6 \times \mathrm{c} 5[\mathrm{Sb} 8] 97 . \mathrm{Kb} 7 \times \mathrm{a} 898 . \mathrm{Ka} 8 \times \mathrm{b} 8100 . \mathrm{Kc} 8-\mathrm{d} 7$ RK

## ARTICLES

The following is a nice series of six record breakers using the new Circe matrix for series-self-win-a-piece tasks! I have no doubt that even more can be done if we only find the right construction. Thus, good luck to everyone in their searches for new records to be included in the next issue!

Arno Tüngler Bishkek, December 22 ${ }^{\text {nd }}, 2016$

RB-24
Arno Tüngler
Original

ser-s\% 50
C+ (3+5)
Circe
RB-27
Arno Tüngler
Original

ser-s\% 75
$\mathrm{C}+(3+8$
Circe

RB-25
Arno Tüngler
Original

ser-s\% 62
$\mathrm{C}+(3+6)$
Circe
RB-28
Arno Tüngle
Original

ser-s\% 77
Circe

RB-26
Arno Tüngler
Original

ser-s\% 73
Circe
RB-29
Arno Tüngler
Original

ser-s\% 89
$\mathrm{C}+(3+10)$
Circe

RB-24: $\quad 1 . \mathrm{Ka} 5-\mathrm{a} 6 \quad 11 . \mathrm{Kb} 1 \times \mathrm{a} 2[\mathrm{Ra} 8] \quad 21 . \mathrm{Kb} 7 \times \mathrm{a} 8 \quad 33 . \mathrm{Ka} 3 \times \mathrm{a} 4[\mathrm{Sg} 8] \quad \mathrm{RB}-27: 1 . \mathrm{Kg} 8-\mathrm{f} 85 . \mathrm{Kc} 8 \times \mathrm{b} 710 . \mathrm{Kf} 4 \times \mathrm{g} 3[\mathrm{Rh} 8] 15 . \mathrm{Kg} 7 \times \mathrm{h} 8 \quad 27 . \mathrm{Kb} 1 \times \mathrm{a} 2[\mathrm{Ra} 8]$ $44 . \mathrm{Kc} 6 \times \mathrm{b} 6[\mathrm{Bf} 8]$ 45.Kb6-a5 48.b7-b8=Q 49.Qb8×f8 50.Qf8-b4+ Kc3×c2 \%

RB-25: 1.Ka5-a6 14.Kb1×a2[Ra8] 27.Kb7×a8 $\quad 42 . \mathrm{Ka} 3 \times \mathrm{a} 4[\mathrm{Sg} 8]$ $56 . \mathrm{Kc} 6 \times \mathrm{b} 6[\mathrm{Bf} 8] 57 . \mathrm{Kb} 6-\mathrm{a} 560 . \mathrm{b} 7-\mathrm{b} 8=\mathrm{Q} 61 . \mathrm{Qb} 8 \times \mathrm{f} 862 . \mathrm{Qf8}-\mathrm{b} 4+\mathrm{Kc} 3 \times \mathrm{c} 2 \%$

RB-26: 1.Ka1-b1 13.Kc8 $\times$ b7 25.Kb1 $\times a 2[R a 8] 38 . K b 7 \times a 853 . K a 3 \times a 4[S g 8]$ 67.Kc6×b6[Bf8] 68.Kb6-a5 71.b7-b8=Q 72.Qb8×f8 73.Qf8-b4+Kc3×c2 \%
$40 . \mathrm{Kb} 7 \times \mathrm{a} 8 \quad 55 . \mathrm{Ka} 3 \times \mathrm{a} 4[\mathrm{Sg} 8] \quad 69 . \mathrm{Kc} 6 \times \mathrm{b} 6[\mathrm{Bf} 8] \quad 70 . \mathrm{Kb} 6-\mathrm{a} 5 \quad 73 . \mathrm{b} 7-\mathrm{b} 8=\mathrm{Q}$ 74.Qb8×f8 75.Qf8-b4+Kc3×c2 \%

RB-28: 1.Ka1-b1 8.Kg3×f4[Rh8] 9.Kf4×f5[Pf7] 14.Kd7×e7 17.Kg7×h8 29.Kb1×a2[Ra8] 42.Kb7×a8 57.Ka3×a4[Sg8] 71.Kc6×b6[Bf8] 72.Kb6-a5 $75 \mathrm{~b} 7-\mathrm{b} 8=\mathrm{Q} 76 \mathrm{Qb} 8 \times \mathrm{f} 877$ Qf8-b4+Kc3×c2$\%$

RB-29: 1.Kf8-e7 12.Kc1×b1(Sg8) 25.Kc8×b7 38.Kb1×a2[Ra8] 52.Kb7×a8 (K8.Ka3×a4 83.Kc6×b6[Bf8] 84.Kb6-a5 87.b7-b8=Q 88.Qb8×f8 89.Qf8 b4+Kc3×c2 \%

## "398 Zuglängen Rekorde Im Serienzüger in Bezug auf die Steineanzahl"

## Further reading:

1. "398 Zuglängen Rekorde Im Serienzüger in Bezug auf die Steineanzahl" - Miloš Tomašević, Belgrade, 2003
2. "New Series-Mover Length Records" Cornel Pacurar, Mat Plus Review 12, Winter 2009
3. "More New Series-Mover Length Records" - Cornel Pacurar, StrateGems 53, JanuaryMarch 2011
4. "Series-Mover Length Records Challenge Results" - Radovan Tomašević \& Cornel Pacurar, StrateGems 57, January-March 2012
5. "75 (mehr oder weniger) neue ZuglängenRekorde im Serienzüger in Bezug auf die Steineanzahl" - Cornel Pacurar \& Arno Tüngler, feenschach 194, July-August 2012
6. "15 nagelneue Zuglängen-Rekorde im Serienzüger in Bezug auf die Steineanzahl" Cornel Pacurar \& Arno Tüngler, feenschach 200, June 2013
7. Arno Tüngler's articles in $C P B 2, C P B 4$, CPB5, CPB6, CPB7, CPB8, CPB9 and CPB10.

| $*$ |
| :--- |
|  |

King in check in the diagram position
Records not included in the booklet or discovered after the booklet was published in February 2003
Table of Records as of December $29^{\text {th }}, 2016$
http://lengthrecords.chessproblems.ca/

| Ser | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 | 12 | 13 | 14 | 15 | 16 | 17 | 18 | 19 | 20 | 21 | 22 | 23 | 24 | Ser |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| \# | - | 8 | 16* | $22^{*}$ | 28 | 37 | 43* | 57 | 65* | 72 | 82 | 97* | 102* | 104* | 109 | 120 | 125* | 126 |  | 127 |  | 128 |  | \# |
| $=$ | - | 7 | 13 | 20 | 30 | 38 | 50 | 57 | 65 | 74* | 82 | 91 | 97 | 104* | 116 | 126 |  |  |  | 129 | 138 | 139 |  | $=$ |
| ! $=$ | - | 8 | 15 | $23 *$ | 33 | 45 | 57 | 64 | 68 | 71 | 82 | 91 | 93 | 101 | 105 | 113 | 114 | 119 |  |  |  |  |  | ! $=$ |
| + | - | 6 | 13 | 19 | 25 | 34 | 45 | 55* | 61* | 71* | 79* | 84 | 91 |  | 98 | 105 | 108 | 110 |  |  |  |  |  | + |
| x | - | 10 | $17^{*}$ | 18 | 23 | 24 | 32 | 34 | 36 |  | 38 | 42 |  | 50 | 51 | $53^{*}$ | $57^{*}$ |  | 60 | 61* |  |  |  | x |
| Z | 7 | 15 | 22 | 34 | 49 | 58* | $66^{*}$ | 75 | 78 | 88* | 94* | 99* | 107 | 113 | 115 | 119 | 121 | 124 | 125 | 126 | 128 | 129 |  | Z |
| RK | 2 | $13^{*}$ | 21* | $32 *$ | 38* | 50* | $63^{*}$ | 71* | 73* | 82* | 87* | 93* | 96* | 111* | 112* | $113 *$ | 117* | 118* |  | 121* |  |  |  | RK |
| PW | - | 12 | 16 | 23 | 30 | 40 | $53 *$ | 60 | 77 | 82 | 92 | 95 | 110 |  | 112 | 117 |  | 119 | 123* | $127^{*}$ | 129 |  |  | PW |
| F | - | - | 11 | $20^{*}$ | $28^{*}$ | 35 | 44 | 53 | 64* | 72 | 80* | 88 | 94* | 102* | 107* | 111 | 116 |  | 121 |  | 126 |  |  | F |
| ! F | - | - | 12* | 23 | 34 | 49* | 61 | 64* | $76 *$ | 82* | 93 | 98 | 105 | 110 | 111 | 116 | 119* | 123* | 124 |  |  |  |  | ! F |
| s\# | - | - | - | 23 | 31* | 35 | 42* | 46* | 55 | 61* | $63^{*}$ | 74 | 78* | 87* | 94 | 106* | 122 | 127 | 131* |  |  |  |  | s\# |
| $\mathrm{s}=$ | - | - | 15 | $23^{*}$ | 31 | 49* | 51* | $53 *$ | 60* | 62* | $63^{*}$ | 76* | 88 | 102* | 104* | 105* | 108* | 114* | 116* |  |  |  |  | $\mathrm{s}=$ |
| s+ | - | 4 | 19 | 23 | 29 | 38 | 51 | 59 | 71* | 73* | 83 | 88 | 101 | 105* | 110* | 120* | 125* | 126 |  | 127 |  |  |  | s+ |
| sx | - | 8 | 15 | 23 | 34* | 45 | 60 | $72^{*}$ |  | 78 | 89 | 94 | 96 | 109 | 112* | 116 | 121 | 125* |  |  | 126* |  |  | sx |
| sZ | 5 | 12 | 18 | 28 | 39 | 45 | 62 | 72* | 73* | 80 | 89 | 97* | 105 | 110 | 122 | 126 | 128* |  | 131 | 133* | 136 | 140 | 144 | sZ |
| sF | - | - | 6 | 17* | 25 | 38 | 46* | 58* | 74* | 82* | 94 | 99 | 104 | 108 | 113 | 114 | 121* | 124* |  |  | 125 |  |  | sF |
| h\# | - | 9* | 17 | 24 | 36* | 45 | 54 | $57^{*}$ | 62 | $77^{*}$ | 83* | 89* | 94 | 99 | 112 |  | 117 | 125 | 126* |  |  |  |  | h\# |
| $\mathrm{h}=$ | - | 10 | 21 | 28* | 33 | 41 | 49* | 55 | 62 | 75 | 79 | 90 | 95 | 99* | 103 | 113 | 114 | 118 | 134 | 153 |  |  |  | $\mathrm{h}=$ |
| h+ | - | 8 | 11 | 15 | 16 | 22 | 23 |  | 24 |  | 25 | 27 | 28 | 32 | 34 | 38 | 39* | 42 | 43* | 45 | 46* |  |  | h+ |
| hx | - | 7 | 11 | 18 | 28* | 37 | 50* | 54* | 59 | 70 | 78* | 84 | 92* | 93* | 98 | $107^{*}$ | 114* | 116 |  |  |  |  |  | hx |
| hZ | 2 | 4 | 12 | 20 | 28* | 36 | 46 | 60* | 76* | 82* | 84* | 90 | 91 | 103* | 108* | 113* | 118* | 124* |  | $126^{*}$ | 127 |  |  | hZ |
| hF | - | - | 12 | $23 *$ | 30 | 40 | 55 | 64 | 74 | 76 | 91 | 94* | 104 | 110 | 118 | 125 | 126* |  |  |  | $127^{*}$ |  |  | hF |
| Ser | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 | 12 | 13 | 14 | 15 | 16 | 17 | 18 | 19 | 20 | 21 | 22 | 23 | 24 | Ser |

## Series Helpmate and Helpstalemate Tasks

by Arno Tüngler
"What is the alternative?... There is no alternative. The only alternative you can give is stalemate." - David Levy


Help Mate (Cornel Pacurar - Pixlr, Union and AfterLight for iPhone, 2016)

## ARTICLES

## Arno Tüngler

Series Helpmate and Helpstalemate Tasks

The two sections that we cover in this article of our series-records presentations are the most basic and historically the first stipulations that were widely used. Up to now probably more than 90 percent of all published seriesmovers feature one of these two goals and this will hardly change in the foreseeable future Recently an electronic publication was also entirely dedicated to these two stipulations and showed a nice selection of 120 'orthodox' series-movers (download it from http://ru-chess-art.livejournal.com/348167.html)
One of the very first series-helpmates published was HM-2, and this record will certainly not be broken! It nicely features a black promotion which will be used again only in problems with many more units, as you will see later. Maybe there are still hidden possibilities to make use of this idea with a few units?
When we prepared this article Branko came up with a very unexpected new Circe task with just 5 units! This is amazing, given that his own old record was published way back in 2001. (See PDB/P1229742.) So it may be worthwhile to have a close look at the following problems and see whether moves could be added with a fresh idea..
ser-h\# $\rightarrow$ 'Orthodox' 3-6 units

## HM-1

Albert H. Kniest
Diagramme und
Figuren 1965


## HM-2

Thomas R. Dawson Fairy Chess Review
1947

ser-h\# 17 C+ (2+2)

HM-1: 1.Kg4-f5 9.Kd1-e1 Qg8-g1 \#
HM-2: 1.Kh1-h2 7.Kd2-d1 8.c2-c1=R 9.Rc1-c2 16.Kh2-h1 17.Rc2-h2 Sh5-g3 \#


HM-4
Petar Ivanić
Diagramme und
Figuren 1965

ser-h\# 36 C+ (5+1)

HM-3: 1.Ka6-a7 12.Kb3×a3 24.Ka7-a6 Rc1-a1 \#

HM-4: 1.Kg3-f3 12.Kh6×h5 24.Kg3×h3 36.Kh6-h5 Qc2-h2 \#

## ser-h\# $\rightarrow$ Circe 3-6 units

## HM-5

Albert H. Kniest
Diagramme und
Figuren 1969


HM-6
Branko Koludrović Problemkiste 1997

ser-h\# 18 C+ (3+1)
Circe

HM-5: 1.Ka8-a7 4.Ka5×b4 [Ra1] 9.Kc8-d8 Ra1-a8 \#
HM-6: 1.Kc2-b1 11.Kf5×e4 [Rh1] 18.Ka5-a4 Rh1-a1 \#

## HM-7

Branko Koludrović
Original

ser-h\# 29 C+ (4+1)
Circe
HM-7: 1.Kf7-g6
22.Kd7×e8[Rh1] 29.Kc2-d1 Bf1-d3 \#

HM-8: 1.Kc1-b2 $5 . \mathrm{Kb} 5 \times \mathrm{c} 6[\mathrm{Rh} 1] 9 . \mathrm{Kg} 2 \times \mathrm{h} 1 \quad 17 . \mathrm{Ke} 1 \times \mathrm{d} 1[\mathrm{Bf} 1]$ 19.Ke1×f1 25.Ka6×a7[Bc1] 35.Kg7-f8 Bc1-h6 \#

## ARTICLES

In this group of 'orthodox' length records the bishop-pawn battery gives the mate and we see also part of the Kemp mechanism being employed. I like the use of the white knight on c8. In connection with the bishop and the king it hinders the black king from making shortcuts to the other half of the board, but it remains "uncapturable" as it is vital for the mate!

Paul had a great idea that helped open the way to another surprising new Circe task with 9 units! As you can see in the originals in the current issue I found a quite long series-help-self-target-square task with the same position - and it turns out that it also includes a series-helpmate... The matrix is well-known in the orthodox field but maybe it allows other ideas under Circe conditions too.

HM-12 is a correction by Radovan Tomašević (who did not claim author rights) to 7429 FEENSCHACH 09/1965 (ser-h\# 66).

## 'Orthodox' 7-10 units



HM-10
Hans Hilmar Staudte FEENSCHACH 1965
ser-h\# $54 \quad \mathrm{C}+(7+1)$

HM-9: 1.Kb5-c5 14.Kc7×b8 29.Kb5×a6 45.Kb8-a8 c6-c7 \#
HM-10: 1.Kc7-d8 12.Kc4×b5 25.Kc7×b8 39.Kb5×a6 54.Kb8a8 c6-c7 \#

HM-12
Hans Hilmar Staudte
Theodor Steudel
version
Problemkiste 1997

$\operatorname{ser}-\mathrm{h} \# 62 \quad \mathrm{C}+(9+1)$
15.Kc4×b5 28.Kc7×b8

HM-11: 1.Kh5-g6 4.Ke8×d8
42.Kb5×a6 57.Kb8-a8 c6-c7 \#

HM-12: 1.Kc8-d8 14.Kc4×b5 29.Kc8×b8 $45 . \mathrm{Kb} 5 \times a 6$

## Circe 7-10 units

## HM-13

Branko Koludrović
Mat 1987


HM-14
Branko Koludrović

## Problemkiste 2007


ser-h\# $63 \quad \mathrm{C}+(7+1)$
Circe

HM-13: 1.Kf1-e1 16.Ke5×e4[Bf1] 32.Ke1×f1 49.Ke4×d3[Rh1] 50.Kd3×d2 54.Ka5-a6 Rh1-a1 \#

HM-14: 1.Ka2-b1 19.Kb5×a4[Sb1] 37.Kc1×b1 56.Kb4×c3[Ra1] 57.Kc3×c4[Sb1] 63.Kc8-b8 Ra1-a8 \#

## HM-15

Paul Răican
Arno Tüngler
Original

ser-h\# $76 \quad \mathrm{C}+(8+1)$

## Circe

HM-15: 1.Kg3-h2 4.Kf1×e1[Bc1] 16.Kc7×c6[Bf1] 27.Kg1×f1 41.Kc4×c3[Sg1] 54.Kh2×g1 58.Kd1×c1 76.Kd3×e3[Pe2] Sf6-g4 \#
HM-16: 1.Ke5-f4 14.Ka3×a2[Bf1] 29.Ke5×d5[Pd2] 48.Ke1×f1 69.Ke4×d3[Th1] 83.Ka6-a5 Rh1-a1 \#

## ARTICLES

## 'Orthodox' 11-14 units

## HM-17

Vladimír Janál
after Skoba \& Vyoral
Blog zlínského
problemisty 2009

ser-h\# $77 \quad$ C+ $(9+2)$

HM-18
Zoran Sibinovski
Mat 1987

ser-h\# 83 C+ (10+2)

HM-17: 1.Ke1-d2 9.Kg5-f4 12.Lh2-g1 24.Kg2×h1 36.Kg5-f4 39.Lg3-h4 51.Kg2×h3 63.Kg5-f4 66.Lh2-g1 77.Kf1-g2 Sf5-e3 \# HM-18: $\quad 1 . \mathrm{Ka} 4-\mathrm{b} 5 \quad 19 . \mathrm{Kc} 8 \times \mathrm{b} 8 \quad 38 . \mathrm{Kb} 5 \times \mathrm{a} 6 \quad 58 . \mathrm{Kb} 8 \times \mathrm{a} 8$ 78.Kb5×c6 79.Kc6-b5 82.c4-c3 83.Kb5-c4 Sf5-d6 \#

## HM-19

Vladimír Janál
after Skoba \& Vyoral
Blog zlínského
problemisty 2009

ser-h\# 89 C+ (11+2)

ser-h\# 94 C+ (11+3)

HM-19: 1.Ke1-d2 11.Kg5-f4 14.Lh2-g1 28.Kg2×h1 42.Kg5-f4 45.Lg3-h4 59.Kg2×h3 73.Kg5-f4 76.Lh2-g1 89.Kf1-g2 Sf5-e3 \# HM-20: 1.Kc8-d8 16.Ka3×b4 $\quad 33 . \mathrm{Kc} 8 \times \mathrm{b} 8 \quad 52 . \mathrm{Kb5} \times \mathrm{a} 6$ 72.Kb8×a8 92.Kb5×c6 93.Kc6-b5 94.c7-c6 Qe3-b6 \#

## Circe 11-14 units


ser-h\# 89 C+ (10+1) Circe

## HM-22

Branko Koludrović
Problemkiste 2000

ser-h\# 95 C+ (11+1) Circe

HM-21: 1.Ke5-f4 15.Ka3×a2[Bf1] 31.Ke5 $\times$ d5[Pd2] 51.Ke1 $\times$ f1 73.Kc4×d3[Rh1] 89.Ka5-a4 Rh1-a1 \#

HM-22: $1 . \mathrm{Kg} 3 \times \mathrm{h} 4[\mathrm{Ph} 2] \quad 13 . \mathrm{Ka} 4 \times \mathrm{b} 3[\mathrm{Rh} 1] \quad 26 . \mathrm{Kh} 4 \times \mathrm{h} 3[\mathrm{Sb} 1]$ 39. $\mathrm{Ke} 4 \times \mathrm{f} 4$ [Pf2] $\quad 54 . \mathrm{Kg} 2 \times \mathrm{h} 1 \quad 55 . \mathrm{Kh} 1 \times \mathrm{h} 2 \quad 71 . \mathrm{Ka} 2 \times \mathrm{b} 1$ 90.Ke1×d2[Ra1] 92.Ke2×f2 95.Kh4-h5 Ra1-h1 \#

## HM-23

Unto Heinonen
Problemkiste 2000


HM-24 Koludrović
Branko Koludrović
Problemkiste 1999

ser-h\#
108
Circe
(13+1)
HM-23: 1.Kh2-g2
$19 . \mathrm{Kh} 7 \times \mathrm{h} 6[\mathrm{Ph} 2]$
$37 . \mathrm{Kg} 2 \times \mathrm{h} 3[\mathrm{Rh} 1]$
39.Kg2×h1 58.Kh6×h5 77.Kg2×h2 97.Kf5 $\times$ e4[Rh1] 102.Kf8e8 Rh1-h8 \#
HM-24: $\quad 1 . \mathrm{Kg} 5-\mathrm{h} 6 \quad 13 . \mathrm{Kb} 4 \times \mathrm{a} 3[\mathrm{Sg} 1] \quad 26 . \mathrm{Kh} 6 \times \mathrm{h} 5[\mathrm{Sb} 1]$ 43.Ke1×f2[Ra1] 61.Kg5×f5[Pf2] 78.Ke1×f2 96.Kf5×e4[Rh1] 108.Kb8-c8 Rh1-h8 \#

## ARTICLES

In HM-26 we have one of the best length records ever constructed. Now the position can be fully tested by computer but in those days this was still impossible. And it turned out to be absolutely correct! Miloš Tomašević was not aware of this problem and did not include it in his brochure in 2003. I am sure that he would have admired the great idea and implementation! Theoretically the black bishop is free to target most of the black squares on the board but due to the only mate position that can be achieved with the given material he needs to avoid captures and can only very carefully help his own king to reach the needed squares. That we have only two captures in 112 moves is additional proof of the enormous originality and subtleness of the construction. A masterpiece!!

HM-30 is another idea of Branko for a new original record. I was really surprised that the position is computer tested and correct although you can seemingly quickly free the black pawn on d3. However, when trying that you see that the reborn captured white pieces just make this impossible! You need courage to try such ideas...

## 'Orthodox' 15-19 units


ser-h\# $99 \quad$ C $+(13+2$

HM-26
Ivan Skoba
Pavel Vyoral
Sachove umeni 1978
$1^{\text {st }}$ Honourable Mention

ser-h\# $\quad \mathrm{C}+(14+2)$

HM-25: $1 . \mathrm{Kc} 8-\mathrm{d} 8 \quad 15 . \mathrm{Kc} 4 \times \mathrm{b} 5 \quad 31 . \mathrm{Kc} 8 \times \mathrm{b} 848 . \mathrm{Kb} 5 \times \mathrm{a} 6 \quad 66 . \mathrm{Kb} 8 \times \mathrm{a} 8$ 84.Kb5×c6 85.Kc6-d6 87.c6×d5 88.d5×e4 89.e4×f3 91.f2-f1=B 93.Bd5×e6 98.Kg8-h8 99.Be6-g8 Kf6-g6 \#

HM-26: 1.Kd4-c3 14.Kf5-f4 17.Bh2-g1 35.Kg2×h1 53.Kf5-f4 56.Bg3h4 74.Kg2×h3 92.Kf5-f4 95.Bh2-g1 112.Kf1-g2 Sc4-e3 \#

## HM-27

Zoran Sibinović
after C.E. Kemp

ser-h\#
$\mathrm{C}+(15+3)$

## HM-28

Miloš Tomašević
The Problemist 1984

ser-h\# C+ (15+4) 125

HM-27: 1.Kc8-d8 18.Ka4×b5 $37 . \mathrm{Kc} 8 \times \mathrm{b} 857 . \mathrm{Kb} 5 \times a 678 . \mathrm{Kb} 8 \times \mathrm{a} 8$ $99 . \mathrm{Kb} 5 \times \mathrm{c} 6 \quad 100 . \mathrm{Kc6}-\mathrm{b} 5 \quad 102 . \mathrm{c} 5 \times \mathrm{d} 4 \quad 103 . \mathrm{d} 4 \times \mathrm{e} 3 \quad 105 . \mathrm{e} 2-\mathrm{e} 1=\mathrm{Q}$ 107.Qa1×f6 108.Qf6-a6 110.f6×g5 114.g2-g1=S 117.Sc3-a4 Sf5-d4\# HM-28: $1 . \mathrm{Kc} 8-\mathrm{d} 820 . \mathrm{Ka} 4 \times \mathrm{b} 541 . \mathrm{Kc} 8 \times \mathrm{b} 863 . \mathrm{Kb} 5 \times \mathrm{a} 686 . \mathrm{Kb} 8 \times \mathrm{a} 8$ $109 . \mathrm{Kb} 5 \times \mathrm{c} 6 \quad 110 . \mathrm{Kc} 6-\mathrm{d} 6 \quad 112 . c 5 \times b 4 \quad 115 . \mathrm{b} 2-\mathrm{b} 1=\mathrm{Q} \quad 117 . \mathrm{Qh} 1 \times \mathrm{h} 4$ 118.Qh4-f4 122.h2-h1=B 123.Bh1-c6 124.Kd6-d5 125. Qf4-d6 c2-

## Circe 15-18 units



HM-30
Branko Koludrović

## Original


ser-h\# C+(14+2)
123
HM-29: 1.Kh7-h6 2. Kh6 $\times \mathrm{g} 5[\mathrm{Sg} 1]$ 17.Kc2×d2 32.Kh6×h5[Sb1] 49.Ke1 $\times \mathrm{f} 2$ [Ra1] $67 . \mathrm{Kg} 5 \times f 5[\mathrm{Pf} 2] \quad 84 . \mathrm{Ke} 1 \times \mathrm{f} 2 \quad 102 . \mathrm{Kf} 5 \times \mathrm{e} 4[\mathrm{Rh} 1]$ 114.Kb8-c8 Rh1-h8 \#

HM-30: $1 . \mathrm{Kg} 4-\mathrm{g} 5 \quad 19 . \mathrm{Kd} 1 \times \mathrm{e} 1 \quad[\mathrm{Sg} 1] \quad 35 . \mathrm{Kh} 6 \times \mathrm{h} 5 \quad[\mathrm{Sb} 1]$ 52.Ke1×f2 [Ra1] 70.Kg5*f5 [Pf2] 87.Ke1×f2 105.Kf5×e4 [Rh1] 123.Kf8-g8 Rh1-h8 \#

HM-31
Branko Koludrović
Problemkiste 1999

ser-h\# $137 \quad(14+3)$
Circe

HM-32
Branko Koludrović
Problemkiste 1999

ser-h\# 139
(15+3)
Circe

HM-31: 1.Ka4-a3 16.Kf8×e8[Bf1] 26.Kg1×f1 41.Ka6×b5 $60 . \mathrm{Kc} 2 \times \mathrm{b} 3[\mathrm{Sb} 1] 80 . \mathrm{Kb} 5 \times \mathrm{c} 5[\mathrm{Pc} 2] 99 . \mathrm{Kd} 1 \times \mathrm{c} 2119 . \mathrm{Kc} 5 \times \mathrm{d} 4[\mathrm{Ra} 1]$ 137.Kc8-b7 Sf7-d6 \#

HM-32: 1.Ka4-a3 17.Ke7×d7[Bf1] 28.Kg1×f1 $43 . \mathrm{Ka} 6 \times \mathrm{b} 5$ $62 . \mathrm{Kc} 2 \times \mathrm{b} 3[\mathrm{Sb} 1]$ 82.Kb5×c5[Pc2] 101.Kd1×c2 121.Kc5 $\times \mathrm{d} 4[\mathrm{Ra} 1]$ 139.Kc8-b7 Se8-d6 \#

## ARTICLES

Circe 20 units and Overall Records

## 'Orthodox' Overall Records

HM-33
Miloš Tomašević
The Problemist 1984

ser-h\#
126
HM-33: $\quad 1 . \mathrm{Kd} 8 \times \mathrm{c} 8 \quad 21 . \mathrm{Ka} 4 \times \mathrm{b} 5 \quad 42 . \mathrm{Kc} 8 \times \mathrm{b} 8 \quad 64 . \mathrm{Kb} 5 \times \mathrm{a} 6$ 87.Kb8×a8 110.Kb5×c6 111.Kc6-d6 113.c5×b4 116.b2-b1=Q 118.Qh1×h4 119.Qh4-f4 123.h2-h1=B 124.Bh1-c6 125.Kd6-d5 126. Qf4-d6 c2-c4 \#

## HM-34

Vladimír Janál
Šachová skladba 2005

ser-h\# C+ (14+11)
153
HM-34: 1.Rh2×g2 2.Kh4-h3 4.Rh4-g4 6.Kh4-h5 8.Rh4-h2 10.Kh4-h3 12.Rh4-g4 22.Kb7×a8 24.Kb7×b6 34.Kh4-h3 36.Rh4h6 38.Kh4-h5 40.Rh4-g4 45.Kg1×f1 50.Kh4-h5 52.Rh4-h2 54.Kh4-h3 56.Rh4-g4 69.Kc4×c3 82.Kh4-h3 84.Rh4-h6 86.Kh4h5 88.Rh4-g4 95.Ke1×d1 102.Kh4-h5 104.Rh4-h2 106.Kh4-h3 108.Rh4-g4 121.Kc4×b3 134.Kh4-h3 136.Rh4-h6 138.Kh4-h5 140.Rh4-g4 149.Kc1×b1 153.Ke1-f1 Ra2-a1 \#

HM-35
Branko Koludrović
Original


HM-36
Branko Koludrović
Ján Golha
Original


HM-35: 1.Ka4-a3 11.Kh4×h5[Ph2] 12.Kh5-g5 13.h6h5 $19 . \mathrm{Ke} 7 \times \mathrm{d} 7[\mathrm{Bf} 1] \quad 30 . \mathrm{Kg} 1 \times \mathrm{f} 1 \quad 45 . \mathrm{Ka} 6 \times \mathrm{b} 5 \quad 64 . \mathrm{Kc} 2 \times \mathrm{b} 3[\mathrm{Sb} 1]$ 84.Kb5 $\times$ c5[Pc2] 103.Kd1×c2 123.Kc5×d4[Ra1] 141.Kc8-b7 Se8-d6\# HM-36: 1.Ka4-a3 11.Kh4×h5[Ph2] 12.Kh5 $\times \mathrm{h} 6$ 13.Kh6-g5 14.h7h5 $20 . \mathrm{Ke} 7 \times \mathrm{d} 7[\mathrm{Bf} 1] \quad 31 . \mathrm{Kg} 1 \times \mathrm{f} 1 \quad 46 . \mathrm{Ka} 6 \times \mathrm{b} 5 \quad 65 . \mathrm{Kc} 2 \times \mathrm{b} 3[\mathrm{Sb} 1]$ 85. Kb5 $\times$ c5[Pc2] 104.Kd1 $\times$ c2 124.Kc5 $\times$ d4[Ra1] 142.Kc8-b7 Se8-d6\#

## HM-37

Branko Koludrović
Problemkiste 2000

ser-h\# $187 \quad(15+14)$ Circe
148.Kc1×b1 157.Kh4-h5 159.Rh4-h2 161.Kh4-h3 163.Rh4 g4 $176 . \mathrm{Kc} 4 \times \mathrm{c} 3[\mathrm{Pc} 2] \quad 177 . \mathrm{Kc} 3 \times \mathrm{d} 4[\mathrm{Pd} 2] \quad 178 . \mathrm{Kd} 4 \times \mathrm{e} 5[\mathrm{Pe} 2]$ 179.Ke5×f6[Ra1] 180.Kf6-g7 181.f7-f6 182.Bg8-f7 183.Bh7-g8

HM-37: 1.Kh4-h3 5.Kf1×e1[Bc1] 11.Kh4-h5 13.Rh4-h2 13.Kh4h3 15.Rh4-g4 25.Kd8×c8[Bf1] 33.Kh4-h3 35.Rh4-h6 37.Kh4-h5 39.Rh4-g4 44.Kg1×f1 49.Kh4h5 51.Rh4-h2 53.Kh4-h3 55.Rh4g4 68.Kc4×d3 81.Kh4-h3 83.Rh4-h6 85.Kh4-h5 87.Rh4g4 94.Ke1×d1[Bf1] $96 . K e 1 \times f 1$ 101.Kh4-h5 103.Rh4-h2 105.Kh4h3 107.Rh4-g4 120.Kc4×b3[Sb1] 133.Kh4-h3 135.Rh4-h6 137.Kh4h5 139.Rh4-g4 147.Kd1×c1
184.Rh3-h7 187.Kh5-h4 Ra1×h1(Bc8)\#

## ARTICLES

Series-help-stalemate length records were the next step for the early explorers of series-movers. Already Erich Bartel's position with 4 units is a real classic, with a very well determined move order of the promoted black rook. And here is also the only valid length record of the late Milan Velimirović, demonstrating that even real artists are not always able to resist the temptation to create a task...

HSM-5 and HSM-6 are not the only record positions with 3 and 4 units. See PDB/P1237294 and PDB/P1082473 that show other Circe strategies. As of 5 units Branko already takes the lead once again and shows us his magnificent Circe abilities.
ser-h $=\rightarrow$ '
'Orthodox' 3-6 units

HSM-1
Albert H. Kniest
Diagramme und
Figuren 1965


HSM-2
Erich Bartel
Diagramme und
Figuren 1965

ser-h=21 $\quad$ C+ $(2+2)$

HSM-1: 1.Kc1-d2 10.Ka5-a4 Bd6-b4 =
HSM-2: $\quad 1 . g 6-\mathrm{g} 5 \quad 5 . \mathrm{g} 2-\mathrm{g} 1=\mathrm{R} \quad 6 . \mathrm{Rg} 1-\mathrm{g} 7 \quad$ 8.Kh7-h6 10.Rg5-f5 14.Ke5-d6 16.Re5-e7 20.Kb8-a8 21.Re7-b7+ Rf7×b7 =

## HSM-3

Endre Szentai
Miklos Lokker
Feladvanykedvelök
Lapja; Problemista
1970
$1^{\text {st }}$ Honourable Mention

ser-h=28 $\quad \mathrm{C}+(4+1)$

HSM-4
Milan Velimirović
Mat 1977

ser-h=33 $\quad \mathrm{C}+(5+1)$

HSM-3: 1.Kh6-g5 14.Kf7×g8 28.Kg5-h6 Kf3-g4 =
HSM-4: 1.Ke8-d7 15.Kg6×h6 33.Kg8-h8 Bd1-b3 =

## ser-h $=\rightarrow$ Circe 3-6 units



HSM-6
Hans Moser
Hansjörg Schiegl
feenschach 1975

ser-h $=24 \quad \mathrm{C}+(3+1)$
Circe

HSM-5: 1.Ka1-b1 7.Kg1×h2 [Ra1] 14.Kb8-a8 Ra1-b1 = HSM-6: 1.Kh1-h2 6.Kh6 $\times \mathrm{h} 7$ [Ph2] $11 . \mathrm{Kh} 3 \times \mathrm{h} 217 . \mathrm{Kh} 7 \times \mathrm{g} 8$ [Rh1] 24.Ka2-a1 Rh1-h2 =

## HSM-7

Branko Koludrović
feenschach 1999


Circe
HSM-7: 1.Kd7-e6 13.Ka4×b5[Sb1] 26.Ke6×d6[Bc1] 31.Ka2-a1 Sb1-c3 =
HSM-8: $\quad 1 . \mathrm{Kh} 4-\mathrm{h} 5 \quad 11 . \mathrm{Kd} 2 \times \mathrm{d} 1[\mathrm{Bf} 1] \quad 26 . \mathrm{Kh} 4 \times \mathrm{h} 3[\mathrm{Sb} 1]$
30.Kf5×e5[Bc1] 41.Kh4-h5 Bc1-g5 =

## ARTICLES

The four 'orthodox' tasks with 7 to 10 units use very different matrices. I really like the fresh ideas of the Tomašević duo with a queen promotion in the final white stalemating move. HSM-12 even concludes in an almost ideal stalemate!

64 moves in HSM-15 is not bad for 9 units. Branko lets the black king run around and finally capture the white knight on b1 so that it does not spoil the final move. The necessary capture and rebirth of wPe6 is adding quite a few moves. The whole matrix is unique. Please note that HSM-16 is still one of the few problems with limited force that is not yet fully computer tested. Is someone able to verify?

## 'Orthodox' 7-10 units

HSM-9
Aleksandar
Atanasijević
Mat 1977

ser-h=41 $\quad \mathrm{C}+(6+1)$

HSM-10
Hans Hilmar Staudte FEENSCHACH 1965
ser-h=49
$\mathrm{C}+(7+1)$

## Circe 7-10 units

HSM-13
Branko Koludrović
feenschach 1994

ser-h=46 $\quad \mathrm{C}+(5+2)$
Circe

HSM-14
Branko Koludrović feenschach 2000

ser-h=55 C+ (6+2)
Circe

HSM-9: 1.Kd2-c1 8.Kd7×e8 23.Kg6×h6 41.Kg8-h8 Bd1-b3 = HSM-10: 1.Ka5-b5 16.Kc8×b8 32.Kb5×a6 49.Kb8-a8 Bc5-d6 $=$

HSM-11
Miloš Tomašević
Radovan Tomašević
Mat 1987

ser-h $=55 \quad \mathrm{C}+(7+2)$

HSM-12
Miloš Tomašević Radovan Tomašević Problemkiste 1990

ser-h=62 $\quad \mathrm{C}+(9+1)$

HSM-11: 1.Ka4-b4 17.Kb8×a7 34.Kb4×b5 50.Kc7×b7 51.Kb7c6 53.Bb7-c8 55.Kb7-a7 d7×c8=Q =

HSM-12: 1.Kf5-f4 12.Kc5×d6 $\quad 26 . \mathrm{Kg} 6 \times h 7 \quad 42 . \mathrm{Ke} 7 \times f 8$ 59.Kh7×h8 62.Kf6-e5 f7-f8=Q =

HSM-13: $1 . \mathrm{Kh} 4-\mathrm{h} 5 \quad 14 . \mathrm{Kc} 1 \times \mathrm{d} 1[\mathrm{Bf} 1] \quad 31 . \mathrm{Kh} 4 \times \mathrm{h} 3[\mathrm{Sb} 1]$ 35.Kf5×e5[Bc1] 46.Kh4-h5 Bc1-g5 = HSM-14: 1.Kh2-h3 12.Kb3×c3 25.Kh2×h1[Sb1] 42.Ke2×f2[Bc1] 55.Ka2-a1 Sb1c3 $=$

## HSM-15

Branko Koludrović
feenschach 1997

ser-h=64 $\quad$ C $+(8+1)$
Circe

## HSM-16

Branko Koludrović
feenschach 1996


Circe
HSM-15: 1.Kb3-b2 15. Kd8×c8[Sb1
45.Kb6×a5[Ra1] 58.Ke5×e6[Pe2] 64.Kg2-f2 Ra1-g1

HSM-16: $1 . \mathrm{Kh} 5-\mathrm{g} 6 \quad 14 . \mathrm{Kg} 2 \times \mathrm{h} 3[\mathrm{Sb} 1] \quad 28 . \mathrm{Kg} 6 \times \mathrm{g} 5[\mathrm{Pg} 2]$ 41.Kf1×g2 55.Kg5×f4[Ra1] 66.Ke2×f2[Bc1] 72.Ka2-a1 Sb1-c3 $=$

## ARTICLES

Once in a while we record hunters have our special moments when we find, to our own surprise, well-hidden possibilities. It is especially rewarding when this is the case in such basic stipulations that were already duly covered so long ago... HSM-18 beat a record of the year 1965, after 45 years! The new idea is that black needs to capture wPc3 so that it does not block the future line of the white rook. This led to a series of five new records! It is also nice that two of these positions also show a full return of the black king to his initial square.

HSM-22 is probably seen here for the first time in diagram. You can find Branko's comments to this version in the PDB as $\mathrm{PDB} / \mathrm{P} 1176791$. I enjoyed the solution of the next problem with 13 units with its unexpected pin stalemate!

ChessProblems.ca | Bulletin |
| :--- |

'Orthodox' 11-14 units
HSM-17
Arno Tüngler
ChessProblems.ca
2010

ser-h $=75 \quad \mathrm{C}+(10+1)$
HSM-17: $1 . \mathrm{Ke} 4-\mathrm{d} 3 \quad 18 . \mathrm{Ke} 1 \times \mathrm{d} 1$ 73.Kc4×c3 75.Kd3-e4 Ra2-a3 =

HSM-18: 1.Ke4-d3 19.Ke1×d1 37.Kc4×b3 57.Kc1×b1 77.Kc4×c3 79.Kd3-e4 Ra2-a3 =

HSM-19

## Arno Tüngler

 ChessProblems.ca2010

ser-h=90 $\quad \mathrm{C}+(12+1)$

HSM-18
Arno Tüngler ChessProblems.ca 2010

ser-h $=79 \quad \mathrm{C}+(11+1)$

## Circe 11-14 units

HSM-21
Branko Koludrović
feenschach 1999

ser-h=88 C+ (10+1) Circe 72.Kf5×e4[Rh1] 88.Kf8-g8 $2 \times \mathrm{g} 3[\mathrm{Sg} 1]$

HSM-22: $\quad 1 . \mathrm{Kf} 4-\mathrm{g} 5 \quad 20 . \mathrm{Kg} 2 \times \mathrm{h} 3[\mathrm{Ph} 2] \quad 21 . \mathrm{Kh} 3 \times \mathrm{h} 2$ 22.Kh $2 \times \mathrm{g} 3[\mathrm{Sg} 1] \quad 41 . \mathrm{Kg} 5 \times \mathrm{f} 5[\mathrm{Pf} 2] \quad 58 . \mathrm{Ke} 1 \times \mathrm{f} 2 \mathrm{76.Kf} 5 \times \mathrm{e} 4[\mathrm{Rh} 1]$ 92.Kf8-g8 Sb8-d7 =

HSM-23

## Branko Koludrović

feenschach 1996

ser-h=95 C+ (10+3)
Circe
HSM-23: 1.Ka5-b6
40.Kb6×b5[Pb2] 94.Kf6-f5 95.f7-f6 Rh1-h5 =

HSM-24: $\quad 1 . \mathrm{Kh} 5-\mathrm{g} 6 \quad 19 . \mathrm{Kf} 1 \times \mathrm{g} 2[\mathrm{Rh} 1] \quad 20 . \mathrm{Kg} 2 \times \mathrm{h} 1$
$40 . \mathrm{Kg} 6 \times \mathrm{g} 5[\mathrm{Pg} 2] \quad 59 . \mathrm{Kf} 1 \times \mathrm{g} 2 \quad 79 . \mathrm{Kg} 5 \times \mathrm{f} 4[\mathrm{Ra} 1] \quad 81 . \mathrm{Kf} 3 \times \mathrm{f} 2[\mathrm{Bc} 1]$ $93 . \mathrm{Kb} 7 \times$ b6[Pb2] 105.Kf3-e4 Sf5-d4 $=$

HSM-24 Branko Koludrović
feenschach 2000

ser-h=105
$(9+5)$
Circe
$\mathrm{Kc} 1 \times \mathrm{b} 2[\mathrm{Ra} 1] \quad 20 . \mathrm{Kb} 2 \times \mathrm{a} 1$ f1]

HSM-22
Branko Koludrović
Version
feenschach 1999

ser-h= $92 \quad \mathrm{C}+(11+1)$
Circe

HSM-20
Arno Tüngler ChessProblems.ca
2010

ser-h $=95 \quad \mathrm{C}+(13+1)$

HSM-19: 1.Ke1-f1 16.Kc4×d3 33.Ke1×d1 50.Kc4×b3 69.Kc1×b1 88.Kc4×c3 90.Kd3-e4 Ra2-a3 =

HSM-20: 1.Ke1-f1 17.Kc4×d3 35.Ke1×d1 53.Kc4×b3 73.Kc1×b1 93.Kc4×c3 95.Kd3-e4 Ra2-a3 =

## ARTICLES

HSM-25 was the first position that I found in the above-mentioned series of new length records. What I really was looking for was to beat an earlier record of Vladimír Janál with a lone black king. He had the great idea to have the capture of the wPc3 as the final goal, but his stalemate position was with the wRa2 moving to c2! It turned out that the vertical line gave more moves than the horizontal...

Itamar Faybish commented on Branko's HSM-32 in his article in feenschach 2009 on "task/records based tournaments": "Took me some time to understand, incredible! I am not very familiar with the Circe condition, as I have not yet composed with it, but such compositions surely show how elegant ideas can be implemented with it. Really impressive."

## 'Orthodox' 15-18 units

HSM-25
Vladimír Janál
Arno Tüngler
ChessProblems.ca
2010
$3^{\text {rd }}$ Honourable Mention

ser-h=99 $\quad$ C+ $(14+1)$

HSM-26
Miloš Tomašević
Radovan Tomašević
Mat 1989

ser-h $=\quad \mathrm{C}+(13+3)$ 103

HSM-25: 1.Kg3-h2 $4 . \mathrm{Kf} 1 \times \mathrm{e} 121 . \mathrm{Kc} 4 \times \mathrm{d} 3$ 39.Ke1×d1 $57 . \mathrm{Kc} 4 \times$ b3 77.Kc1×b1 97.Kc4×c3 99.Kd3-e4 Ra2-a3 =

HSM-26: 1.Kc8-d8 $16 . \mathrm{Kc} 2 \times \mathrm{b} 333 . \mathrm{Kc} 8 \times \mathrm{b} 852 . \mathrm{Kb} 5 \times \mathrm{a} 672 . \mathrm{Kb} 8 \times \mathrm{a} 8$ 92.Kb5×c6 93.Kc6×d6 102.Kg5-h4 103.g6-g5 Sd1-f2 =

HSM-27
Miloš Tomašević
Radovan Tomašević

## Mat 1989

Special Prize

ser-h=
113

HSM-28
Miloš Tomašević
Radovan Tomašević
Mat 1989
Special Prize

ser-h=
114
$\mathrm{C}+(16+2)$
HSM-27: 1.Kc8-d8 19.Ka3×b4 39.Kc8×b8 61.Kb5×a6 62.Ka6×a5 $84 . \mathrm{Kb} 8 \times \mathrm{a} 8107 . \mathrm{Kb} 5 \times \mathrm{c} 6108 . \mathrm{Kc} 6 \times \mathrm{d} 6113 . \mathrm{Kf8} 8 \mathrm{~g} 8 \mathrm{Qe} 3-\mathrm{h} 6=$
HSM-28: $1 . \mathrm{Kc} 8$-d8 19.Ka3×b4 $39 . \mathrm{Kc} 8 \times \mathrm{b} 861 . \mathrm{Kb} 5 \times \mathrm{a} 662 . \mathrm{Ka} 6 \times \mathrm{a} 5$ 84.Kb8×a8 107.Kb5×c6 108.Kc6×d6 114.Ka2-d1 Qe3-d2 =

Circe 15-18 units


HSM-30
Branko Koludrović

## feenschach 2001



HSM-29: 1.Kd6-e7 9.Kh3×h2[Bc1] 20.Kc6 $\times \mathrm{b} 7 \quad[\mathrm{~Pb} 2]$ $38 . \mathrm{Kb} 1 \times \mathrm{a} 2 \quad 58 . \mathrm{Ka} 6 \times \mathrm{a} 5[\mathrm{~Pa} 2] \quad 78 . \mathrm{Kb} 1 \times \mathrm{a} 2 \quad 99 . \mathrm{Ka} 5 \times \mathrm{b} 4[\mathrm{Ra} 1]$ 117.Kc6*b6 [Sg1] 120.Kd7-e8 Ra1-a7 =

HSM-30: 1.Ke5-f6 3.Ke7×e8[Bf1] 11.Kh3×h2[Bc1] 22.Kc6×b7 [Pb2] $35 . \mathrm{Kg} 1 \times \mathrm{f} 1 \quad 40 . \mathrm{Kb} 1 \times \mathrm{a} 2 \quad 60 . \mathrm{Ka} 6 \times \mathrm{a} 5[\mathrm{~Pa} 2] \quad 80 . \mathrm{Kb} 1 \times \mathrm{a} 2$ 101.Ka5×b4[Ra1] 119.Kc6*b6 [Sg1] 122.Kd7-e8 Ra1-a7 =

## HSM-31

Branko Koludrović
feenschach 1999


## ser-h= $\quad \mathrm{C}+(13+4)$ <br> 123 Circe

## HSM-32

Branko Koludrović
feenschach 2001


HSM-31: 1.Ke5-f6 9.Kh3×h2[Bc1] 21.Kc6×b7 [Pb2] $40 . \mathrm{Kb} 1 \times \mathrm{a} 2 \quad 61 . \mathrm{Ka} 6 \times \mathrm{a} 5[\mathrm{~Pa} 2] \quad 82 . \mathrm{Kb} 1 \times \mathrm{a} 2 \quad 104 . \mathrm{Ka} 5 \times \mathrm{b} 4[\mathrm{Ra} 1]$ 123.Kc6*b6[Sg1] d7-d8=S =

HSM-32: 1.Kd8-e8 2.f7-f6 8.Kh5×h4[Bc1] 14.Ke1-d1 15.f6×e5 $30 . \mathrm{Kc} 6 \times \mathrm{b} 7 \quad[\mathrm{~Pb} 2] \quad 48 . \mathrm{Kb} 1 \times \mathrm{a} 2 \quad 68 . \mathrm{Ka} 6 \times \mathrm{a} 5[\mathrm{~Pa} 2] \quad 88 . \mathrm{Kb} 1 \times \mathrm{a} 2$ 109.Ka5×b4[Ra1] 127.Kc6*b6 [Sg1] 130.Kd7-e8 Ra1-a7 =

## ARTICLES

## Circe 19-22 units



HSM-33
Branko Koludrović
feenschach 1999


## HSM-34

 CirceHSM-33: 1.Ka1-b1 10.Kh4-h5 12.Rh4-h2 14.Kh4-h3 16.Rh4g4 24.Kd8×c8[Bf1] 32.Kh4-h3 34.Rh4-h6 36.Kh4-h5 38.Rh4g4 43.Kg1×f1 48.Kh4-h5 50.Rh4-h2 52.Kh4-h3 54.Rh4-g4 65.Kc6×b5[Sb1] 76.Kh4-h3 78.Rh4-h6 80.Kh4-h5 82.Rh4-g4 91.Kc1×b1 100.Kh4-h5 102.Rh4-h2 104.Kh4-h3 106.Rh4-g4 118.Kd6×e5[Ra1] 130.Kh4-h3 132.Rh4-h6 134.Kh4-h5 136.Rh4g4 139.Kh3-h2 140.Rh6-h3 142.h5-h4 e4-e5 =

HSM-34: 1.Rh4-g4 2.Rh2-h6 6.Kh4-h5 8.Rh4-h2 10.Kh4-h3 12.Rh4-g4 24.Kc4×d3[Sb1] 36.Kh4-h3 38.Rh4-h6 40.Kh4-h5 42.Rh4-g4 49.Ke1×d1[Bf1] 51.Ke1×f1 56.Kh4-h5 58.Rh4-h2 60.Kh4-h3 62.Rh4-g4 74.Kc4×b3 86.Kh4-h3 88.Rh4-h6 90.Kh4h5 92.Rh4-g4 101.Kc1×b1 110.Kh4-h5 112.Rh4-h2 114.Kh4-h3 116.Rh4-g4 129.Kd4×e5[Ra1] 142.Kh4-h3 144.Rh4-h6 146.Kh4h5 148.Rh4-g4 151.Kh3-h2 152.Rh6-h3 154.h5-h4 e4-e5 =

HSM-35
Branko Koludrović
feenschach 1999

ser-h=178
$(10+11)$
Circe

HSM-36
Branko Koludrović
feenschach 1999

ser-h=179
$(11+11)$
Circe

HSM-35: 1.Ke3-e4 13.Ka4-a3 15.Ra4-a6 17.Ka4-a5 19.Ra4 b4 25.Kc1×d1[Bf1] 31.Ka4-a5 33.Ra4-a2 35.Ka4-a3 37.Ra4b4 51.Kf3×g3[Bc1] 65.Ka4-a3 67.Ra4-a6 69.Ka4-a5 71.Ra4b4 76.Kb1×c1 81.Ka4-a5 83.Ra4-a2 85.Ka4-a3 87.Ra4-b4 99.Ke5×f4[Sg1] 111.Ka4-a3 113.Ra4-a6 115.Ka4-a5 117.Ra4b4 125.Ke1×f1 126.Kf1×g1 135.Ka4-a5 137.Ra4-a2 139.Ka4-a3 141.Ra4-b4 155.Kg4×h5[Rh1] 166.Ka4-a3 168.Ra4-a6 170.Ka4a5 172.Ra4-b4 175.Ka3-a2 176.Ra6-a3 178.a5-a4 Se7-d5 =

HSM-36: 1.Ke4×e3 14.Ka4-a3 16.Ra4-a6 18.Ka4-a5 20.Ra4b4 26.Kc1×d1[Bf1] 32.Ka4-a5 34.Ra4-a2 36.Ka4-a3 38.Ra4b4 52.Kf3×g3[Bc1] 66.Ka4-a3 68.Ra4-a6 70.Ka4-a5 72.Ra4b4 $77 . \mathrm{Kb} 1 \times \mathrm{c} 1$ 82.Ka4-a5 84.Ra4-a2 86.Ka4-a3 88.Ra4-b4 100.Ke5×f4[Sg1] 112.Ka4-a3 114.Ra4-a6 116.Ka4-a5 118.Ra4b4 126.Ke1×f1 127.Kf1×g1 136.Ka4-a5 138.Ra4-a2 140.Ka4-a3 142.Ra4-b4 156.Kg4×h5[Rh1] 167.Ka4-a3 169.Ra4-a6 171.Ka4a5 173.Ra4-b4 176.Ka3-a2 177.Ra6-a3 179.a5-a4 Se7-d5 =

## ARTICLES

## Circe 23-25 units

HSM-37
Branko Koludrović
Arno Tüngler
Original

ser-h= 191
$(12+11)$
Circe

## HSM-38

Branko Koludrović
Arno Tüngler
Chessproblems.ca
Bulletin 2015

ser-h= 198
$(13+11)$
Circe

HS-37: 1.Ra4-b4 2.Ra2-a6 6.Ka4-a5 8.Ra4-a2 10.Ka4-a3 12.Ra4-b4 22.Kf3×g3[Bc1] 32.Ka4-a3 34.Ra4-a6 36.Ka4-a5 38.Ra4-b4 43.Kb1×c1 48.Ka4-a5 50.Ra4-a2 52.Ka4-a3 54.Ra4b4 63.Ke4×e3[Sg1] 72.Ka4-a3 74.Ra4-a6 76.Ka4-a5 78.Ra4b4 87.Kf1×g1 96.Ka4-a5 98.Ra4-a2 100.Ka4-a3 102.Ra4-b4 115.Kh6×h7[Bf1] 128.Ka4-a3 130.Ra4-a6 132.Ka4-a5 134.Ra4b4 142.Ke1×f1 150.Ka4-a5 152.Ra4-a2 154.Ka4-a3 156.Ra4-b4 171.Kg8×f7[Rh1] 179.Ka4-a3 181.Ra4-a6 183.Ka4-a5 185.Ra4b4 188.Ka3-a2 189.Ra6-a3 191.a5-a4 Sf4×d5 =

HSM-38: 1.Ra4-b4 2.Ra2-a6 6.Ka4-a5 8.Ra4-a2 10.Ka4a3 12.Ra4-b4 22.Kf3×g3[Bc1] 32.Ka4-a3 34.Ra4-a6 36.Ka4-a5 38.Ra4-b4 43.Kb1×c1 48.Ka4-a5 50.Ra4-a2 52.Ka4-a3 54.Ra4b4 63.Ke4×e3[Sg1] 72.Ka4-a3 74.Ra4-a6 76.Ka4-a5 78.Ra4b4 87.Kf1×g1 96.Ka4-a5 98.Ra4-a2 100.Ka4-a3 102.Ra4-b4 115.Kh6×h7[Bf1] 128.Ka4-a3 130.Ra4-a6 132.Ka4-a5 134.Ra4b4 142.Ke1×f1 150.Ka4-a5 152.Ra4-a2 154.Ka4-a3 156.Ra4-b4 171.Kg8×f7[Rh1] 186.Ka4-a3 188.Ra4-a6 190.Ka4-a5 192.Ra4b4 195.Ka3-a2 196.Ra6-a3 198.a5-a4 Sf4×d5 =

HSM-39
Branko Koludrović
Arno Tüngler
Chessproblems.ca
Bulletin 2015

ser-h=203 $\quad(14+11)$ Circe

HSM-39: 1.Ra4-b4 2.Ra5-a2 6.a3×b2 7.Ra2-a6 11.Ka4-a5 13.Ra4-a2 15.Ka4-a3 17.Ra4-b4 27.Kf3×g3[Bc1] 37.Ka4-a3 39.Ra4-a6 41.Ka4-a5 43.Ra4-b4 48.Kb1×c1 53.Ka4-a5 55.Ra4a2 57.Ka4-a3 59.Ra4-b4 68.Ke4×e3[Sg1] 77.Ka4-a3 79.Ra4a6 81.Ka4-a5 83.Ra4-b4 92.Kf1×g1 101.Ka4-a5 103.Ra4-a2 105.Ka4-a3 107.Ra4-b4 120.Kh6×h7[Bf1] 133.Ka4-a3 135.Ra4a6 137.Ka4-a5 139.Ra4-b4 147.Ke1×f1 155.Ka4-a5 157.Ra4-a2 159.Ka4-a3 161.Ra4-b4 176.Kg8×f7[Rh1] 191.Ka4-a3 193.Ra4a6 195.Ka4-a5 197.Ra4-b4 200.Ka3-a2 201.Ra6-a3 203.a5-a4 Sf4×d5 =

## ARTICLES

In 2010 four authors managed to add 2 moves to a position by the Tomašević duo. This is in any case a great achievement. Naturally more attention will always be paid to the extraordinary discovery of Markus Ott, published 30 years earlier. As I already noted in my earlier "King size" article, the 153mover had even received the highest rating possible by all three judges when selected for the FIDE-Album 1980-82. Will there be anything similar in the future?
'Orthodox' 19, 20 units and Overall Records
HSM-40
Vladimír Janál
Zoran Sibinović
Radovan Tomašević
Ján Golha
Blog zlinskeho problemisty 2010

ser-h=
118

ser-h $=\quad \mathrm{C}+(10+10)$ 134

HSM-40: $\quad 1 . \mathrm{Kc} 8-\mathrm{d} 8 \quad 19 . \mathrm{Ka} 3 \times \mathrm{b} 4 \quad 39 . \mathrm{Kc} 8 \times \mathrm{b} 8 \quad 61 . \mathrm{Kb} 5 \times \mathrm{a} 6$ 62.Ka6×a5 $84 . \mathrm{Kb} 8 \times \mathrm{a} 8 \quad 107 . \mathrm{Kb} 5 \times \mathrm{c} 6 \quad 108 . \mathrm{Kc6}-\mathrm{d} 5 \quad 110 . \mathrm{c} 5 \times \mathrm{d} 4$ 113.d2-d1=R 115.Rd4-e4 117.Ke5-f6 118.Re4-g4 Kf3×g4 =

HSM-41: 1.Rh4-g4 2.Rh2-h6 6.Kh4-h5 8.Rh4-h2 10.Kh4h3 12.Rh4-g4 21.Kc4×d3 30.Kh4-h3 32.Rh4-h6 34.Kh4-h5 36.Rh4-g4 43.Ke1×d1 50.Kh4-h5 52.Rh4-h2 54.Kh4-h3 56.Rh4g4 65.Kc4 $\times$ b3 74.Kh4-h3 76.Rh4-h6 78.Kh4-h5 80.Rh4-g4 89.Kc1×b1 98.Kh4-h5 100.Rh4-h2 102.Kh4-h3 104.Rh4-g4 113.Kc4×c3 114.Kc3×d4 122.Kh4-h3 124.Rh4-h6 126.Kh4-h5 128.Rh4-g4 131.Kh3-h2 132.Rh6-h3 134.h5-h4 Bb8-a7 =

## HSM-42

## Markus Ott

feenschach 1980
Prize

ser-h=
C+ (11+10)
153

HSM-43
Arno Tüngler
feenschach 2013

ser-h=
161

HSM-42: 1.Rh4-g4 2.Rh2-h6 6.Kh4-h5 8.Rh4-h2 10.Kh4h3 12.Rh4-g4 24.Kc4×d3 36.Kh4-h3 38.Rh4-h6 40.Kh4-h5 42.Rh4-g4 49.Ke1×d1 56.Kh4-h5 58.Rh4-h2 60.Kh4-h3 62.Rh4g4 74.Kc4×b3 86.Kh4-h3 88.Rh4-h6 90.Kh4-h5 92.Rh4-g4 101.Kc1×b1 110.Kh4-h5 112.Rh4-h2 114.Kh4-h3 116.Rh4-g4 $128 . \mathrm{Kc} 4 \times \mathrm{c} 3129 . \mathrm{Kc} 3 \times \mathrm{d} 4$ 141.Kh4-h3 143.Rh4-h6 145.Kh4-h5 147.Rh4-g4 150.Kh3-h2 151.Rh6-h3 153.h5-h4 Be7-c5 =

HSM-43: 1.Kc7-c6 7.Bd8-b6 9.Kb5-a6 11.Ba5-b4 16.Kb2-c1 25.Be1-d2 27.Kd1-e1 38.Bh4-f2 40.Kf1-g2 41.Bf2-g3 43.Kh3-h4 54.Bh6-g5 57.Kg6×f7 60.Kh5-h4 71.Be1-g3 73.Kh3-g2 74.Bg3-f2 76.Kf1-e1 87.Bc1-d2 89.Kd1-c1 98.Ba5-b4 103.Ka5-a6 105.Ba5b6 107.Kb5-c6 108.Bb6-c7 109.Kc6×d7 110.Kd7-c6 111.Bc7b6 113.Kb5-a6 115.Ba5-b4 120.Kb2-c1 129.Be1-d2 131.Kd1e1 142.Bh4-f2 144.Kf1-g2 145.Bf2-g3 147.Kh3-h4 158.Bh6-g5 160.Kh5-g6 161.Bg5 $\times$ f6 Ke4-d5 $=$

## ARTICLES

Over 200 moves for the Circe overall records are quite an achievement, especially without promoted force. Branko and I could work this out by slightly amending the position of the to-be-captured white units. Maybe you can find a way to add another king circuit?

## Circe Overall Records



Circe

HSM-44: 1.Ra4-b4 2.Ra3×a5[Pa2] 3.Ra5×a2 7.a3×b2 8.Ra2a6 12.Ka4-a5 14.Ra4-a2 16.Ka4-a3 18.Ra4-b4 28.Kf3×g3[Bc1] 38.Ka4-a3 40.Ra4-a6 42.Ka4-a5 44.Ra4-b4 49.Kb1×c1 54.Ka4a5 56.Ra4-a2 58.Ka4-a3 60.Ra4-b4 69.Ke4×e3[Sg1] 78.Ka4a3 80.Ra4-a6 82.Ka4-a5 84.Ra4-b4 93.Kf1×g1 102.Ka4-a5 104.Ra4-a2 106.Ka4-a3 108.Ra4-b4 121.Kh6×h7[Bf1] 134.Ka4a3 136.Ra4-a6 138.Ka4-a5 140.Ra4-b4 148.Ke1×f1 156.Ka4-a5 158.Ra4-a2 160.Ka4-a3 162.Ra4-b4 177.Kg8×f7[Rh1] 192.Ka4a3 194.Ra4-a6 196.Ka4-a5 198.Ra4-b4 201.Ka3-a2 202.Ra6-a3 204.a5-a4 Sf4×d5 =

## HSM-45

Branko Koludrović
feenschach 2000


HSM-45: 1.Kh4-h3 3.Kh2-g1 4.Rh5-h2 8.h3×g2 9.Rh2-h6 13.Kh4-h5 15.Rh4-h2 17.Kh4-h3 19.Rh4-h4 25.Kf8×e8[Bf1] 31.Kh4-h3 33.Rh4-h6 35.Kh4-h5 37.Rh4-g4 42.Kg1×f1 47.Kh4h5 49.Rh4-h2 51.Kh4-h3 53.Rh4-g4 64.Kc4×d3[Sb1] 75.Kh4h3 77.Rh4-h6 79.Kh4-h5 81.Rh4-g4 88.Ke1×d1[Bf1] 90.Ke1×f1 95.Kh4-h5 97.Rh4-h2 99.Kh4-h3 101.Rh4-g4 113.Kb4×a4[Bf1] 114.Ka4×b3 125.Kh4-h3 127.Rh4-h6 129.Kh4-h5 131.Rh4-g4 136.Kg1×f1 141.Kh4-h5 143.Rh4-h2 145.Kh4-h3 147.Rh4-g4 156.Kc6xb5Sb1 165.Kh4-h3 167.Rh4-h6 169.Kh4-h5 171.Rh4g4 180.Kc1×b1 189.Kh4-h5 191.Rh4-h2 193.Kh4-h3 195.Rh4-g4 207.Ka7×b8[Ra1] 219.Kh4-h3 221.Rh4-h6 223.Kh4-h5 225.Rh4g4 228.Kh3-h2 229.Rh6-h3 231.h5-h4 Bg8×e6Pe7 =

## Comments and Corrections

## Arno Tüngler <br> Looking Back Without Anger

Over the past three years, some interesting material has been published in this Bulletin and there are many ideas that can still be further developed. Once in a while it seems good to look back and correct something, improve or just show what else is possible. This time we would like to comment on three such matters.

## Solutions:

LB-1: 1.Qe7-e3 2.Qe3-h6 7.e7-e8=B 8.c7-c8=R 9.Rc8-c6 10.Be8×h5 11.Kf6-g6 12.Rc6-f6 15.c7-c8=S 16.a7-a8=Q 18.Qg2-g5 19.Sc8-e7+ Sf5×e7 \#

LB-2: i) $1 . \mathrm{g} 7-\mathrm{g} 8=\mathrm{S} 3 . \mathrm{Sf6} 6 \mathrm{e} 4 \mathrm{4} . \mathrm{g} 6 \times \mathrm{h} 7[\mathrm{Qe8}] 5 . \mathrm{h7}-$ h8=R 6.Rh8-h1+ Qe8×e4[Sg1] \#; ii) $1 . \mathrm{g} 7-\mathrm{g} 8=\mathrm{B}$ 3.Bd5-e4 $\quad 4 . \mathrm{g} 6 \times \mathrm{h} 7[\mathrm{Qe} 8] \quad$ 5.h7-h8=Q 6.Qh8-a1+ Qe8×e4[Bc1] \#
LB-3: $\quad 1 . \mathrm{Kd} 5 \times \mathrm{c} 4[+\mathrm{bQd} 8] \quad 4 . \mathrm{Kc} 6 \times \mathrm{b} 7[\mathrm{Ra} 8]$ $8 . \mathrm{Ka} 4 \times \mathrm{a} 3[\mathrm{~Pa} 7] \quad 10 . \mathrm{Kb} 2 \times \mathrm{c} 1[\mathrm{Rh} 8] \quad 12 . \mathrm{Kb} 2 \times \mathrm{a}[\mathrm{Sb} 8]$ $14 . \mathrm{Kb} 2 \times \mathrm{b} 3[\mathrm{~Pb} 7] \quad 16 . \mathrm{Kc} 4 \times \mathrm{d} 3[\mathrm{Pd} 7] \quad 17 . \mathrm{Kd} 3 \times \mathrm{c} 2[\mathrm{Pc} 7]$ $20 . \mathrm{Ka} 4 \times \mathrm{a} 5[\mathrm{Bf} 8] \quad 26 . \mathrm{Ke} 1 \times \mathrm{ff}[\mathrm{Sg} 8] \quad 28 . \mathrm{Kg} 1 \times \mathrm{h} 1[\mathrm{~B} 88]$ 35.Kd3×e3[Pe7] 36.Ke3×f3[Pf7] 37.Kf3 $\times \mathrm{g} 3[\mathrm{Pg} 7]$ 39.Kh4×h5[Ph7] 41.Kh4-g3 45.h6 $\times$ g7 \%

| LB-4: 1 | 1. $\mathrm{Ka7} \times \mathrm{a} 6$ (Qd8) | 2.Ka6×b5(Ra8) |
| :---: | :---: | :---: |
| $3 . \mathrm{Kb5} \times \mathrm{b} 4(\mathrm{~Pb} 7)$ | 4.Kb4×c3(Pc7) | 5.Kc3×d2(Rh8) |
| 8.Kb4×a3(Pa7) | 9. $\mathrm{Ka} 3 \times \mathrm{a}$ (ВС8) | 10.Ka2×a1(Bf8) |
| (Sb8) | 13.Kc3×d3(Pd7) | 14.Kd3×e2(Pe7) |
| ff) | 17. | 7) |
| Bh1 $\times \mathrm{g} 2$ | $20 . \mathrm{Bg} 2 \times \mathrm{h} 3(\mathrm{Ph} 7)$ | $21 . \mathrm{Bh} 3 \times \mathrm{d} 7 \%$ |

The first article in the "Series-mover Artists" series in CPB9 unfortunately contained an unsound problem (IK-1, page 326), initially even incorrectly marked as $\mathrm{C}+$. The cook is long known: 1.Kf6-g6 2.Qe3-g5 7.e7-e8=S 8.a7-a8=Q 10.Qh1-h6 11.c7-c8=R 12.Rc8-c6 14.Sg7-h5 15.Rc6-f6 18.c7-c8=S 19.Sc8-e7+ Sf5×e7\#. While this may be embarrassing for the article's author, it gives a good opportunity to correct this excellent problem. Obviously one could just eliminate the first move (and then further replace the $w Q$ with a $w B$ ), but that would also decrease the content with the nice queen manoeuvre shown in the first two moves. Thus, I believe that Krikheli would have preferred the LB-1 position, retaining all content with the small drawbacks that it no longer has minimal black force and incorporates one idle capture. What do you think?

In the same issue, T-300 was published as after Günter Glaß with two fairy conditions in order to avoid a cook-stopper pawn. Now I realized that it would have been sufficient to use Vertical Mirror Circe (LB-2)! There is really no difference in the value of those two conditions, so in my eyes this is a real improvement. Still there are some small minuses: one extra move and one repeated move, if compared with the original. Again, what do the readers think?

Finally, I am looking back further to the challenge that I had proposed in CPB8 (page 290). There is, obviously, no anger that again nobody reacted to the challenge, probably the idea was not attractive enough... In any case, I had to try again myself and I have managed to come up with two new positions. LB-3 has the theoretical maximum of 15 captures and the record number of moves so far. On the other hand, I thought that maybe it is even harder to achieve the same task with a minimum number of moves and LB-3 shows that, just 21 moves - with 15 of them being captures. Who can achieve more or, respectively, less?

## LB-1

## losif Krikheli

 correction 2016Schach-Echo 1977


LB-3
Arno Tüngler Original


## ser-\% 45

$\mathrm{C}+(2+16)$
Circe

LB-2
Arno Tüngler
after Günter Glaß

## Original


ser-s\# 6
$\mathrm{C}+(3+2)$
Vertical Mirror Circe
2 solutions
LB-4
Arno Tüngler
Original


The imperative of creative work.
"Before I can discard the verse, I have to write it. [...] It's just as hard to write a bad verse as a good verse. I can't discard a verse before it is written because it is the writing of the verse that produces whatever delights or interests or facets that are going to catch the light."


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Cecil's Saturday Puzzle - October 4, 2014
From the Winnipeg Free Press

a help double stalemate in 12 1/2 moves. (Bodnar)
Cecil Rosner writes:
"I'll admit: this may be the the most unusual problem I have ever published. It is composed by Zoltan Bodnar of Winnipeg as a tribute to singer-songwriter Leonard Cohen on the occasion of Cohen's 80th birthday last month. Bodnar, a prolific problem composer, calls it Five Queens for Mr. Cohen
The idea is for White to move first (the first move is forced) and then to help Black reach a position where nothing can move - effectively, a double stalemate.
I do not expect anyone to be able to solve this one..."

[^2]
[^0]:    ser-s= 77
    Circe
    $\mathrm{C}+(1+16)$ ser-s= 122
    Circe

[^1]:    Nicolas Dupont

[^2]:    A 2014 post in Chess Manitoba, "A blog for Chess activities in Manitoba, particularly Chess in Winnipeg"
    Zoltan's problem had been published earlier in the venerable Winnipeg Free Press of Saturday, October 4, 2014, in Cecil Rosner's CHESS column.

