## Contents



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## CHESSPROBLEMS.CA BULLETIN

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## ORIGINALS

ChessProblems．ca＇s annual Informal Tourney is open for series－movers of any type and with any fairy conditions and pieces．Hors concours compositions（any genre）are also welcome！
Send to：originals＠chessproblems．ca．

## 2015 Judge：

George P．Sphicas
2015 Tourney Participants：

| 1．Alberto Armeni | （ITA） |
| :--- | ---: |
| 2．György Bakcsi | （HUN） |
| 3．Harald Grubert | （DEU） |
| 4．Michael Grushko | （ISR） |
| 5．L＇uboš Kekely | （SVK） |
| 6．Branko Koludrović | （HRV） |
| 7．Václav Kotěšovec | （CZE） |
| 8．Karol Mlynka | （SVK） |
| 9．Ladislav Packa | （SVK） |
| 10．Cornel Pacurar | （CAN） |
| 11．Paul Răican | （ROU） |
| 12．Arno Tüngler | （DEU） |

ChessProblems．ca Bulletin Issue 5

## 2015 Informal Tourney



## $-5 \mathrm{~b} \& \# 1$

 Circe Assassin
## ＋5）ser－h\＃4

Mirror Circe Turncoats
White Super－Transmuting
King
b）产 $\mathrm{a} 8 \rightarrow \mathrm{~h} 8 \quad$ c） 罗 $\mathrm{a} 8 \rightarrow \mathrm{~d} 8$
d）患 $\mathrm{f} 3 \rightarrow \mathrm{~b} 4 \quad$ e）${ }^{\circ} \mathrm{f} 3 \rightarrow \mathrm{~h} 4$

| T227 |  |
| :--- | :--- |
| György Bakcsi | Tadislav Packa |

ser－h\＃ 4
Einstein Chess
Anti－Andernach Chess
BackToBack
White Super－Transmuting
King
2 Solutions
T229

ser－s\＃ 4
3 Solutions
$\mathrm{C}+(6+5)$ ser－h＝5
b） $\mathrm{h} 3 \rightarrow \mathrm{~g} 3$
$\mathrm{C}+(3+5) \mathrm{ser}+228$
）${ }^{6} 7 \rightarrow \mathrm{~g}$
$(3+5)$
$\rightarrow \mathrm{g} 4$
Circ
Circe

## ORIGINALS

## T229：

New overall record for Circe series－selfmates with promoted force！These are 20 moves more than the previous record．
（Authors）

## T230：

New Circe record for this stipulation and 6 units，with an interesting path of the wK！ （Author）

## T231：

An idea from Michael Neumeier that is quite a paradox！He raised it in the forum in January 2013 and named it＂Imaginary Parry＂．When I showed him a first example with 6 moves he commented：＂As for this imaginary parry curiosity of mine，l＇d be a happy enough fan of the art just to see that coefficent $n$ rise＂． Now n is already 9 ，any ideas how to get it higher？Obviously it remains a bit＇strange＇ that there is a solution without any check in a parry seriesmover but in this context it seems justified．The stalemates are echoes in different corners．It would be better if they were＇exact＇echoes with the wR in the same position towards the kings but I did not succeed until now．
（Author）

T231


T234
Václav Kotěšovec

| phser－＝ 9 | C $+(2+4)$ ser－s\＃ 4 | $\mathrm{C}+(6+6)$ ser－$!=15 \quad \mathrm{C}+$ | C＋（ $5+1$ ）ser－！＝ 14 | $\mathrm{C}+(5+1)$ |
| :---: | :---: | :---: | :---: | :---: |
| 2 Solutions | SAT | $\begin{aligned} & 3 \text { Solutions } \\ & =\text { Grasshopper } \\ & =\text { Nightriderhopper } \\ & =\text { Kangaroo } \\ & =\text { Moa } \end{aligned}$ | 3 Solutions |  |
|  | Maximummer |  | 気 $=$ Grasshopper |  |
|  | 3 Solutions |  | per $\quad$ 㤩 $=$ Rookhopper |  |
|  |  |  | 哠＝Kangaroo |  |
|  |  |  | N Moa |  |

## T235

Václav Kotěšovec

T233
Václav Kotěšovec



## T237

Harald Grubert
his $50^{\text {th }}$ birthday Pacurar for Dedicated to Cornel Pacurar for


|  |  |  |
| :---: | :---: | :---: |
| Double Maximummer | Equipollents Circe | b） $\boldsymbol{6}_{\text {g } 2 \rightarrow \mathrm{~h} 2}$ |
| 気＝Grasshopper | Take\＆Make Chess | $\boldsymbol{\beta}=$ Neutral Paw |
| 鬲＝Rookhopper |  | O $=$ Imitator |

b）
－Intral Pawn
$=$ Imitator

## ORIGINALS

T232:
Busy knight. Antiduals. Meredith.
Zugzwangs.
(Author)


## ORIGINALS

## T235:

C+ Alybadix \& WinChloe

## T223 (Cornel Pacurar):

$-1 . \mathrm{Sf} 4 \times \mathrm{Pg} 2(+\mathrm{wPg} 2,-\mathrm{bSg} 2) \quad-2 . \mathrm{Sh} 5-\mathrm{f} 4 \quad-3 . \mathrm{Rh} 2 \times \mathrm{Pg} 2(+w P g 2,-\mathrm{bRg} 2)$ $-4 . \operatorname{Rh} 4-\mathrm{h} 2-5 . \mathrm{Ph} 3 \times \operatorname{Pg} 2(+\mathrm{wPg} 2,-\mathrm{bPg} 2) \& 1 . \mathrm{Kh} 6-\mathrm{g} 5 \#$

## T224 (Karol Mlynka):

a) $1 . \mathrm{Ke} 3[+\mathrm{bPf} 3] 2 . \mathrm{f} 23 . \mathrm{f} 1 \mathrm{Q} 4 . \mathrm{Qf3}+\mathrm{K} \times \mathrm{f} 3=\mathrm{Q}[+\mathrm{bQd} 1=\mathrm{w}]$ \#
b) $1 . \mathrm{Kg} 2[+\mathrm{bPf} 3] 2 . \mathrm{Kf1}[+\mathrm{bPg} 2] 3 . \mathrm{g} 1 \mathrm{Q} 4 . \mathrm{Qh} 2+\mathrm{K} \times \mathrm{h} 2=\mathrm{Q}[+\mathrm{bQd} 1=\mathrm{w}] \#$
c) $1 . \mathrm{Ke} 2[+\mathrm{bPf} 3] 2 . \mathrm{Kf1}[+\mathrm{bPe} 2] 3 . \mathrm{e} 1 \mathrm{Q} 4 . \mathrm{Qd} 2+\mathrm{K} \times \mathrm{d} 2=\mathrm{Q}[+\mathrm{bQd} 1=\mathrm{w}] \#$
d) $1 . \mathrm{Kb} 3[+\mathrm{bPb} 4] 2 . \mathrm{Ka} 2[+\mathrm{bPb} 3] 3 . \mathrm{Kb} 1[+\mathrm{bPa} 2] 4 . \mathrm{a} 1 \mathrm{Q}+\mathrm{K} \times \mathrm{a} 1=\mathrm{Q}$
[+bQd1=w] \#
e) $1 . \mathrm{Kg} 3[+\mathrm{bPh} 4] 2 . \mathrm{Kh} 2[+\mathrm{bPg} 3] 3 . \mathrm{Kh} 3[+\mathrm{bPh} 2] 4 . \mathrm{h} 1 \mathrm{Q}+\mathrm{K} \times \mathrm{h} 1=\mathrm{Q}$ [ $+\mathrm{bQd} 1=\mathrm{w}]$ \#

## T225 (Karol Mlynka):

I) $1 . \mathrm{Bh} 3=\mathrm{S}=\mathrm{w} 2 . \mathrm{Bf} 3=\mathrm{S}=\mathrm{w} 3 . \mathrm{Kg} 24 . \mathrm{Kh} 1+\mathrm{K} \times \mathrm{g} 1=\mathrm{R}=\mathrm{Q}$ \#
II) $1 . \mathrm{Kh} 32 . \mathrm{Bg} 3=\mathrm{S}=\mathrm{w} 3 . \mathrm{Be} 3=\mathrm{S}=\mathrm{w} 4 . \mathrm{R} \times \mathrm{g} 3=\mathrm{Q}+\mathrm{K} \times \mathrm{h} 7=\mathrm{Q}$ \#

## T226 (Karol Mlynka):

a) 1.a2-a1=R 2.Ra1-h8-h3+ g $\times \mathrm{h} 3-\mathrm{h} 8=\mathrm{Q} \#$
b) $1 . \mathrm{a} 2-\mathrm{a} 1=\mathrm{Q} 2 . \mathrm{Qa} 1-\mathrm{d} 8-\mathrm{d} 3+\mathrm{e} \times \mathrm{d} 3-\mathrm{d} 8=\mathrm{Q} \#$
c) $1 . \mathrm{b} 2-\mathrm{b} 1=\mathrm{B} 2 . \mathrm{Bb} 1-\mathrm{c} 8-\mathrm{h} 3 \mathrm{~g} \times \mathrm{h} 3-\mathrm{c} 8=\mathrm{Q}$ \#
d) $1 . \mathrm{g} 2-\mathrm{g} 1=\mathrm{B} 2 . \operatorname{Bg} 1-\mathrm{f} 8-\mathrm{a} 3 \mathrm{~b} \times \mathrm{a} 3-\mathrm{f} 8=\mathrm{Q}$ \#

## T227 (György Bakcsi):

I) $1 . \mathrm{Kb} 6-\mathrm{a} 72 . \mathrm{Ka} 7-\mathrm{a} 8$ 3.Rc7-a7 4.Qg5-g8+ Rg3×g8 \#
II) 1.Rc7-c8 2.Kb6-c7 3.Kc7-d8 4.Qg5-e7+ Qh4×e7 \#
III) 1.c5-c6 2.Kb6-c5 3.Kc5-d4 4.Qg5-d5+ Rh5 $\times \mathrm{d} 5$ \#

## T228 (Ladislav Packa):

a) 1. Bh3-f1 2. Bf1-d3 3.Bd3-g6 $4 . \mathrm{Bg} 6-\mathrm{h} 55 . \mathrm{g} 7-\mathrm{g} 6 \mathrm{Rb} 2-\mathrm{b} 3=$
b) $1 . \mathrm{Kh} 4-\mathrm{h} 32 . \mathrm{Bg} 3-\mathrm{h} 43 . \mathrm{g} 4-\mathrm{g} 34 . \mathrm{g} 5-\mathrm{g} 45 . \mathrm{g} 7-\mathrm{g} 5 \mathrm{Rc} 4-\mathrm{c} 3=$
c) $1 . \mathrm{g} 3-\mathrm{g} 22 . \mathrm{Kh} 4-\mathrm{g} 33 . \mathrm{Kg} 3-\mathrm{h} 24 . \mathrm{g} 4-\mathrm{g} 35 . \mathrm{g} 5-\mathrm{g} 4 \mathrm{Rc} 4-\mathrm{c} 1=$

## T229 (Branko Koludrović, Arno Tüngler):

1.Kc8-b8 2.Ra5-b5 3.Ra4×a7 6.a5×b6[+bBf8] 7.Ra7-a3 11.Ka5-a4 13.Ra5-a7 15.Ka5-a6 17.Ra5-b5 27.Kf6×g6[+bBc8] 37.Ka5-a6 39.Ra5a3 41.Ka5-a4 43.Ra5-b5 48.Kb8×c8 53.Ka5-a4 55.Ra5-a7 57.Ka5-a6 59.Ra5-b5 68.Ke5×e6[+bSg8] 77.Ka5-a6 79.Ra5-a3 81.Ka5-a4 83.Ra5b5 91.Ke8×f8 92.Kf8× g8 101.Ka5-a4 103.Ra5-a7 105.Ka5-a6 107.Ra5b5 118.Kg5 $\times$ g4[+bBc8] 129.Ka5-a6 131.Ra5-a3 133.Ka5-a4 135.Ra5b5 140.Kb8×c8 145.Ka5-a4 147.Ra5-a7 149.Ka5-a6 151.Ra5-b5 159.Ke4×f5[+bSg8] 167.Ka5-a6 169.Ra5-a3 171.Ka5-a4 173.Ra5-b5
182.Kf8×g8 191.Ka5-a4 193.Ra5-a7 195.Ka5-a6 197.Ra5-b5 208. $\mathrm{Kg} 3 \times \mathrm{f} 2[+\mathrm{bRh} 8] 214 . \mathrm{Kd} 3 \times \mathrm{d} 2[+\mathrm{bPd} 7]$ 220.Ka5-a6 222.Ra5-a3 224.Ka5-a4 226.Ra5-b5 227.Ka4-a5 228.Sb7-d6+ Rh8×a8[+wBf1] \#

## T230 (Arno Tüngler):

1.Ka8-b7 $\quad 7 . \mathrm{Kg} 4 \times \mathrm{h} 3[+\mathrm{bRa} 8] \quad 14 . \mathrm{Kb} 7 \times \mathrm{a} 8 \quad 23 . \mathrm{Kc} 3 \times \mathrm{c} 4[+\mathrm{bBc} 8]$ 29.Kb8×c8 31.Kd7×e6[+bSg8] 33.Kf7 $\times$ g8 37.Kd5-c4 =

## T231 (Arno Tüngler):

I) $1 . \mathrm{Rc} 7-\mathrm{c} 8+\mathrm{Ka} 8-\mathrm{b} 7$ 2.Rc8-b8+ Kb7-c6 3.Rb8-b6+ Kc6-d5 4.Rb6b5+ Kd5-e4 5.Rb5-b4+ Ke4-f3 6.Rb4-b3+Kf3-g2 7.Rb3×b2+ Ba6e2! 8.Rb2×e2+Kg2-h1 9.Ke1×f1 $=$ This solution has all eight first moves checks and parries. (Author)
II) 1.Rc7-f7 2.Rf7×f1 3.Rf1-f2 4.Rf2×b2 5.Ke1-d2 6.Kd2-c3 7.Kc3-b4 8.Kb4-a5 $9 . \mathrm{Ka} 5 \times \mathrm{a} 6=$ And this solution has no checks at all! So, it is really a 'normal' series stalemate. (Author)

## T232 (L'uboš Kekely):

I) 1.Sd2-b1 2.Sb1-a3 3.Sa3-b5 4.Sb5-a7 Rc8-c1 \#
II) 1.Sd2-f1 2.Sf1-g3 3.Sg3-h5 4.Sh5-g7 Qe8-e1 \#
III) 1.Sd2-f3 2.Sf3-g5 3.Sg5-h7 4.Sh7-f8 Rd7-d2 \#

## T233 (Václav Kotěšovec):

I) 1.MOd6 2.Gd7 3.MOf7 4.Gg7 5.Ge5 6.KAg7 7.Kf5 8.NHe7 9.Ke6 10.Kd6 11.Gc7 12.Kd7 13.Kc8 14.KAd7 15.MOd8! $=$
II) 1.MOf2 2.NHd3 3.MOg4 4.Gh5 5.MOe5 6.KAg7 7.Kg6 8.Gf7 9.Kh7 10.Kh8 11.Gh7 12.NHf7 13.MOc6 14.MOe7 15.MOg8 !=
III) 1.MOc3 2.KAg7 3.KAb2 4.Kf5 5.NHe7 6.Ke4 7.Kd3 8.Kc2 9.Gb3 10.Kb1 11.Ka1 12.NHb1 13.MOd5 14.MOb4 15.MOa2 !=

## T234 (Václav Kotěšovec):

I) $1 . \mathrm{MOe} 2$ 2.RHf2 3.Gd4 4.Ke4 5.Gf4 6.Kf3 7.Kg3 8.KAh2 9.KAd2 10.Gh2 11. Kg 2 12. Kh 1 13. $\mathrm{KAg} 214 . \mathrm{MOg} 1$ !=
II) 1.MOb5 2.RHd6 3.Kc6 4.RHb6 5.Kd7 6.Gd6 7.Kc7 8.KAb8 9.KAb4 10.Gb8 11.Kb7 12. Ka8 13.KAb7 14.MOa7 !=
III) 1.Kc4 2.Kc3 3.KAb2 4.Kb3 5.Ka2 6.Ka1 7.RHa2 8.Gd3 9.Gd5 10.MOf3 11.Gg2 12.MOd2 13.Gc2 14.MOb1 !=

## T235 (Václav Kotěšovec):

1.Ge8 2.RHg1 3.Gb5 4.Gb3 5.Ge3 6.Ge8 7.Gf3 8.Gc6 9.Gc3 10.Gb3 11.Gg3 12.Ga3 13.Gh3 14.Gc8 15.Gh3 16.Gc3 17.Gc8 18.Gb3 19.Ge6 20.Ge3 21.Gf3 22.Ga3 23.Gg3 24.RHg4 25.RHd4 26.RHd8 27.Gd5

## ORIGINALS

## T236:

C + WinChloe

## T237:

C + WinChloe

## T240:

White minimal miniature, Valladao, model mate (Author)
28.Gh3 29.Gc8 30.Gc3 31.Gb3 32.Gf3 33.Gg3 34.Ga3 35.Gh3 36.Gc8 37.Gh3 38.Gc3 39.Gc8 40.Gb3 41.Gd5 42.Gf3 43.Gg3 44.Gc3 45.Gb3 46. Gh3 47.Gc8 48.Ga3 49.Gc3 50.Gd5 51.Gd3 52.Gd2 53.Gb5 54.Ge8 55.Ge3 56.Gf3 57.Gc1 58.Gg1 59.Gd5 60.Gd1 61.Sh2 62.Gc1 63.Gc5 64.Sf3 65.Gg4 66.Gc8 67.Ge6 68.Gb3 69.Gg3 70.Se1 71.Sc2 72.Sa3 73.Sb5 74.Sa7 75.Sc6 76.Sb8 77.RHa8 78.Gd8 79.Sa6 80.RHe8 81.RHe3 82.Gf2 83.Gd3 84.Gd4 85.Gf5 86.Gc8 87.Gc3 88.RHb3 89.Gb2 90. Ga1 91.Ga7 92.Ge7 93.Ge3 94.RHf3 95.Sc7 96.Gb6 97.Ga7 98.Gb7 99.Gc5 100.Gc8 101.Ge6 102.Gb3 103.Gg3 104.Gb8 105.Gd6 106.Ge6 107.Gb3 108. Gb8 109.Sb5 110.Ge5 111.Ga5 112.Gb4 113.Ga3 114.Gg3 115.Gc3 116.RHb3 117.Gh3 118.Gc8 119.Ga3 120.Gc3 121.Gc5 d5 \#

## T236 (Paul Răican):

19.K $\times$ b5 39. $\mathrm{K} \times \mathrm{b} 8$ 60. $\mathrm{K} \times \mathrm{a} 682 . \mathrm{K} \times \mathrm{a} 8104 . \mathrm{K} \times \mathrm{c} 6$ 105. $\mathrm{Kd} 7107 . \mathrm{c} \times \mathrm{b} 4$ $110 . \mathrm{b} 1=\mathrm{R} 111 . \mathrm{Rb} 3+\& 1 . \mathrm{Sc} 3+\mathrm{K} \sim \mathrm{F}$

## T237 (Harald Grubert):

1.Ke4 2.Kd5 3.Kc6 4.Kb7 5.Kc8 6.K×c7-c8 [+wPc6] 7.Kc7 8.K×c6c7 [+wPc5] 9.Kc6 10.K×c5-c6 [+wPc4] 11.Kc5 12.K $\times \mathrm{c} 4-\mathrm{c} 5[+\mathrm{wPc} 3]$ 13.Kc4 14.Kb3 15.Kb2 16.K×c3-c4 [+wPd4] 17.Kd5 18.K×d4-d5 [+wPd3] 19.Kd4 20.Kc3 21.Kc2 22.K×d3-d4 [+wPe4] 23.Ke5 24.K×e4-e5 [+wPe3] 25.Ke4 26.Kd3 27.Kd2 28.K×e3-e4 [+wPf4] 29.Kf5 30.K×f4-f5 [+wPf3] 31.Kf4 32.Ke3 33.Ke2 34.K×f3-f4 [+wPg4] 35.Kg5 36.Kh4 37.K×g3-g1 [+wRf2] 38.K $\times f 2-\mathrm{d} 2$ [+wRe3] 39.K $\times$ e3-h3 [+wRf4] 40.K $\times$ g4-g5 [+wPf5] 41.K $\times f 4-f 2$ [+wRe3] 42. $\mathrm{K} \times \mathrm{e} 3-\mathrm{c} 3$ [+wRd4] 43. $\mathrm{K} \times \mathrm{d} 4-\mathrm{f} 4$ [+wRe5] 44.K $\times \mathrm{e} 5-\mathrm{c} 5$ [+wRd6] 45.K $\times \mathrm{d} 6-\mathrm{f} 6$ [+wRe7] 46.K $\times \mathrm{e} 7-\mathrm{e} 4$ [+wRd8] 47.K $\times f 5-\mathrm{f} 6$ [+wPg6] 48.Kg7 49.Kh8 Kf7 \#

## T238 (Harald Grubert):

a) $1 . n P c 1=n S[I b 1, l e 1]$ 2.nSb3[la3,Id3] 3.nPf1 $=n Q[l a 2, I d 2]$ 4.nQg1 [lb2,le2] Kb2[la1,ld1] \#
b) $1 . n P f 1=n R[I b 1, l e 1] \quad 2 . n R f 2[\mathrm{lb} 2, \mathrm{le} 2] \quad 3 . n P c 1=n B[\mathrm{lb} 1, \mathrm{le} 1] \quad 4 . n B b 2$ [la2,ld2]+Kd2[lb1,le1] \#

## T239 (Harald Grubert):

a) $1 . n P c 2-c 1=n S[l e 1] \quad 2 . n S c 1-b 3[I d 3] \quad 3 . K f 3-e 2[I c 2] \quad 4 . n P f 2-f 1=n R$ [Ic1] 5.Ke2-e3[Ic2] Kc3-d2[Id1] \#
b) 1.nPc2-c1=nB[la5] 2.nBc1-e3[lc7] 3.Kf3-e2[lb6] 4.Ke2-d1[la5] 5.nPf2-f1=nQ[la4] Kc3-c2[la3] \#

## T240 (Alberto Armeni):

1.0-0-0 2.b7-b5+ a5×b6 e.p. $3 . Q g 7-a 7+b 6 \times a 74 . R h 7-c 75 . R d 8-d 7$

## $a 7-a 8=Q \#$

## T241 (Karol Mlynka):

a) I) $1 . \mathrm{Ra} 1-\mathrm{h} 8 \times \mathrm{h} 2-\mathrm{g} 1[+\mathrm{wBc} 1] 2 . \mathrm{Kh} 1-\mathrm{h} 2 \mathrm{Rg} 3 \times \mathrm{g} 1-\mathrm{h} 1[+\mathrm{bRh} 8]$ \#
II) 1.Ra1-h8-c8 $2 . S f 1 \times h 2-\mathrm{g} 1[+\mathrm{wBc} 1]+\mathrm{Rg} 3 \times \mathrm{g} 1-\mathrm{h} 3[+\mathrm{bSb} 8] \#$
b) I) 1.Ra1-h8-h4[la1] 2.Rh4-h6[la3] Rg3-g1[la1] \#
II) 1.Ra1-a2[la6] $2 . \operatorname{Ra} 2 \times h 2-\mathrm{g} 1[\lg 5][+\mathrm{wBc} 1] \operatorname{Rg} 3-\mathrm{h} 3[\operatorname{lh} 5]$ \#

## T242 (Karol Mlynka):

a) $1 . \mathrm{Rf} 2-\mathrm{f} 1[\mathrm{la} 6]+\mathrm{f} 5-\mathrm{f} 6[\mathrm{la} 7] 2 . c 5-\mathrm{c} 4[\mathrm{la} 6]+\mathrm{f6}-\mathrm{f} 7[\mathrm{la} 7] 3 . c 4-\mathrm{c} 3[\mathrm{la} 6]+\mathrm{f7}-$ $\mathrm{f} 8=\mathrm{Q}[\operatorname{la} 7]+4 . \mathrm{Bd} 4-\mathrm{f} 2[\operatorname{lc} 5]+$ Qf8-d6[la3] 5.Bf2-h4[lc5]+ Qd6-h2[lg1] 6.Bh4-d8[lc5] + \& 1.Qh2-f4[la7] $+\mathrm{Kf} 3 \times \mathrm{f4}[\mathrm{la} 8] \#$
b) $1 . \mathrm{Kf} 3-\mathrm{g} 4[\mathrm{Ib} 8] 2 . \mathrm{Kg} 4-\mathrm{h} 3[\mathrm{lc} 7] 3 . \mathrm{Bd} 4-\mathrm{b} 2[\mathrm{la} 5] 4 . \mathrm{Rf} 2-\mathrm{f} 1[\mathrm{la} 4]+\mathrm{h} 5-\mathrm{h} 6[\mathrm{Ia} 5]$ 5.Kh3-h4[la6]+ h6-h7[la7] 6.c5-c4[la6]+ \& 1.h7-h8=R [la7]+ Bb2c3[Ib8] \#
c) $1 . \mathrm{Rc} 2-\mathrm{c} 1[\mathrm{la} 6]+\mathrm{Kh} 1-\mathrm{h} 2[\mathrm{la} 7] 2 . \mathrm{Kf} 3-\mathrm{g} 4[\mathrm{Ib} 8] 3 . \mathrm{Bd} 4-\mathrm{g} 1[\mathrm{le} 5]+\mathrm{Kh} 2 \times \mathrm{g} 1$ [Id4] 4.Rc1-b1[Ic4] 5.c5-c4[lc3]+ Kg1-f2[lb4] 6.Kg4-h3[Ic3] \& 1.Kf2g3[Id4] + Rb1-f1[Ih4] \#
d) $1 . \mathrm{Bd} 4-\mathrm{b} 2[\mathrm{If} 4] 2 . \mathrm{Rf} 2-\mathrm{h} 2[\operatorname{lh} 4]+\mathrm{Kh} 1-\mathrm{g} 1[\lg 4] 3 . \mathrm{b} 7-\mathrm{b} 5[\lg 2] 4 . \mathrm{Rh} 2-\mathrm{g} 2$ [If2]+ Kg1-f1[le2] 5.Kf3-g3[If2] 6.Kg3-h2[lg1] \& 1.Kf1-g1[Ih1] Kh2h3[lh2] \#

## T243 (Michael Grushko):

1. $\mathrm{nPe} 4 \times \mathrm{f} 3=\mathrm{nS} 2 . \mathrm{nKd} 6-\mathrm{c} 6[+\mathrm{nSe} 3] 3 . \mathrm{nSf} 3 \times \mathrm{d} 4=\mathrm{nB} 4 . \mathrm{nKc} 6-\mathrm{c} 7[+\mathrm{nPd} 5]$ 5.nSe3 $\times \mathrm{d} 5=\mathrm{nB}$ 6.nKc7-b8 [+nPc6] 7.nBd5 $\times \mathrm{c} 6=\mathrm{nR} \quad$ 8.nKb8-a8 $[+\mathrm{nPb} 6] 9 . \mathrm{nRc} 6 \times \mathrm{b} 6=\mathrm{nQ} 10 . \mathrm{nBd} 4-\mathrm{c} 5=\mathrm{nS}[+\mathrm{nPa} 7] \mathrm{nSc} 5-\mathrm{b} 7=\mathrm{nP} \#$

## T244 (Michael Grushko):

5.b2-b1=R 6.Rb1-h1 11.c2-c1=B 12.Bc1-g5 17.d2-d1=Q 18.Qd1-d6 19.Qd6-h6 20.Bg5-h4 21.Rh1-e1 g3-g4 \#

## T245 (Michael Grushko):

1.Kf3-f2 2.Kf2-g3 3.g2-h3 4.Kg3-h4 5.h3-g4 6.Kh4-g5 7.g4-f5 8.Kg5f6 9.f5-e6 10.Kf6-f5 11.f4-g5 12.Kf5-g6 13.g5-f6 14.Kg6-f7 15.f6-e7 16.Kf7-e8 17.e7-d6 18.Ke8-d7 19.d6-c6 20.Kd7-e7 21.e6-f7 22.Ke7-f8 23.f7-e8 24.Kf8-e7 d5×c6=S \#

## T246 (Michael Grushko):

1.nKd4-e5 2.nKe5-f6 3.nKf6-g7 4.g6-g5 5.g5-g4 6.g4×h3-h4 [+wPh7] 7.nKg7-h8 8.h4-h3 9.h3-h2 10.h2-h1=S 11.Sh1×f2-f4 [+wPb8=wB] Bb8-e5 \#

## ORIGINALS

## Hors Concours

## HC92:

Specific stalemates, with Imitator in the North-West corner. All pieces play in each solution, except g2, which is captured in the second solution.
(Author)

## HC94:

New length record for Circe serieshelpstalemate with 24 units! Previous record had 172 moves (see P1225496). (Authors)

## HC95:

New length record for Circe serieshelpstalemate with 25 units! (Authors)

## HC96:

The first overall record for this stipulation with promoted force. More than 100 moves should be possible.
(Author)

## HC97:

The $90^{\text {th }}$ of all length records not included in the '398 Zuglängen Rekorde Im Serienzüger in Bezug auf die Steineanzahl' booklet of Miloš Tomašević! Step by step we approach the 100 records mark... (Authors)

## HC98:

New Circe record for this stipulation and 4 units making good use of the Circe condition! (Author)

## ORIGINALS

## HC99:

New Circe record for this stipulation and 4 units!
(Author)

## HC100:

New Circe record for this stipulation and 4 units! Yaakov Mintz overlooked this possibility 35 years ago, when he got only 22 moves with wKd4 and bBh1 in feenschach 1980. .
(Author)

## HC101:

New Circe record for this stipulation and 5 units!
(Authors)

## HC102:

New Circe record for this stipulation and 6 units!
(Author)

## HC103:

New Circe length record for this stipulation with 5 units.
(Author)

## HC104:

New Circe length record for this stipulation and 5 units (like the problem before). The earlier record had 21 moves. See PDB P1188845.
(Author)

ser-sZb1 38
$\mathrm{C}+(1+5)$
Circe

HC103

ser- $=23$
Circe
$\mathrm{C}+(2+3)$

## HC92 (Eric Huber):

I) $1 . \ldots \mathrm{nPd} 2-\mathrm{d} 1[\mathrm{lb} 7]=\mathrm{nS} 2 . \mathrm{Kf3}-\mathrm{e} 3[\mathrm{la} 7] \mathrm{nSd} 1-\mathrm{f} 2[\mathrm{lc} 8]=\mathrm{nB} 3 . n B f 2-$ $\mathrm{e} 1[\mathrm{lb} 7]=\mathrm{nR} \mathrm{nPc} 7-\mathrm{c} 6[\mathrm{lb} 6]+4 . \mathrm{nPg} 2-\mathrm{g} 4[\mathrm{lb} 8]+\mathrm{Kf1} \times \mathrm{e} 1[\mathrm{la} 8]=$
II) $\quad 1 \ldots \mathrm{nPd} 2-\mathrm{d} 1[\mathrm{lb} 7]=\mathrm{nR} \quad 2 . \mathrm{nRd} 1-\mathrm{c} 1[\mathrm{la} 7]=\mathrm{nQ} \quad \mathrm{Kf1} 1-\mathrm{g} 1[\mathrm{lb} 7]$ 3.nPc7-c8[lb8]=nQ nQc8-b8[la8]=nS 4.Kf3-f2[la7]+ $\mathrm{Kg} 1 \times \mathrm{g} 2[\mathrm{la} 8]=$

## HC93 (Cornel Pacurar):

I) $1 . \mathrm{Qe} 7 \mathrm{~K} \times \mathrm{e} 72 . \mathrm{Kd6}+\mathrm{Rc} 73 . \mathrm{Kd} 7 \mathrm{Bd} 6 \#$
II) 1.Qe3 Rc4 2.Qc5 + B $\times \mathrm{c} 5+3 . \mathrm{Kd} 5 \mathrm{Rd} 4$ \#

## HC94 (Branko Koludrović, Arno Tüngler):

1.Ra4-b4 2.Ra2-a6 6.Ka4-a5 8.Ra4-a2 10.Ka4-a3 12.Ra4-b4 22.Kf3×g3[+wBc1] 32.Ka4-a3 34.Ra4-a6 36.Ka4-a5 38.Ra4-b4 43.Kb1×c1 $\quad 48 . \mathrm{Ka} 4-\mathrm{a} 5 \quad$ 50.Ra4-a2 $\quad$ 52.Ka4-a3 $\quad$ 54.Ra4-b4 63.Ke4×e3[+wSg1] 72.Ka4-a3 74.Ra4-a6 76.Ka4-a5 78.Ra4b4 $87 . \mathrm{Kf} 1 \times \mathrm{g} 1$ 96.Ka4-a5 98.Ra4-a2 100.Ka4-a3 102.Ra4b4 115.Kh6 $\times \mathrm{h} 7[+\mathrm{wBf} 1] \quad 128 . \mathrm{Ka4}-\mathrm{a} 3 \quad 130 . \mathrm{Ra} 4-\mathrm{a} 6 \quad 132 . \mathrm{Ka4}-$

HC104
Arno Tüngler

ser- $=23$
Circe

HC105
Adrian Storisteanu

add 9 more of the given pair so that all pieces guard one another in a chain, each defending \& defended once
b) 宛b1

下 $=$ Nightrider
a5 134.Ra4-b4 142.Ke1×f1 150.Ka4-a5 152.Ra4-a2 154.Ka4a3 156.Ra4-b4 171.Kg8×f7[+wRh1] 186.Ka4-a3 188.Ra4-a6 190.Ka4-a5 192.Ra4-b4 195.Ka3-a2 196.Ra6-a3 198.a5-a4 $\mathrm{S} \times \mathrm{d} 5=$

## HC95 (Branko Koludrović, Arno Tüngler):

1.Ra4-b4 2.Ra5-a2 6.a3×b2 7.Ra2-a6 11.Ka4-a5 13.Ra4-a2 15.Ka4-a3 17.Ra4-b4 27.Kf3×g3[+wBc1] 37.Ka4-a3 39.Ra4-a6 41.Ka4-a5 43.Ra4-b4 48.Kb1×c1 53.Ka4-a5 55.Ra4-a2 57.Ka4a3 59.Ra4-b4 68.Ke4×e3[+wSg1] 77.Ka4-a3 79.Ra4-a6 81.Ka4a5 83.Ra4-b4 $92 . \mathrm{Kf1} \mathrm{\times g1}$ 101.Ka4-a5 103.Ra4-a2 105.Ka4a3 107.Ra4-b4 120.Kh6×h7[+wBf1] 133.Ka4-a3 135.Ra4-a6 137.Ka4-a5 139.Ra4-b4 147.Ke1×f1 155.Ka4-a5 157.Ra4a2 159.Ka4-a3 161.Ra4-b4 176.Kg8×f7[+wRh1] 191.Ka4-a3 193.Ra4-a6 195.Ka4-a5 197.Ra4-b4 200.Ka3-a2 201.Ra6-a3 203.a5-a4 S $\times$ d5 $=$

## ORIGINALS

## HC105：

An interesting two－phase construction task， based on the 2010 ＂defensive loop＂idea of Jeff Coakley from Toronto．
For comparison，a different type of construction task record is below．Héctor San Segundo presented the original idea in one of the＂Los Acertijeros＂group bulletins，and later in the＂El Acertijo＂magazine： ＂Place on a $8 \times 8$ chessboard the highest possible number of chess pieces of the same type，so that each of them attacks the same number of empty squares （at least one）＂．The variation was first published by Marcelo Fabián Iglesias，also in one of the＂Los Acertijeros＂group bulletins，and later in an email sent to the discussion forum＂Snark＂：＂On a $8 \times 8$ chessboard place two or more different types of chess pieces so that a）each piece attacks the same number of empty squares（at least one），b）the number of pieces of each type is the same，and c）the total number of pieces is the highest possible＂

## Cornel Pacurar

Ataques Igualitarios 2002

$17 \times$ 䴦 $+17 \times$ 䍗 $+17 \times \xi$


## HC96（Arno Tüngler）：

1．Kf3－g3 5．Kh6×h7 11．Kf3×e4 21．Ke8×d8 38．Ka4×a5 54．Kd7×c6 71．Ka5×a6 72．Ka6－b7 77．a2－a1＝B 78．Ba1×d4 $79 . \mathrm{Bd} 4 \times \mathrm{g} 180 . \mathrm{Bg} 1 \times \mathrm{c} 581 . \mathrm{g} 2-\mathrm{g} 1=\mathrm{S} 83 . \mathrm{Se} 2-\mathrm{d} 40-0$

## HC97（Paul Răican，Arno Tüngler）：

1．Ke4－f5 18．Ke8×f8 36．Kf5×g6 55．Kf8×g8 75．Ke6×d6 76．Kd6－e6 79．d7－d8＝R 80．Rd8×d3 81．Rd3－b3 86．d7－d8＝Q 87．Qd8－d5＋Qh1×d5 \＃

## HC98（Arno Tüngler）：

1．Kh8－g8 7．Kg3×h3［＋bBc8］10．Kf5－f6 12．e7－e8＝R 13．Re8－e6 14． $\mathrm{Kf6} 6$－f5＋K～F

## HC99（Arno Tüngler）：

1．g2－g4 9．Kd8×e8［＋bBc8］16．Kh4－h3 ！F

## HC100（Arno Tüngler）：

1．Ka6－a5 6． $\mathrm{Ke} 1 \times \mathrm{f} 1[+\mathrm{bBc} 8] 14 . \mathrm{Kb} 8 \times \mathrm{c} 816 . \mathrm{Kd} 7 \times \mathrm{e} 6[+\mathrm{bSg} 8]$ 18．Kf7×g8 23．Kc4－b3 Ka1－b1 z

## HC101（Paul Răican，Arno Tüngler）：

1．Kh5－h4 3．Kh3×g2［＋bRa8］10．Kb7×a8 16．Ke3×e2
［＋bBc8］23．Kb8×c8 $25 . \mathrm{Kd} 7 \times \mathrm{e} 6[+\mathrm{bSg} 8] 27 . \mathrm{Kf7} \times \mathrm{g} 8$
32．Kc4－b3 Ka1－b1 z

## HC102（Paul Răican）：

1．Kh4－g3 12．Kd5×e4［＋bRa8］16．Kb7×a8 22．Ke3×e2［＋bBc8］ 29．Kb8×c8 31．Kd7×e6［＋bSg8］33．Kf7×g8 38．Kc4－b3 Ka1－b1 z

## HC103（Joost de Heer）：

1．Kb7－c6 6．Kg2×h1［＋bRa8］13．Kb7×a8 14．Ka8×b8 ［＋bBf8］20．Kf7×f8 23．Ke6－d6＝

## HC104（Arno Tüngler）：

1．Ka8－b7 9．Kc3×c4［＋bBc8］15．Kb8×c8 17．Kd7×e6［＋bSg8］ 19．Kf7×g8 23．Kd5－c4＝

HC105（Adrian Storisteanu）：

Solution a）

$10 \times$ 象 $+10 \times$ 易 once－defenders chain

Solution b）

$10 \times$ 象 $+10 \times$ 「 once－defenders chain

Author：
Each solution is the sole base position for the material（save for the usual rotations and reflections，that is）．The resulting chains－closed：dissimilar，continuous loops．（You might consider traversing them．Each，a winding one－way path．）
More correct，here，would be observe（you don＇t really defend a K through＇guarding＇；as for attack，commonly used in constructions tasks－white pieces don＇t attack white pieces）．I decided to go with the term used by Jeff Coakley（whom I thank for all the discussions），probably the first to publish such a position（back in 2010）．
Here is another recent single－chain，an 8R 8S＂defensive loop＂：

## Jeff Coakley <br> ChessCafe．com <br> March 2015


$8 \times$ 哩 $+8 \times$ 号
once－defenders chain
Symmetrical，one of the three base positions with this material．

## ARTICLES



Miss Lilian H. Baird
[British Chess Magazine, June 1891]

## Lily of the Chessboard - by Cornel Pacurar \& Adrian Storisteanu

As nearly all the members of my family indulged in the game, I suppose I imbibed it as a child imbibes his native tongue - Thomas Winter-Wood (1818-1905), Lilian's maternal grandfather [chessdevon.co.uk/HTML/Pioneers/tww/base.htm]

Brighton, England, late nineteenth century. Dinnertime. The conversation centres, as it quite often does, around the subject of chess. Even the help appears to have some knowledge of, or at least is not at all surprised at hearing (unintendedly, of course) words like castling and en-passant being exchanged across the table. "The portraits given in our present issue portray a circumstance, in the history of chess, which is remarkable and unique. The group includes father, mother, three children, and grandchild: all strong players or clever problematists." [BCM June 1891] (The choice of adjective is arguably prophetic, even though in the end only one of them will become a Strong problemist...)

Two family members stand out. We notice Mrs. W. J. Baird, well-known and prolific chess-problems composer, author-to-be of two beautiful, carefully crafted books: Seven Hundred Chess Problems, 1902 and The Twentieth Century Retractor, Chess Fantasies, and Letter Problems, 1907 (her two brothers, E. J. Winter-Wood and Carslake Wood, are composers too). But our attention quickly turns to Lilian, her nine-years old daughter. The grandchild, and indeed one of the clever problematists, in the $B C M$ article just quoted.
Lilian Edith Baird was born October 19, 1881, the only child of Mrs. William James Baird (Edith Elina Helen Baird - from her own, though less conventional, perspective; "The Queen of Chess" - in the composition world) and W. J. Baird (MD, Deputy Inspector General of Hospitals and Fleets, RN). She learned chess by the age of four (or five, we have read varying accounts). Her first problem, composed when she was eight, was published in June 1890 in the Western Magazine and Portfolio. More followed: she embraced composition with a fervour rivalling her mom's. Lilian's precocity and obvious talent made headlines throughout the chess world (thanks too, in part, to her gender).

All in all, Lilian composed some 70 problems. Many were often
reproduced in chess columns (which were, then, in a noticeably higher number than today) and magazines around the world: "The beautiful compositions of both these talented lady problemists [Mrs. \& Miss Baird] are known and admired by thousands of chessplayers in club and private home all over the civilised world." [Australian Town and Country Journal (Sydney, NSW) Aug. 27 1898, p.10] Superlatives abound. The Chess Player's Chronicle of Nov. 8, 1890, p. 256 is "pleased to hear [Lilian's] powers in [the direction of problem composing] are improving with age"! To remove any doubt about the accomplishment, the following sentence indicates "she is 8 years of age". But she is, indeed, a star, a noble role model inconceivable in today's youth culture: "Some of the first composers of the day have dedicated problems to her honour, editors of chess columns are continually asking her to contribute, and people have asked her for her autograph - one of the surest evidences of fame." [Gittins]

The notes she sends along with her submissions to the various problem editors are precious pearls themselves, both in the precocity of style and in her manner of addressing fellow chess composers on equal terms. To the Pictorial World: "I like composing very much and do my Problems all myself. In fact I would rather mother never saw my problems at all, because she generally 'cooks' them for me, and this gives me a lot of trouble." [The Chess Player's Chronicle Nov. 8 1890, p.256] One to the Field: "14, College-terrace, Brighton, December 18. My dear Mr. Editor - As I have sent a problem to the Illustrated London News I think I must send you one also, or else perhaps you might be offended. So I have picked out one of my very best, because I have heard mother say you are very particular. If you cannot spare me a big diagram it would look very nice on one of your little ones. I have quite made up my mind to beat mother. What will she do then, poor thing! Will she not feel sold? I hope you will like my problem for it did take me such a long time. - Believe me your little friend, Lillie BaIRD. [The South Australian Chronicle Feb. 21 1891] (We should note here that we deal, nowadays, with similar minutiae when negotiating with problem editors.)

[F. R. Gittins, The Chess Bouquet, 1897]

$\# 2 \quad \mathrm{C}+(10+6) \# 2$

## LB1:

1...Kc5 2.Se6\#
1...e6 $2 . \mathrm{Sf5} / \mathrm{S} \times \mathrm{c} 6 \#$
1.f5! (2.S~ \#)
$1 . . . \mathrm{Kd} 5 / \mathrm{Kd} 7 / \mathrm{Ke} 5 / \mathrm{e} 6 / \mathrm{e} 52 . \mathrm{S} \times \mathrm{c} 6 \#$
1...Kc5/e3 2.Se6\#
1... $\mathrm{Bg} 7 / \mathrm{Bh} 6 / \mathrm{c} \times \mathrm{b} 62 . \mathrm{Sb} 5 \#$

## LB2:

1.Qg8! zz
1...Ke4 2.Qg4\#
1... Kc5 2.Qg1\#
1... Sc~2.c3\#
1...Se~2.Sb3\#
1...f6 2.Qd5\#

Following her short, but remarkable, reign as "The Infant Queen of Chess", young and promising Lilian did not continue with composition in adolescence. We can only speculate about the reasons. After such a grand string of achievements - so impressive, so soon -, she may have lost interest. Or perhaps found it impossible to cope. It is not easy to survive early success (disclaimer: we are merely in a position to assume that this might be the case), moreover on such a scale - the acclaim, the articles, the portraits, the requests for contributions. A certain measure of innocence, the playful attitude in what has been just
pure fun beforehand, may get lost in all the hubbub. Pressure is inevitable, and quite evident: "Four years ago the Western Morning News told the following anecdote of Miss Lilian Baird, the juvenile problem composer. Her mother had said to her: 'Lily, if I were in your place I should never go in for three-movers. To get them good they are more trouble than they are worth.' To which Lily replied: - 'Yes, mother; but after all that has appeared in the papers, people will expect that of me.' According to the latest reports Miss Baird bids fair to fulfil the highest expectations 'people' can have conceived of her future as a problem-composer." [The Western Mail (Perth, WA) March 2 1895, p.20] And, one better be always prepared, a few originals on hand if need be: "I want to be like mother and have a heap of them in my drawer, for when the editors ask me, I like to have one ready." [BCM June 1891]

Loving, wise mother surely played a part. "[Mrs. Baird] is, moreover, the most loving of mothers, and has been heard to declare that if anything were to happen to "Lily", she would never compose another chess problem." "Like a wise mother, however, Mrs. BAIRD seeks to keep her back rather than to press her forward, so she is now being kept mainly to her lessons and to those natural pleasures of childhood to which even the most gifted boy or girl turns with joy." [Gittins] Mom herself became truly involved with chess only later in life. She knew chess before turning ten, but only composed her first problem eight years after her marriage in 1880 ("and commenced a wonderful series of successes, having gained eleven first, nine second, and six third prizes, and been honourably mentioned nine times." ). [Gittins] (Interestingly enough, Lilian's problemistic debut came a mere two years after her mother's. We are not aware of any joint composition, but also find it impossible to contemplate any latent 'artistic rivalry' between the two...)

The teenage years bring with them an interest in boys (not necessarily of the absorbed chess genius type). Lilian was, after all, already "a child of thirteen, with long sunny golden hair falling back from a fine and lofty forehead, thoughtful eyes, and all the shy grace of childhood." [Gittins] "Fair as a lily", gauges the Woman's Signal, as picked up by the Leeds Mercury Weekly Supplement, and then quoted in The Queenslander (Brisbane, Qld.) Jan. 12 1895, p.67, which subtitles its piece MATRE

## ARTICLES

## No. 692.-By Miss Lilian Baird <br> (Aged 9) Brighton.



White mates in two moves.
[British Chess Magazine, February 1891, p.103]

SOLUTIONS OF PROBLEMS.
No. 692, by Miss Lilian Baird.-I B to K sq. Solved by Miss Hilda
Hudson, aged nine. [British Chess Magazine, April 1891, p.215]

Those were different times. We may deride all the 'politically incorrect' comments (and hype) in regard to women in chess, but look at that: a nine-year old girl composes a problem, and another solves it! Nowadays women in chess composition are still a rarity. Young composers of any gender are a rarity. .

Pulchra, Filia Pulchrior. Indeed, mother must have been, once again, a factor (here, in the genetic sense): "as her portrait shows, [Mrs. Baird] is a lady of considerable personal attractions." [Gittins] (Sadly there are no suchlike details in Gittins's book in regard to the hair colour or the measure of personal attractions of any of the other British problemists. We were really curious about David Forsyth's.)

## LB3



## LB3:

1.Rg3! (2.Bc3\#/Bd6\#/Qd4\#)
1...Ke4/Ke5 2.Bc3\#
1...a×b4 2.Qd4\#
1...e5/B $\times \mathrm{d} 7 / \mathrm{B} \times \mathrm{b} 7$ 2.Bd6\#

## LB4:

1.Qb8! zz
1...e5 2.Sf5\#
1...R~2.Qf4\#
1...B~2.Shf3\#
1...Ke3 2.Sf5\#
1...Ke5 2.Qh8\#

\#2
1...Kd
1...Kd5 2.Qb5\#
1...f4 2.Qh5/Qb5\#
1.Bd8! zz
1....Kd5 2.Qb5\#
1...Kf4 2.Qh2\#
1...f4 2.Qh5\#
1...d5 2.Bc7\#

## LB6:

1.Sc7?, Sf2?
1.Sb2! zz

$$
\begin{aligned}
& \text { 1... } \mathrm{K} \times \mathrm{d} 5 \quad 2 . \mathrm{Sc} 4 \\
& \text { 2...Kxc4 3.Bg8\#, Kc6 3.Be4\#, Ke6 3.Sc7\# } \\
& 1 \ldots \mathrm{Ke5} 2 . \mathrm{Sc} 7 \\
& \quad 2 \ldots \mathrm{Kd} 6 \text { 3.Bg3\#, Kf4 3.Sxd3\# }
\end{aligned}
$$

A curious, gifted child like Lilian may easily turn her attention to, and embrace, other interests with just as much passion. Chess was never her unique preoccupation: "In addition to chess she seems to have a peculiar taste for figure drawing, her sketches, both comic and serious, having distinct augury of coming talent." [BCM June 1891] "Like her mother, she writes verses quite charmingly, and draws beautifully; but, with all her gifts, she

## ARTICLES

harbor lights.<br>By Miss Lilian Baird.<br>(Written for the "Town and Country Journal.") With the waves around us dashing In the darkness of the night, Surging billows ever splashing: How we greet the Harbor Light!<br>With our gallant bark atill cleaving Proudly onward in her might, On the depth of ocean heaving:<br>Stormy winds for ever blowing. With all nature hid from sight; Cheery worda seem evir giowing in the welcome Harbor Light<br>And at last when toll lies dreaming. With our bark all moored aright There's a mar above us beaming Brighter than the Harbor Light.

Harbor Lights, by Miss Lilian Baird [Australian Town and Country Journal (Sydney, NSW) Aug. 27 1898, p. 10
remains a child and the happiest and most industrious of schoolgirls." [Gittins] She did extremely well in school. Mom writes that "[Lilian] is now too busy at school to devote much time to chess. [...] At the school she attends there are over forty pupils, and nearly all older than she is, and yet she invariably comes out at the top of the list. My endeavor is, therefore, rather to keep her back than otherwise." [Australian Town and Country Journal (Sydney, NSW) Aug. 27 1898, p.10]

Be that as it may, in June 1910 she married Captain H. P. Strong (108 ${ }^{\text {th }}$ Infantry, Mhow, Central India), and life went on. (Her compositions are published now under the name Mrs. H. P. Strong. Oh well.) This is no longer news, so we could not unearth additional significant details. And that's as it should be. A single, intense, pursuit, of any kind, may get in the way of a well-rounded education, household chores, and generally a tranquil, conventional life. Her mother was well aware of the perils, having worked hard at juggling everything right herself: "When it is added that she never allows chess, painting, or any other favourite pursuit to occupy her time until all the domestic matters of home have been seen to, we have said sufficient to show how finely-rounded and complete a life this brilliantly clever woman leads." [Gittins] One thing is clear - Mrs. Baird was an astute lady, and clearly more modern than the author of those lines appears to have been, and she must have passed that wisdom to her daughter.

We read that when her husband retired, the couple moved back to Lilian's home town of Brighton. In 1951 she presented to the Plymouth Chess Club a chess set (possibly a replica of the silver chess pieces made by grandfather Thomas for the trophy he presented, at the time, to the Devon County Chess Association), which was made into a new shield, the Strong Trophy, still competed for nowadays. And in 1963 she presented two books to the Club, most probably her mother's personal copies of her problem books.
[chessdevon.co.uk/HTML/Pioneers/eelb/base.htm]
"A childhood of such exceptional promise, and so wisely and affectionately guided and tended, can scarcely fail to lead up to a womanhood of rare fruition." [Gittins] We posit that Lilian Edith Strong was quite content with her choices. That is what matters in the end. She lived to be 95 .

## References

## [BCM] The British Chess Magazine.

"The world's oldest chess journal, having been published continuously since 1881."
Robert Frederick Green, general editor 1888-1893.
britishchessmagazine.co.uk Old volumes (including the very first) are available on Google Books.
[Gittins] F. R. Gittins. The Chess Bouquet. Or, The Book of the British Composers of Chess Problems. With Portraits, Biographical Sketches, Essays on Composing and Solving, and over Six Hundred Problems, being chiefly Selected Masterpieces. To which is added Portraits and Sketches of The Chief Chess Editors of the United Kingdom.
Feilden, McAllan \& Co., Ltd. London, 1897. 258 pp.
The portraits ("absolute from the latest photograph, showing the present living aspect"), short biographies ("the matter for which has been collected from sources the most reliable and authentic"), and selected problems (which illustrate "the portrait of the mind") by Mrs. W. J. Baird and Miss Lilian Baird. Available on Google Books.

## National Library of Australia. trove.nla.gov.au

"Find and get over 407,690,477 Australian and online resources: books, images, historic newspapers, maps, music, archives and more". A huge, excellent, free collection of digitized resources, searchable by content's text. Which explains many of our reference choices throughout the article.

## Christopher P. Ravilious. Lilian: An Episode in Chess Problem

 History. Chess problems of a nineteenth century (female) child prodigy.Woodpusher Publications. Eastbourne, 1995. 100 pp., white plastic spiral binding.
A biography of Lilian Baird, with 51 problems and a selection of letters written to her. We were not able to locate a copy.

## ARTICLES

The author walks into a sidebar.


As seen by and with Larisa Adalenne $M$, black ballpoint pen drawing on paper (1989)


As seen by Evalyn Natalie Luna,
blue violet crayon drawing on paper snatched from laser printer paper input bin (detail, 2014)

This magazine devotes a lot of bytes to current events and roundnumbered anniversaries, exuding the poignant (but, still, whimsical enough) appearance of keeping in step with what is going on in the rest of the world. The inaugural issue celebrated, and explained how it in fact owed its existence to, the Year of the Horse (p.2). The second participated patriotically in the Canada Day festivities (p.27). Observing the passage of time, the third issue counted 40 years since my first published original (p.75) and announced Cornel's (then upcoming) jubilee (p.87). Finally, in the fourth, an evergreen was hastily improvised just in time for the holidays (p.100).

With the issue scrolling on your screen the Bulletin embarks on its second year. Congratulations! Cornel is not one to boast, so I'll say it - this magazine is an exquisite addition to the online chess composition landscape. Following its evolution from the side, I felt like watching one of those literary avant-garde magazines of a century ago coming to life driven by all that extraordinary, free-spirited enthusiasm. (Equally admirable, it has survived my occasional contributions - columns bearing my signature did not bode well for two other Canadian publications.) (Here I shall stop, before this piece turns into some kind of an Odditorial: in lieu of editorial. Actually my original intention was to name it simply, April Fools: joke problems without split moves, board rotations, or promotions to pieces of the opposite colour. I was told there would be no room for Elke's artwork.) ${ }^{1}$

This issue takes proper note of International Women's Day. And, absent relevant goat-related material, of April Fools' Day.

Most of my compositions fit the occasion, so I just selected two at random. I take this opportunity to propose the novel symbol (-: as indicator of problems of the fishy (d'avril) kind. (It may work too for problems not-in-fact-verified with particular versions of certain programs (not to be confused with the symbol $\mathbf{C +}$ ).) It should be clear, from now on, when it is a joke.

A switcheroo asks to swap two pieces so that black is in checkmate.

[^1]There is no actual play, any two pieces (regardless of type and colour) simply exchange squares. The post-switch position must be legal. (Jeff Coakley, originator of the concept and terminology, admits: "Of course, some people might consider all switcheroos a joke!" Some people would be wrong - not without that symbol, they aren't!)

## HA2

## Adrian Storisteanu

Original
Plus c'est la même chose, plus ça change!. . .

$\mathrm{h}=\mathrm{in}$ the lowest
(-: $(4+2)$ switcheroo
(-: $\quad(3+1)$ number of moves

Jokes should not, really, be explained. Nevertheless you will find a few technical remarks along with the solutions.

HA1. Trying the conventional two-mover first: $1 . \mathrm{K} \times \mathrm{h} 8 \mathrm{Se} 7$ 2. $\mathrm{Kh} 7 \mathrm{~S} \times \mathrm{g} 6=[\mathbf{h}=2]$. One can then cut an entire move: $1 . \mathrm{K} \times \mathrm{h} 8$ $\mathrm{Sf} 6=[\mathbf{h}=1]$. Then again, there is a shorter solution: $1 \ldots \mathrm{~S} \times \mathrm{g} 6=$ ( $N B$ by the other $S$ ) $\mathbf{h}=\mathbf{0} .5]$. And one can definitely solve for an even lower $n$ : white takes back a move, $-1 \ldots \mathrm{~g} 7-\mathrm{g} 8 \mathrm{~S}=[\mathrm{h}=-\mathbf{0 . 5}]$ :-). Hence $n=-0.5$. (Final answer.)

Each wS delivers stalemate, each disappears - in one way or another, in one phase or the other. Each solution above is unique

## ARTICLES



As last seen by author,
black lead pencil drawing on paper (1994) and crude graphics editing on computer (2014)


As seen by editor and GIMP (March 17, 2015)
ChessProblems.ca Bulletin Issue 5
for the exact number of moves specified in the particular stipulation.
BPg6 (with support from wPg5) avoids a cook - white retracting Sg6-h8, which is equivalent to the $\mathrm{h}=0.5$ try: a simple, nonuncapturing retraction can be usually seen as a regular forward move too (or, as is the case here, the other way around). Do longer white-black retractions - i.e., would even more negative ns - work? It does not appear so. (There are also, somewhat multiple, $\mathrm{h}=0$ 'tries': white e.g., retracts g7-g8S and plays Kf8 / g7-g8R instead, etc. In view of the etc., let me point out this is not that kind of problem at all. One must solve in one direction.)*

HA2. A jokeroo for four pieces in three parts, composed for ChessCafe.com's first Puzzlers Cup (the tournament's deadline fell on Halloween, so it was of course submitted as a trickeroo). Diagram: the bK is already in checkmate, white's last move must have been $0.0-0 \#$. From experience, in such cases it is practical to solve by simply exchanging any two identical pieces (same type, same colour) - in order to maintain the position and, consequently, the set mate.
Try: switch Rf1 $\leftrightarrow$ Rf2? But after swapping the rooks, there no longer exists a legal last move. Here white could not have castled with the rook that was initially (preswap) on f2: that rook, having had by virtue of its standing on f2 clearly moved during the game which led to this position, lost its castling rights... :-) (How's that for retrograde analysis?!)
(Jeff suggests an alternative, perhaps complementary, explanation, "The gist of the joke is saying that the rook on $f 1$ could not have legally castled last turn since it used to be on f2." And how about the generic (meta-joke?) - a just-swapped rook clearly could not have been the one that castled!? These I think push matters beyond the innocent, harmless joke intended.)*

Solution: switch $\mathrm{Kb} 1 \leftrightarrow \mathrm{Kg} 1$ ! An entirely new position, and a wholly valid solution: white must have checkmated with $0 . R \sim 1 \times f 1 \#$. Turns out we must employ here only half the above-mentioned strategy - switch same-type pieces alright, but of different colours.

The motto itself is a switcheroo on the old epigram, and therefore thematic. (This motto served me well in several different (but, évidemment, necessarily similar) circumstances in the past.)

Another appropriate quote (once we brush aside the nun):
The past is never dead. It's not even past.

- William Faulkner, Requiem for a Nun
*Here is the short version: these two are joke problems, and the two, exactly as I choose to tell them, are the $\# \$ \& \%$ jokes. .

Jeff was quick to also suggest 'legitimizing' the problem, by way of basic but genuine retrograde analysis.

HA3
Adrian Storisteanu HA4 Jeff Coakley
Original


Karl Fabel
Deutsche Schachblätter 1950
switcheroo
(6+1) add for \#1
$(6+1)$
The bK is apparently in checkmate in the diagram, but the position is illegal: castling (the only way to resolve the checked bK) could not have been white's last move, as the black king on his way to c1 must have forced his white counterpart to make room. In consequence, same-piece swaps $\mathrm{Rf} 1 \leftrightarrow \mathrm{Rf} 2$ or $\mathrm{pb} 2 \leftrightarrow \mathrm{pc} 2$, keeping the position as-is (illegal, that is) do not solve. A real change is needed: switch $\mathrm{Kc} 1 \leftrightarrow \mathrm{Kg} 1$ !
The funny thing is this setting brings us fairly close to the farback Fabel above, likely without major consequences:

Add bKc1? Add bKf3! 1.0-0\#. Hah.

Adrian Storisteanu
Toronto, April 1 ${ }^{\text {st }}, 2015$

## ARTICLES

The second article of the planned series about series length records is dedicated to Series Direct Mate tasks. While in the 'orthodox' field such attempts were made as early as in 1947 by Thomas R. Dawson (see PDB/P1114805) this stipulation was not systematically explored in the Circe field until now! In feenschach 2002, Branko Koludrović and Hans Gruber published just three direct mate series length records in their article "Längenenrekorde im Circe-Serienzüger" and even thereafter only Branko had very few new records in this realm.

In the ChessProblems.ca Circe workshop, Branko Koludrović, Paul Răican, and the humble writer of the current article tried to find records for all number of units and here are the results of our efforts - again in comparison with their corresponding 'orthodox' records. Please let us know of any additional records in this realm that you become aware of. Also, do try to beat these records. We are quite sure that more should be possible, if you find suitable matrices.

Even for five and six units we can present to you for the first time length records in the Circe field. It is satisfying that the positions end with specific mates.

## Series Direct Mate Tasks - by Arno Tüngler

'Orthodox' 3-6 units


Circe 3-6 units


Circe

DM-6
Zdenek Oliva
Problemkiste 1994

$\underset{\substack{\text { ser-\# } \\ \text { Circe }}}{ } \quad \mathrm{C}+(2+2)$
Circe

DM-5: 1.Kh4-g5 8.Ka7-a6 9.Qb4-d6 \#
DM-6: 1.Kf3-e4 4.d5-d6 8.Kd7-e8 10.d7-d8=R 11.Rd8-d6 13.Kd7-c6 14.Rd6×f6[+sQd8] 15.Rf6-d6 18.Ke6-f7 19.Rd6-h6\#

DM-7
Arno Tüngler
Original

ser-\# 28
Circe
DM-8

## Arno Tüngler

Original

ser-\# 38
Circe
DM-7: 1.Ka3-a2

## 12.Kc6×c5[+bBf8]

20. $\mathrm{Kg} 8 \times f 8$
21. $\mathrm{Ke} 7 \times \mathrm{d} 6[+\mathrm{bSb} 8] 23 . \mathrm{Kd6}-\mathrm{c} 526 . \mathrm{d} 7-\mathrm{d} 8=\mathrm{Q} 28 . \mathrm{Qd} 1-\mathrm{c} 2 \#$

DM-8: $\quad 1 . \mathrm{Ka} 5-\mathrm{a} 4 \quad 14 . \mathrm{Kd} 7 \times \mathrm{c} 7[+\mathrm{bBf} 8] \quad 26 . \mathrm{Kf} 4 \times \mathrm{g} 5[+\mathrm{bSb} 8]$ 30.Kg8×f8 32.Ke7×d6 33.Kd6-c5 36.d7-d8=Q 38.Qd1-c2 \#

## ARTICLES

'Orthodox' 7-10 units

DM-9
Miloš Tomašević
feenschach 1978

ser-\# $37 \quad \mathrm{C}+(2+5)$

DM-10
Miloš Tomašević
Radovan Tomašević
Problemkiste 1988

ser-\# 43

## Circe 7-10 units

DM-13
Arno Tüngler
Original


DM-13: 1.Kb4-b5 $3 . \mathrm{Kc} 6 \times \mathrm{d} 7[+\mathrm{bRa} 8] \quad 16 . \mathrm{Kh} 5 \times \mathrm{h} 6[+\mathrm{bSb} 8]$ $30 . \mathrm{Kb} 7 \times \mathrm{a} 8 \quad 31 . \mathrm{Ka} 8 \times \mathrm{b} 8 \quad 36 . \mathrm{Kf6} \times \mathrm{f} 5[+\mathrm{bBc} 8] \quad 44 . \mathrm{Kb} 8 \times \mathrm{c} 8$ 46.Kd7×e6[+bSg8] 47.Ke6-d5 50.e7-e8=Q 52.Qe1-d2 \#

DM-14: 1.Kg6-h5 5.Kg2×f1[+bRa8] 14.Kc6×d7 27.Kh5×h6 [+bSb8] 41.Kb7×a8 42.Ka8×b8 47.Kf6×f5 [+bBc8] 55.Kb8×c8 57.Kd7×e6[+bSg8] 58.Ke6-d5 61.e7-e8=Q 63.Qe1-d2 \#
DM-15
Paul Răican
Arno Tüngler
Original
DM-16
Paul Răican
Arno Tüngler

ser-\# 68
$\mathrm{C}+(2+7)$
Circe

ser-\# 72
Circe

DM-15: 1.Kh4-g4 2.e4-e5 9.Kb6×a5[+bRh8] $17 . \mathrm{Kg} 4 \times \mathrm{h} 3$ [+bRa8] 25.Kb7×a8 33.Ke4×e3[+bPe7] $41 . \mathrm{Kd} 7 \times \mathrm{e} 7$ $45 . \mathrm{Kb} 7 \times \mathrm{b} 8[+\mathrm{bBf} 8] 56 . \mathrm{Kc} 3 \times \mathrm{c} 4[+\mathrm{bBc} 8] 61 . \mathrm{Kb} 8 \times \mathrm{c} 863 . \mathrm{Kd} 7 \times \mathrm{e} 6$ [+bSg8] 64.Ke6-f5 67.e7-e8=Q 68.Qe8-g6 \#
DM-16: $\quad 1 . \mathrm{Kg} 4-\mathrm{f} 5 \quad 10 . \mathrm{Kb} 4 \times \mathrm{c} 3 \quad 20 . \mathrm{Kf5} 5 \mathrm{e} 4[+\mathrm{bRa} 8]$ 27.Kb7×a8 $35 . \mathrm{Ke} 4 \times \mathrm{e} 3[+\mathrm{bPe} 7] 44 . \mathrm{Kd} 7 \times \mathrm{e} 747 . \mathrm{Kc} 8 \times \mathrm{b} 8[+\mathrm{bBf} 8]$ $58 . \mathrm{Kc} 3 \times \mathrm{c} 4[+\mathrm{bBc} 8] 65 . \mathrm{Kb} 8 \times \mathrm{c} 867 . \mathrm{Kd} 7 \times \mathrm{e}[+\mathrm{bSg} 8] 68 . \mathrm{Ke} 6-\mathrm{f} 7$ $71 . \mathrm{e} 7 \times \mathrm{f8}=$ Q 72.Qf8-g7 \#

## ARTICLES

The 'orthodox' records for 12-14 units work with two promotions of the active side. Especially surprising is Sphicas' 82-mover with two rook-promotions.

Starting with the 12 -units Circe record of Paul Răican, a matrix first utilized by Branko Koludrović in 1999 (see PDB/P1226414) is used. It seems likely that other matrices with more captures and re-births remain still undiscovered...

It is amazing that we were not able to find Circe records with 13 and 14 units that were longer than their 'orthodox' counterparts. However, this should be possible - please show us how!

## 'Orthodox' 11-14 units

DM-17
Miloš Tomašević
Radovan Tomašević
Problemkiste 1988

ser-\# $72 \quad$ C+ $(2+9)$
DM-17: $\quad 1 . \mathrm{Kf1-e1} \quad 11 . \mathrm{Kf5} \times \mathrm{g} 4 \quad 23 . \mathrm{Kf} 1 \times \mathrm{g} 1 \quad 36 . \mathrm{Kg} 4 \times \mathrm{h} 3$ 50.Kg1×h1 64.Kg4×f3 65.Kf3-e2 70.f7-f8=Q 72.Qf5-d3 \#

DM-18: $\quad 1 . \mathrm{Kf1-e1} \quad 13 . \mathrm{Kf5} \times \mathrm{g} 6 \quad 27 . \mathrm{Kf} 1 \times \mathrm{g} 1 \quad 42 . \mathrm{Kg} 4 \times \mathrm{h} 3$ 58. $\mathrm{Kg} 1 \times \mathrm{h} 1 \quad 72 . \mathrm{Kg} 4 \times f 3 \quad 73 . \mathrm{Kf3}-\mathrm{e} 3 \quad 75 . f 4 \times \mathrm{e} 5 \quad 78 . \mathrm{e} 7 \times \mathrm{d} 8=\mathrm{R}$ 79.Rd8×h8 80.Rh8-b8 81.h7-h8=R 82.Rh8-c8 \#

## DM-19

Miloš Tomašević
Radovan Tomašević
Problemkiste 1988

ser-\# 97 C+ (3+10)
DM-19: $\quad 1 . \mathrm{Ke} 7-\mathrm{d} 8 \quad 16 . \mathrm{Kh} 4 \times \mathrm{h} 5 \quad 32 . \mathrm{Kd} 8 \times \mathrm{e} 8 \quad 49 . \mathrm{Kg} 5 \times \mathrm{f} 6$ 67.Ke8×f8 87.Ke6×d6 88.Kd6-e5 90.Kf3-e4 91.d7-d8=Q 92.Qd8×h8 93.Qh8×h7 94.Qh7-c2 96.h7-h8=Q 97.Qh8-h3 \#

DM-20: $\quad 1 . \mathrm{Ke} 7-\mathrm{d} 8 \quad 17 . \mathrm{Kh} 4 \times \mathrm{h} 5 \quad 34 . \mathrm{Kd} 8 \times \mathrm{e} 8 \quad 52 . \mathrm{Kg} 5 \times \mathrm{f} 6$ 71.Ke8×f8 92.Ke6×d6 93.Kd6-e5 96.d7-d8=Q 97.Qd8×h8 98.Qh8×h7 99.Qh7-c2 101.h7-h8=Q 102.Qh8-h3 \#

## Circe 11-14 units

## DM-21

| Paul Răican | DM-22 |
| :--- | :--- |
| Arro Tüngler | Paul Răican |
| Original | Original |
|  |  |



Circe
DM-21: 1.Kg4-f5 10.Kb4×c3 20.Kf5×e4[+bRa8] 23.Kg4×h3 31.Kb7×a8 39.Ke4×e3[+bPe7] 48.Kd7×e7 51.Kc8×b8[+bBf8] 62.Kc3×c4[+bBc8] $69 . \mathrm{Kb} 8 \times \mathrm{c} 8 \quad 71 . \mathrm{Kd7} \times \mathrm{e} 6[+\mathrm{bS} 88] \quad 72 . \mathrm{Ke} 6-\mathrm{f} 7$ 75.e7×f8=Q $76 . Q 48-\mathrm{g} 7$ \#

DM-22: 1.Kb5-b4 20.Kb8×a7 40.Kb4×a5[+bSb8] 59.Kc8×b8 79.Kb5 $\times \mathrm{c} 6[+\mathrm{bRa} 8] \quad 80 . \mathrm{Kc6} \times \mathrm{c} 5[+\mathrm{bSb} 8] \quad 82 . \mathrm{Kc} 4 \times \mathrm{d} 3[+\mathrm{bPd} 7]$ 83.Kd3-e4 87.d6×c7 88.c7×b8=Q 89.Qb8×e5[+bBf8] \#

## DM-23

Arno Tüngler
Original

ser-\#
Circe
DM-24
Arno Tüngler
Original

ser-\# $101 \quad$ C+ $(4+10)$
Circe

DM-23: 1.Kb5-b4 19.Kb8×a7 38.Kb4×a5[+bSb8] 56.Kc8×b8 75.Kb5×c6[+bRa8] 76.Kc6×c5[+bSb8] 90.Kb7×a8 91.Ka8×b8 93.Kc8-d7 94.Rg7-g5 \#

DM-24: 1.Ke4-e3 $6 . \mathrm{Kg} 1 \times \mathrm{h} 1[+\mathrm{bBc} 8] \quad 12 . \mathrm{Ke} 3 \times \mathrm{f} 3[+\mathrm{bPf} 7]$ 13.Kf3-g2 14.f2-f4 24.Kd8×c8 26.Kb8×a7 45.Kb4×a5[+bSb8] 63.Kc8×b8 82.Kb5×c6[+bRa8] 83.Kc6×c5[+bSb8] 97.Kb7×a8 98.Ka8×b8 100.Kc8-d7 101.Rg7-g5 \#

## ARTICLES

The orthdox length records in this category remained untouched for many years until 2012 and 2013 when the ice was broken! (See DM-27 and DM-33.) Paul's idea adding 4 moves to the former record demonstrates that there may well be other hidden opportunities to break old records.

The authors of the 'orthodox' length records show imagination in coming up with effective 'endings' for their longmovers. It is not so easy to find the last few moves after using the matrix for DM-25, DM-27 and DM-28. Try solving these yourself!

## 'Orthodox' 15-18 units


ser-\# $104 \quad \mathrm{C}+(3+12)$

DM-26
Miloš Tomašević
Radovan Tomašević
Problemkiste 1988

ser-\# 109 C+ (3+13)

DM-25: 1.Kh4-h3 9.Kb3×a4 19.Kh4×h5 36.Kd8×e8 54.Kg5×f6 73.Ke8×f8 94.Ke6×d6 95.Kd6-e5 98.d7-d8=Q 99.Qd8×h8 100.Qh8×h7 101.Qh7-c2 103.h7-h8=Q 104.Qh8-h3 \#

DM-26: $\quad 1 . \mathrm{Kf1-e1} \quad 18 . \mathrm{Kh} 6 \times \mathrm{g} 5 \quad 37 . \mathrm{Kf} 1 \times \mathrm{g} 1 \quad 58 . \mathrm{Kg} 4 \times \mathrm{h} 3$ 59.Kh3×h4 $80 . \mathrm{Kg} 1 \times h 1 \quad 102 . \mathrm{Kg} 4 \times f 3$ 103.Kf3-e2 $106 . f 5 \times \mathrm{g} 6$ 108.g7-g8=Q 109.Qg8-b3 \#

## DM-27

Paul Răican
StrateGems 2013

ser-\# 120 C+ $(5+12)$
DM-27: 1 Kf1-e1 20 Kh5 4 1.Kf1-e1 20.Kh5×g4 41.Kf1×g1 63.Kg4×h3 86.Kg1×h1 109.Kg4×f3 110.Kf3-e2 $113 . f 5 \times$ e6 $\quad 115 . \mathrm{e} 7-\mathrm{e} 8=\mathrm{S}$ 117.Sc7-a6 119.c7×d8=R 120.Rd8-d3 \#

DM-28: $\quad 1 . \mathrm{Kh} 6-\mathrm{g} 7 \quad 13 . \mathrm{Kb} 1 \times \mathrm{c} 1 \quad 28 . \mathrm{Kh} 5 \times \mathrm{g} 4 \quad 47 . \mathrm{Kf} 1 \times \mathrm{g} 1$ $67 . \mathrm{Kg} 4 \times \mathrm{h} 3 \quad 88 . \mathrm{Kg} 1 \times \mathrm{h} 1 \quad 109 . \mathrm{Kg} 4 \times \mathrm{f} 3 \quad 110 . \mathrm{Kf3}-\mathrm{e} 2 \quad 113 . \mathrm{f} 5 \times \mathrm{g} 6$ 115.g7-g8=R 117.Rg3×c3 118.Rc3-e3 121.c5×d6 122.d6×c7 123.c7-c8=Q 124.Qc8×c6 125.Re3-e4 \#

## Circe 15-18 units

DM-29
Arno Tüngler
Original

ser-\# 108 C+ (4+11)
Circe

DM-30
Arno Tüngler
Original

ser-\# 116 C+ (4+12) Circe

DM-29: 1.Kb5-b4 22.Kb8×a7 44.Kb4×a5[+bSb8] $65 . \mathrm{Kc} 8 \times \mathrm{b} 8$ 87.Kb5×c6[+bRa8] 88.Kc6×c5[+bSb8] 91.Ke4×f3[+bPf7] 104.Kb7×a8 105.Ka8×b8 107.Kc8-d7 108.Rg7-g8 \#

DM-30: $\quad 1 . \mathrm{Kf1}-\mathrm{e} 1 \quad 8 . \mathrm{Kb} 4 \times \mathrm{b} 5[+\mathrm{bBc} 8] \quad 28 . \mathrm{Kd} 8 \times \mathrm{c} 8$ 30.Kb8×a7 52.Kb4×a5[+bSb8] 73.Kc8×b8 95.Kb5 $\times$ c6[+bRa8] 96.Kc6×c5[+bSb8] 99.Ke4×f3[+bPf7] 112.Kb7×a8 113.Ka8×b8 115.Kc8-d7 116.Rg7-g8 \#

DM-31
Arno Tüngler
Original

ser-\# $122 \mathrm{C}+(5+12)$ Circe

DM-32
Paul Răican
Arno Tüngler Original

ser-\# 128 C+ (5+13) Circe

DM-31: $\quad 1 . \mathrm{Kc} 8-\mathrm{d} 8 \quad 15 . \mathrm{Kd} 2 \times \mathrm{c} 2[+\mathrm{bPc} 7] \quad 32 . \mathrm{Kb} 8 \times \mathrm{a} 7$ 54.Kb4×a5[+bSb8] 75.Kc8×b8 97.Kb5×c6[+bRa8] 98.Kc6×c5 [+bSb8] 118.Kb7×a8 119.Ka8×b8 121.Kc8-d7 122.Rg7-g8 \#
DM-32: 1.Kh5-h6 6.Ke8-d8 $7 . \mathrm{h} 3 \times \mathrm{g} 4 \quad 21 . \mathrm{Kd} 2 \times \mathrm{c} 2[+\mathrm{bPc} 7]$ 38.Kb8×a7 60.Kb4×a5[+bSb8] 81.Kc8×b8 103.Kb5×c6[+bRa8] 104.Kc6 $\times \mathrm{c} 5[+\mathrm{bSb} 8$ ] $124 . \mathrm{Kb} 7 \times \mathrm{a} 8 \quad 125 . \mathrm{Ka} 8 \times \mathrm{b} 8 \quad 127 . \mathrm{Kc} 8-\mathrm{d} 7$ 128.Rg7-g8 \#

## ARTICLES

The difference in length for Circe and 'orthodox' tasks is quite small for the last group of records with many units. Seemingly it is impossible to make use of the Zeller trap in this category. Branko's 136 -mover that even won a high award in the informal fairy tournament of feenschach in 2001 remains for now the absolute Circe length record without promoted force. It is also noteworthy that in both 'orthodox' and Circe there is no record with 22 units!

## 'Orthodox' 19-23 units

DM-33
Anton Bidleň
Blog zlínského
problemisty 2012

ser-\# $126 \quad \mathrm{C}+(4+15)$

DM-34
Aleksandar Atanasijević Mat 1979

ser-\# $127 \quad \mathrm{C}+(6+15)$

DM-33: 1.Kf1-e1 $19 . \mathrm{Kh} 5 \times \mathrm{g} 439 . \mathrm{Kf1} \mathrm{\times g} 1 \quad 60 . \mathrm{Kg} 4 \times \mathrm{h} 3 \quad 82 . \mathrm{Kg} 1 \times \mathrm{h} 1$ 104.Kg4×f3 105.Kf3-e3 107.f4×e5 108.Ke3×e4 110.Kd4×c3 115.Kb7×c7 116. Kc7-d8 118.c7-c8=R 119.Rc8×c4 120.Rc4-f4 122.c4×b5 125.b7-b8=Q 126.Qb8-d6 \#

DM-34: 1.Kf1-e1 5.Kb1-a1 6.Ba2-b1 22.Kh5×g4 38.Ka2-a1 39.Bb1a2 $45 . \mathrm{Kf1} 1 \times \mathrm{g} 1 \mathrm{51.Kb1-a1} 52 . \mathrm{Ba} 2-\mathrm{b} 1 \quad 69 . \mathrm{Kg} 4 \times h 386 . \mathrm{Ka} 2-\mathrm{a} 1 \quad 87 . \mathrm{Bb} 1-\mathrm{a} 2$ 94.Kg1×h1 101.Kb1-a1 102.Ba2-b1 119.Kg4×f3 120.Kf3-e4 123.f5×g6 125.g7-g8=Q 126.Qg8-c8 127.Qc8-a6 \#

## DM-35

Miloš Tomašević
Radovan Tomašević
U.S. Problem Bulletin

1988

ser-\# 128 C+ $(7+16)$
DM-35: 1.Kf1-e1 5.Kb1-a1 6.Ba2-b1 22.Kh5×g4 38.Ka2-a1 39.Bb1a2 $45 . \mathrm{Kf} 1 \times \mathrm{g} 1$ 51.Kb1-a1 52.Ba2-b1 $69 . \mathrm{Kg} 4 \times \mathrm{h} 386 . \mathrm{Ka} 2-\mathrm{a} 1 \quad 87 . \mathrm{Bb} 1-\mathrm{a} 2$ 94.Kg1×h1 101.Kb1-a1 102.Ba2-b1 119.Kg4×f3 120.Kf3-e3 123.f5×e6 $125 . \mathrm{e} 7 \times \mathrm{d} 8=\mathrm{Q}$ 126.Qd8×c7 127.Qc7-b8 128.b3-b4 \#

Circe 19-23 units
DM-36
Paul Răican
Arno Tüngler
Original

ser-\# 130 C+ (4+15)
Circe
DM-37
Branko Koludrović
Paul Răican
Arno Tüngler
Original

ser-\# 133 C+ (8+12) Circe

DM-36: 1.Kh5-h6 6.Ke8-d8 7.h3×g4 21.Kd2×c2[+bPc7] 38.Kb8×a7 $60 . \mathrm{Kb} 4 \times \mathrm{a} 5[+\mathrm{bSb} 8$ ] $81 . \mathrm{Kc} 8 \times \mathrm{b} 8103 . \mathrm{Kb5} \times \mathrm{c} 6[+\mathrm{bRa} 8]$ 104.Kc6×c5[+bSb8] 126.Kb7×a8 127.Ka8×b8 129.Kc8-d7 130.Rg7-g8 \#

DM-37: 1.Kf1-g1 11.Ke8-d8 $12 . f 2 \times e 3$ 26.Kd2×c2[+bPc7] $43 . \mathrm{Kb} 8 \times a 7$ $65 . \mathrm{Kb} 4 \times \mathrm{a} 5[+\mathrm{bSb} 8$ ] $86 . \mathrm{Kc} 8 \times \mathrm{b} 8 \quad 108 . \mathrm{Kb5} \times \mathrm{c} 6[+\mathrm{bRa} 8] \quad 109 . \mathrm{Kc} 6 \times \mathrm{c} 5[+\mathrm{bSb} 8]$ 129.Kb7×a8 130.Ka8×b8 132.Kc8-d7 133.Rg7-g8 \#

## DM-38

Branko Koludrović
feenschach 2001 (v)

ser-\# $135 \mathrm{C}+(7+14)$ Circe

## DM-39

Branko Koludrović
feenschach 2001, ${ }^{\text {th }} \mathrm{Pr}$.

ser-\# 136 C+ $(7+16)$ Circe

DM-38: 1.Kf1-g1 11.Ke8-d8 $12 . f 2 \times e 3$ 26.Kd2×c2 [+bPc7] 43.Kb8×a7 65.Kb4×a5[+bSb8] 86.Kc8×b8 108.Kb5×c6 [+bRa8] 109.Kc6×c5[+bSb8] 131.Kb7×a8 132.Ka8×b8 134.Kc8-d7 135.Rg7-g8 \#

DM-39: 1.Kh1-g1 $2 . \mathrm{h} 2 \times \mathrm{g} 3$ 12.Ke8-d8 $13 . f 2 \times e 3 \quad 27 . \mathrm{Kd} 2 \times \mathrm{c} 2[+\mathrm{bPc} 7]$ $44 . \mathrm{Kb} 8 \times \mathrm{a} 7 \quad 66 . \mathrm{Kb} 4 \times \mathrm{a} 5[+\mathrm{bSb} 8] \quad 87 . \mathrm{Kc} 8 \times \mathrm{b} 8 \quad 109 . \mathrm{Kb} 5 \times \mathrm{c} 6[+\mathrm{bRa} 8]$ 110.Kc6×c5[+bSb8] 132.Kb7×a8 133.Ka8×b8 135.Kc8-d7 136.Rg7-g8 \#

## ARTICLES

## 'Orthodox' Overall Record with Promoted Force

Circe Overall Record with Promoted Force

DM-40
Arno Tüngler
StrateGems 2013

ser-\# 154
$\mathrm{C}+(6+15)$

DM-40: 1.Bb1-c2 8.Be8-g6 10.Kh6-g7 11.Bg6-f7 13.Kf8-e8 24.Bc8-d7 26.Kd8-c8 35.Ba4-b5 40.Ka4-a3 42.Ba4-b3 44.Kb4-c3 45.Bb3-c2 47.Kd2-e1 49.Bd1-e2 52.Kg1×h2 55.Kf1-e1 57.Bd1c2 59.Kd2-c3 60.Bc2-b3 62.Kb4-a3 64.Ba4-b5 69.Kb7-c8 78.Be8d7 80.Kd8-e8 91.Bh5-f7 93.Kf8-g7 94.Bf7-g6 96.Kh6-g5 98.Bh5g4 99.Kg5×h4 100.Kh4-g5 102.Bh5-g6 104.Kh6-g7 105.Bg6f7 107.Kf8-e8 118.Bc8-d7 120.Kd8-c8 129.Ba4-b5 134.Ka4-a3 136.Ba4-b3 138.Kb4-c3 139.Bb3-c2 141.Kd2-e1 142.Bc2×d3 145.Kg2×f3 146.Kf3-e3 147.f2-f4 148.f4×e5 149.e5×f6 151.f7$\mathrm{f} 8=\mathrm{B} 153 . \operatorname{Bg} 7 \times \mathrm{d} 4154 . \mathrm{Bd} 3-\mathrm{e} 4 \#$

## DM-41

## Branko Koludrović

feenschach 2001

ser-\# 171 $\mathrm{C}+(11+16)$
Circe

DM-41: 1.Kg1-h1 2.Bh2-g1 12.Ke8-d8 13.Bf2×e1 23.Kh2h1 24.Bg1-h2 27.Kf2-f3 29.Bf2-g1 $\quad 34 . \mathrm{Kc} 1 \times \mathrm{b} 2 \quad 39 . \mathrm{Kf} 2-\mathrm{f} 3$ 41.Bf2-e1 44.Kg1-h1 45.Bh2-g1 58.Kb8×a7 59.Ka7×a8[+sLc8] 61.Kb8×c8 72.Kh2-h1 73.Bg1-h2 76.Kf2-f3 78.Bf2-g1 86.Kb4×a5[+sSb8] 94.Kf2-f3 96.Bf2-e1 99.Kg1-h1 100.Bh2g1 112.Kc8×b8 124.Kh2-h1 125.Bg1-h2 128.Kf2-f3 130.Bf2-g1 $139 . \mathrm{Kb} 5 \times \mathrm{c} 6[+\mathrm{sTa} 8] 140 . \mathrm{Kc} 6 \times \mathrm{c} 5[+\mathrm{sSb} 8]$ 148.Kf2-f3 150.Bf2-e1 153.Kg1-h1 154.Bh2-g1 167.Kb7×a8 168.Ka8×b8 170.Kc8-d7 171.Rg7-g8 \#

## SELECTED COMPOSITIONS

G. P. Jelliss, Grid Chess Introduction, 2002 [http://www.mayhematics.com/v/grid.htm]:
"Grid Chess was the subject of the first composing tourney in the Fairy Chess Review after the death of T. R. Dawson, and the tourney was held in his memory. The tourney was announced in August 1953, with closing date the end of the year, yet the award published in February 1954, reported as many as 184 entries. However, almost exactly half of these proved to be unsound, which was put down to the 'newness of the medium' rather than the short time limit.

The idea for Grid Chess came from Walter Stead who was an expert on chessboard dissection problems (which we now usually call polyomino problems), and later edited a column on this subject in FCR. However the first problem in Grid Chess was composed by Stead's friend Dennison Nixon, who had taken over the editorship of Fairy Chess Review (after one issue conducted by C.E.Kemp). Stead and Nixon lived near to each other in Middlesbrough."

ChessProblems.ca Bulletin Issue 5

## Irregular Grid Series-Movers

SC45

| Cornel Pacurar | Cornel Pacurar |
| :--- | :--- |
| Arno Tüngler | Arno Tüngler |

61 TT Dansk Skakproblem Klub 61 TT Dansk Skakproblem Klub 2009-2010, $3^{\text {rd }}$ Prize
2009-2010, $1^{\text {st }}$ Prize

ser-sZb1 $6865^{\text {v }}$ Irregular Grid, PWC
(1+2) ser-sZb7 2016 Irregular Grid, PWC $\mathrm{C}+(1+1)$㗐宣 = Wazir

를 $=$ Wazir
2 Solutions
SC46

## Cornel Pacurar

Arno Tüngler

## SC47

61 TT Dansk Skakproblem Klub Cornel Pacurar 2009-2010, $1^{\text {st }}$ Hon. Mention


[^2]SC44 (Cornel Pacurar, Arno Tüngler): Try: 1.WEg6-f6? 24.WEa5×a4 (+bPa5) 31.WEd1×e1 (+bWEd1) 85.WEa6×a5 (+bPa6) 92.WEc1×d1 (+bWEc1) 3135.WEg2×f2 (+bPg2) 3142.WEc $3 \times \mathrm{d} 3$ ( + bWEc3) 3198.WEh $2 \times \mathrm{g} 2$ ( + bPh2) 3205.WEb $3 \times$ c3 (+bWEb3) 3510.WEf $2 \times \mathrm{e} 2$ (+bWEf2) 3571.WEg $2 \times \mathrm{h} 2(+\mathrm{bPg} 2)$ 3633.WEe $2 \times \mathrm{f} 2$ (+bWEe2) 3634.WEf2 $\times$ g2 (+bPf2) 6866.WEa $1 \times \mathrm{a} 2$ (+bWEa1) 6867.WEa2×a3 (+bPa2) WEa1-b1 z

Solution: 1.WEg6-h6! 31.WEf1×e1 (+bWEf1) 38.WEa3×a4 (+bPa3) 92.WEg1×f1 (+bWEg1) 99.WEa2×a3 (+bPa2) 153.WEg2-h2 154.WEh2-h1 155.WEh $1 \times \mathrm{g} 1$ (+bWEh1) 156.WEg1-g2 210.WEa3×a2 (+bPa3) 271.WEa4×a3 (+bPa4) 3382.WEf2 2 e2 (+bPf2) 3443.WEg $2 \times f 2$ (+bPg2) 3504.WEg $1 \times \mathrm{h} 1$ (+bWEg1) 3506.WEh $2 \times \mathrm{g} 2$ (+bPh2) 3507.WEg $2 \times \mathrm{g} 1$ (+bWEg2) 3568.WEf $2 \times \mathrm{g} 2$ (+bWEf2) 3569.WEg $2 \times \mathrm{h} 2(+\mathrm{bPg} 2)$ 3631.WEe $2 \times \mathrm{f} 2$ (+bWEe2) 3632.WEf2 $\times \mathrm{g} 2$ (+bPf2) 6864.WEa $1 \times \mathrm{a} 2$ (+bWEa1) 6865.WEa2×a3 (+bPa2) WEa1-b1 z

SC45 (Cornel Pacurar, Arno Tüngler): I) 62.WE $\times f 5$ (+bBf6) 125.WE $\times \mathrm{f6}$ (+bBf7) 188.WE $\times f 7$ (+bBf8) 251.WE $\times f 8$ ( +bBe 8 ) 314.WExe8 (+bBe7) 377.WE×e7 (+bBe6) 440.WE×e6 (+bBe5) 503.WE $\times \mathrm{e} 5(+\mathrm{bBe} 4) \quad$ 566.WE $\times \mathrm{e} 4 \quad$ ( +bBe 3 ) 629.WE $\times \mathrm{e} 3$ (+bBe2) 692.WE $\times \mathrm{e} 2$ (+bBd2) 755.WE $\times \mathrm{d} 2$ (+bBd3) 818.WE $\times \mathrm{d} 3$ (+bBd4) 881.WE $\times \mathrm{d} 4$ (+bBd5) 944.WE $\times \mathrm{d} 5$ ( +bBd 6 ) 1007.WE $\times \mathrm{d} 6$ (+bBd7) 1070.WE $\times \mathrm{d} 7$ (+bBd8) 1133.WE×d8 (+bBc8) 1196.WE $\times \mathrm{c} 8 \quad(+\mathrm{bBc} 7)$ 1259.WE×c7 (+bBc6) 1322.WE×c6 (+bBc5) 1385.WE×c5 ( +bBc 4 ) 1448.WE $\times \mathrm{c} 4 \quad(+\mathrm{bBc} 3) \quad$ 1511.WE $\times \mathrm{c} 3 \quad(+\mathrm{bBc} 2)$ 1574.WE $\times \mathrm{c} 2$ ( +bBb 2 ) 1637.WE $\times$ b2 (+bBb3) 1700.WE $\times$ b3 (+bBb4) 1763.WE $\times$ b4 ( $+\mathrm{bBb5}$ ) 1826.WE×b5 (+bBb6) 1889.WE $\times$ b6 ( +bBb 7 ) 1952.WE $\times \mathrm{b} 7$ (+bBb8) 2015.WE $\times$ b8 (+bBa8) 2016.WEb7 B×b7 (WEa8) z
II) 2.WE $\times f 5$ ( +bBf 4 ) 65.WE $\times f 4(+\mathrm{bBf} 3$ ) 128.WE $\times f 3$ (+bBf2) 191.WE $\times \mathrm{f} 2$ (+bBg2) 254.WE $\times \mathrm{g} 2$ (+bBg3) 317.WE $\times \mathrm{g} 3$ $(+\mathrm{bBg} 4) \quad 380 . \mathrm{WE} \times \mathrm{g} 4 \quad(+\mathrm{bBg} 5) \quad 443 . \mathrm{WE} \times \mathrm{g} 5 \quad(+\mathrm{bBg} 6)$ 506.WE $\times \mathrm{g} 6$ (+bBg7) 569.WE×g7 (+bBg8) 632.WE $\times \mathrm{g} 8$ (+bBh8) 695.WE $\times$ h8 ( +bBh 7 ) 758.WE $\times \mathrm{h} 7$ (+bBh6) 821.WE $\times$ h6 (+bBh5) 884.WE $\times$ h5 (+bBh4) 947.WE $\times \mathrm{h} 4$

## SELECTED COMPOSITIONS

Fairy Chess Review, 1953:
"[...] the Grid divides the $8 \times 8$ into 16 equal 'cells' each $2 \times 2$. The one simple rule of Grid Chess is that every move must cross at least one Grid line, and this applies to checks also, so that a King is in check only if his actual capture would be by a move crossing at least one Grid line."

Any type of Grid different than the standard $2 \times 2$ Grid is considered an Irregular Grid.
(+bBh3) 1010.WE $\times$ h3 (+bBh2) 1073.WE $\times$ h2 (+bBh1) 1136.WE $\times$ h1 (+bBg1) 1199.WE $\times \mathrm{g} 1$ (+bBf1) 1262.WE $\times \mathrm{f} 1$ (+bBe1) 1325.WE $\times \mathrm{e} 1$ (+bBd1) 1388.WE $\times \mathrm{d} 1$ (+bBc1) 1451.WE $\times \mathrm{c} 1$ (+bBb1) 1514.WE $\times$ b1 (+bBa1) 1577.WE $\times a 1$ (+bBa2) 1640.WE $\times \mathrm{a} 2$ (+bBa3) 1703.WE $\times \mathrm{a} 3$ (+bBa4) 1766.WE×a4 (+bBa5) 1829.WE×a5 (+bBa6) 1892.WE×a6 (+bBa7) 1955.WE×a7 (+bBa8) 2016.WEb7 B×b7 (WEa8) z

SC46 (Cornel Pacurar, Arno Tüngler): 1.EKh3 $\times \mathrm{h} 2$ (+bPh3) 2.EKh2-g3 3.EKg3-h4 4.EKh4×h3 (+bPh4) 5.EKh3-g4 6.EKg4h5 7.EKh5 $\times$ h4 (+bPh5) 8.EKh4-g5 9.EKg5-h6 10.EKh6 $\times$ h5 (+bPh6) 11.EKh5-g6 12.EKg6-h7 13.EKh7-g8 14.EKg8-g7 15.EKg7×h6 (+bPg7) 16.EKh6-h7 17.EKh7-g8 18.EKg8-f7 19.EKf7-e8 20.EKe8-f8 21.EKf8 $\times \mathrm{g} 7$ (+bPf8) $22 . E K g 7-\mathrm{g} 8$ 23.EKg8-f7 24.EKf7-e8 25.EKe8×f8 (+bPe8) 26.EKf8-e7 27.EKe7-d8 28.EKd8×e8 (+bPd8) 29.EKe8-d7 30.EKd7-c8 31.EKc8 $\times$ d8 $\quad(+\mathrm{bPc} 8)$ 32.EKd8-c7 33.EKc7-b8 34.EKb8-b7 35.EKb7×c8 (+bPb7) 36.EKc8-d8 37.EKd8-c7 38.EKc7-b8 39.EKb8-a7 40.EKa7-a6 41.EKa6×b7 (+bPa6) 42.EKb7-b8 43.EKb8-a7 44.EKa7-b6 45.EKb6-a5 46.EKa5×a6 (+bPa5) 47.EKa6-b5 48.EKb5-a4 49.EKa4×a5 (+bPa4) 50.EKa5-b4 51.EKb4-a3 52.EKa3×a4 (+bPa3) 53.EKa4-b3 54.EKb3-a2 55.EKa2×a3 (+bPa2) 56.EKa3-b2 57.EKb2-a1 58.EKa1×a2 (+bPa1=bS) 59.EKa2×a1 (+bSa2) 60.EKa1-b2 61.EKb2-a3 62.EKa3×a2 (+bSa3) 63.EKa2-b3 64.EKb3-a4 65.EKa4×a3 (+bSa4) 66.EKa3-b4 67.EKb4-a5 68.EKa5×a4 (+bSa5) 69.EKa4-b5 70.EKb5-a6 71.EKa6×a5 (+bSa6) 72.EKa5-b6 73.EKb6-a7 74.EKa7-b8 75.EKb8-b7 76.EKb7×a6 (+bSb7) 77.EKa6-a7 78.EKa7-b8 79.EKb8-c7 80.EKc7-d8 81.EKd8-c8 82.EKc8×b7 (+bSc8) 83.EKb7-b8 84.EKb8-c7 85.EKc7-d8 86.EKd8×c8 (+bSd8) 87.EKc8-d7 88.EKd7-e8 89.EKe8×d8 (+bSe8) 90.EKd8-e7 91.EKe7-f8 92.EKf8×e8 (+bSf8) 93.EKe8f7 94.EKf7-g8 95.EKg8-g7 96.EKg7×f8 (+bSg7) 97.EKf8-e8 98.EKe8-f7 99.EKf7-g8 100.EKg8-h7 101.EKh7-h6 102.EKh6×g7 (+bSh6) 103.EKg7-g8 104.EKg8-h7 105.EKh7-g6 106.EKg6-h5 107.EKh5 $\times$ h6 (+bSh5) 108.EKh6-g5 109.EKg5-h4 110.EKh4×h5 $\quad(+$ bSh4 $) \quad$ 111.EKh5-g4 $\quad$ 112.EKg4-h3 113.EKh3×h4 (+bSh3) 114.EKh4-g3 115.EKg3-h2 116.EKh $2 \times$ h3 (+bSh2) Sh2-g4 z

SC47 (Cornel Pacurar): I) 1.Rh4 2.R×b4 3.Rb1 4.R×b5 5.Rb1 6. $\mathrm{R} \times \mathrm{b} 6$ 7.Rb1 8. $\mathrm{R} \times \mathrm{b} 7$ 9.Ra7 10. $\mathrm{R} \times \mathrm{c} 7$ 11.Ra7 12. $\mathrm{R} \times \mathrm{d} 7$ 13.Ra7 14. $\mathrm{R} \times \mathrm{f} 7$ 15.Ra7 $16 . \mathrm{R} \times \mathrm{g} 7$ 17.Rg8 18. $\mathrm{R} \times \mathrm{g} 6$ 19.Rh6 $20 . \mathrm{R} \times \mathrm{d} 6$
21.Rh6 22.R×c6 23.Rc8 $24 . \mathrm{R} \times \mathrm{c} 5 \quad 25 . \mathrm{Ra} 5 \quad 26 . \mathrm{R} \times \mathrm{d} 5 \quad 27 . \mathrm{Ra} 5$ 28. $\mathrm{R} \times \mathrm{f} 5$ 29.Ra5 $30 . \mathrm{R} \times \mathrm{g} 5$ 31.Rg8 32.R×g3 33.Rh3 34.R×f3 35.Rh3 36.R×d3 37.Rh3 38.R×c3 39.Rc8 40. $\mathrm{R} \times \mathrm{c} 2$ 41.Ra2 42. $\mathrm{R} \times \mathrm{d} 2$ 43.Ra2 $44 . \mathrm{R} \times \mathrm{e} 2=$
II) 1.Re8 $2 . \mathrm{R} \times \mathrm{e} 2$ 3.Rh2 $4 . \mathrm{R} \times \mathrm{d} 25$ 5.Rh2 6. $\mathrm{R} \times \mathrm{c} 2 \quad 7 . \mathrm{Rc} 18 . \mathrm{R} \times \mathrm{c} 3$ 9.Ra3 10. $\mathrm{R} \times \mathrm{d} 3$ 11.Ra3 $12 . \mathrm{R} \times \mathrm{f} 3$ 13.Ra3 $14 . \mathrm{R} \times \mathrm{g} 3 \quad 15 . \mathrm{Rg} 1$ 16. $\mathrm{R} \times \mathrm{g} 5$ 17.Rg1 18. $\mathrm{R} \times \mathrm{g} 6$ 19.Rg1 $20 . \mathrm{R} \times \mathrm{g} 7$ 21.Rh7 $22 . \mathrm{R} \times \mathrm{f} 7$ 23.Rf8 24.R×f5 25.Rh5 26.R×d5 27.Rd1 28.R×d6 29.Rd1 $30 . R \times d 7$ 31.Rh7 32. $\mathrm{R} \times \mathrm{c} 7$ 33.Rh7 34.R×b7 35.Rb8 36.R×b6 37.Ra6 38.R×c6 39.Rc8 $40 . R \times c 5$ 41.Rh5 $42 . R \times b 543 . R b 8$ $44 . \mathrm{R} \times \mathrm{b} 4=$

## ChessProblems.ca TT7

## Irregular Grid Series Tourney

Required are series and parry-series of any length and with any stipulation employing an Irregular Grid. Standard Grid compositions are not permitted. All fairy units and conditions are allowed, but not more than one fairy condition and/or fairy unit type.

Judge: Arno Tüngler (DEU)
Tourney director: Cornel Pacurar (CAN)
Submissions by email to: TT7@ChessProblems.ca

Submission deadline: December $31^{\text {st }}, 2015$
Examples: See SC44, SC45, SC46 and SC47 ChessProblems.ca Bulletin Issue 5

Computer verification: Validation by a computer program is desirable but not mandatory. Please specify the program and version used. If verified by Popeye, please also provide the Popeye input in a separate text file.

The award will be published in the ChessProblems.ca Bulletin in 2016.

## RECENTLY HONOURED CANADIAN COMPOSITIONS

The following ten Canadian compositions (out of which nine are miniatures) were awarded over the past four and a half months (since December $1^{\text {st }}, 2014$ ). Their distribution is as follows:

| Charles Ouellet - Montréal, QC |
| :--- |
| Cornel Pacurar - Toronto, ON |
| Adrian Storisteanu - Toronto, ON |
| A.5) |

## C62, C63, C64:

Award published in StrateGems 69, JanuaryMarch 2015

## C65:

Award published in Problem Observer, March 2015

C66:
Award published online on December 31, 2014

## C67:

Award published online on January 11, 2015


## RECENTLY HONOURED CANADIAN COMPOSITIONS

## C68:

Award published in Orbit 64, December 2014
C69:
Award published online on April 1, 2015

C70:
Award published online on December 20, 2014

C71:
Award published online on April 2, 2015 34 miniatures (Section A) and 54 tanagras (Section B) participated.

## C65:

Triple avoidance introduced by the same black unit on B1 followed by three distinct W2 moves. The last two variations with third-pin mates have been shown before (Igor Agapov, Commendation, MT Lkhagvasureu-60, 2009: 7b/2Q5/6p1/2SkssqR/2p3B1/P3p3/K7/B2S4
1.Be2! (2.Sc3+)).
(Author)
bashes after 1...Bd1: 2.f8S[A]/Qf5[B]/Qe4[C]/Qd3[D]\#. 1 ... Be 2 slices the total downward to $2 . f 8 \mathrm{~S}[\mathrm{~A}] / \mathrm{Qf5}[\mathrm{~B}] / \mathrm{Qe} 4[\mathrm{C}] \#$. $1 . . . \mathrm{Bf} 3$ leaves only $2 . f 8 \mathrm{~S}[\mathrm{~A}] / \mathrm{Qf5}[\mathrm{~B}] \#$. $1 . . \mathrm{Bg} 4$ allows the sole 2.f8S[A]\#. This business exemplifies "progressive reduction of mates." However, $1 . . . \mathrm{Bg} 6$ ! is quite safe. 1.Qf4! (2.Qh6\#) proves invincible by demolishing $1 \ldots \mathrm{~B} \times \mathrm{f} 7+2 . \mathrm{Q} \times \mathrm{f} 7 \#$ or $1 \ldots \mathrm{Kg} 6$ 2.f8S [A]\#. That BK interference unpin contrasts with the corresponding withdrawal unpin. Further, a "Dombrovkis effect" is associated with the leading try.
(Judge: Robert Lincoln)

## C64 (Charles Ouellet):

The Barnes pattern appears in C64. 1.Sb8? (2.Sc6/Q×a6\#) or 1.Se5? (2.Sc6\#) are both duly fractured 1...B $\times$ b5! 1.Sc5! (2.Q×a6\#) hits the mark. Mates are tallied 1... $\mathrm{B} \times \mathrm{b} 7+$ $2 . Q \times b 7 \#, 1 \ldots \mathrm{~B} \times \mathrm{b} 52 . \mathrm{b} 8 \mathrm{Q} \#$, and $1 \ldots \mathrm{~B} \times \mathrm{c} 52 . \mathrm{Q} \times \mathrm{c} 5 \#$. 2. $\mathrm{Q} \times \mathrm{b} 7 \#, 1 \ldots \mathrm{~B} \times \mathrm{b5} 2 . \mathrm{b} 8 \mathrm{Q} \#$, and $1 \ldots \mathrm{~B} \times \mathrm{c5} 2 . \mathrm{Qxc5} \#$.
(Judge: Robert Lincoln)

## C65 (Charles Ouellet):

1.Qc8-g8, thr. 2.Qg8-g7+ 2.Ke5-e6 3.Qg7xe7\#
1...Qb5-e8+2.Qg8×e8 thr. 3.Qe8×e7\#
2. . .e7-e6 3.Qe8-h8\#
2...e7-e6 3.Qe8-h8\#
1... Qb5-d7 $2 . c 3 \times d 4+2 . c 5 \times d 43 . S a 3-c 4 \#$
1... Qb5-c6 2.Sa3-c4+2.d5×c4 3.c3×d4\#

The last variation ends with a third-pinmate (P. Michael). Plenty of variety (Dr. C. Grupen). Complex 3 mover (C. A. Grassano).

## C66 (Cornel Pacurar):

Another excellent Tanagra with a very strange idea! Optically, the mate pictures are almost identical in both phases, but in fact
there are two significant differences between the play in the first the mate pictures are almost identical in both phases, but in fact
there are two significant differences between the play in the first solution (block on e3 with a Knight!) and in the second solution (block on e3 with a Queen!). At the same time, the w.King realises two quite different paths to square f 2 !
(Judge: Petko Petkov)
I) $1 . \mathrm{c} 2-\mathrm{c} 1[\mathrm{le} 1]=\mathrm{S}+\quad \mathrm{Kd} 3-\mathrm{e} 3[\mathrm{If} 1] \quad 2 . \mathrm{Sc} 1-\mathrm{d} 3[\mathrm{lg} 3] \quad 3 . \mathrm{Kg} 4-\mathrm{g} 3[\mathrm{lg} 2]$
$4 . \mathrm{Kg} 3-\mathrm{f} 2[\mathrm{If} 1]+\mathrm{Ke} 3-\mathrm{f} 4[\mathrm{lg} 2] \quad 5 . \mathrm{Kf} 2-\mathrm{e} 2[\mathrm{If} 2]+\quad \mathrm{Kf} 4-\mathrm{g} 3[\mathrm{lg} 1]$ 6.Ke2-e3[lg2] Kg3-f2[If1] \#
II) 1.c2-c1[le1]=Q 2.Qc1-b1[Id1]+ Be5-d6[lc2] 3.Kg4-f5[lb3]+ Kd3-e2[lc2] 4.Qb1-d3[le4]+ Ke2-f2[If4] 5.Kf5-e4[le3] 6.Ke4-e3 [le2]+ Bd6-e5[lf1] \#

## C70

## C63 (Charles Ouellet):

A fine effort is achieved through C63. 1.Ke7? (2.f8S[A]\#) is defeated $1 \ldots \mathrm{Kg} 6$ ! 1.Qd5? ( $2 . \mathrm{Q} \times \mathrm{h} 5 \#$ ) has a string of four

## Cornel Pacurar

Adrian Storisteanu
TT-121, SuperProblem 2014
Special Honourable Mention

-2b \& \#1
C+ (4+2)h\#4
Anti-SuperCirce
PWC

2 Solutions
资 $=$ Grasshopper

## C62 (Charles Ouellet):

It was easy to designate $\mathbf{C} 62$ with top honors. The principal tries are 1.Kc7? (2.b8Q\#) 1...B×b7! and 1.Qc7? (2.Qb8\#) 1...b5! 1.Qc6! (zz) is right on the button making short work of $1 . . . B \sim 2 . b 8 Q \#, 1 \ldots B \times b 7+2 . Q \times b 7 \#, 1 \ldots b \times c 52 . Q \times c 5 \#$, and $1 \ldots$ b5 $2 . Q \times a 6 \#$. Virtual play has two different units occupy the same square with unique threats and then a "waiter" solves. Such a blueprint traces out the arduous Yenakievo-Novoselitsk theme, perhaps done here for the first time in miniature. There is even more action. Three additional nudges ramp up the fun. 1.Qa4? (2.Q×a6\#) 1...b×c5! 1.S×a6? (zz) 1...K×a6 2.Qa4\# but $1 \ldots$..b5! $1 . S a 4$ ? (zz) 1 . . b5 2.Qd4\#, but $1 \ldots$ B~! This is a veritable masterpiece!
(Judge: Robert Lincoln)

## Adrian Storisteanu

Ettinger 90 MT 2015
Section B - Tanagras
$1^{\text {st }}$ Prize
$\mathrm{C}+(2+3)$
b) $0 \mathrm{~b} 4 \rightarrow \mathrm{a} 3$

2 Solutions
$\qquad$



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[^3]












## RECENTLY HONOURED <br> CANADIAN COMPOSITIONS

## C69:

$4^{\text {th }}$ FIDE World Cup 2015, Section H (Retros \& Proof Games): 18 entries, out of which 6 were cooked. 2 Prizes, 3 Honourable Mentions and 3 Commendations were awarded.

## C67 (Cornel Pacurar):

Bei diesem Wenigsteiner greift Supercirce in allen Zügen. (Judge: Franz Pachl)
I) $1 . \mathrm{Kd} 5 \times \mathrm{e} 5[+\mathrm{nPd} 5]$ ! $(1 . \mathrm{Kd} 5 \times \mathrm{e} 5[+n P h 8=n Q]$ ?) $2 . \mathrm{Ke} 5 \times \mathrm{d} 5$ [+nPh8=nQ] 3.nQh8 $\times \mathrm{h} 4[+\mathrm{nPf6}]+\mathrm{nQh} 4 \times \mathrm{f} 6[+\mathrm{nPh} 1=\mathrm{nB}]$ \# II) $1 . \mathrm{Kd} 5 \times \mathrm{e} 5[+\mathrm{nPd} 8=\mathrm{nQ}] 2 . \mathrm{nQd} 8 \times \mathrm{h} 4[+\mathrm{nPg} 4]!(2 . n Q d 8 \times h 4$ $[+n P c 5] ?) 3 . \mathrm{nQh} 4 \times \mathrm{g} 4[+\mathrm{nPc} 5]+\mathrm{Kb} 4 \times \mathrm{c} 5[+\mathrm{nPa} 1=\mathrm{nB}] \#$

## C68 (Cornel Pacurar):

The piece which captures the queen must then occupy the rebirth square of the piece which covers the king at g1. The pawn at d3 prevents a dual in b) and adds a cute filler move in a) to equalize the lengths of the solutions.
(Judge: Michael McDowell)
a) $1 . \mathrm{b} 2-\mathrm{b} 1=\mathrm{R} 2 . \mathrm{Rb} 1-\mathrm{g} 13 . \mathrm{c} 2-\mathrm{c} 1=\mathrm{B} 4 . \mathrm{Bc} 1-\mathrm{b} 25 . \mathrm{Bb} 2 \times \mathrm{e} 5[+\mathrm{wQd} 1]$ 6.d3-d2 7.Be5-h8 Qd1×g1 \#
b) $1 . \mathrm{b} 2-\mathrm{b} 1=\mathrm{Q} 2 . \mathrm{Qb} 1-\mathrm{g} 13 . \mathrm{c} 2-\mathrm{c} 1=\mathrm{S} 4 . \mathrm{Sc} 1-\mathrm{a} 25 . \mathrm{Sa} 2 \times \mathrm{b} 4[+\mathrm{wQd} 1]$ 6.Sb4-c6 7.Sc6-d8 Qd1×g1 \#

## C69 (Cornel Pacurar):

A lovely Wenigsteiner with two "every move is uncapture" sequences.
(Judge: Michel Caillaud)
I) $-1 . \mathrm{Kd} 6 \times \mathrm{Sd} 7-2 . \mathrm{Kd} 5 \times \mathrm{Sd} 6-3 . \mathrm{Kd} 4 \times \mathrm{Sd} 5-4 . \mathrm{d} 2 \times \mathrm{Se} 3$
\& 1.d2-d3 !=
II) $-1 . \mathrm{Kd} 6 \times \mathrm{Bd} 7-2 . \mathrm{Ke} 5 \times \mathrm{Rd} 6-3 . \mathrm{Ke} 4 \times \operatorname{Be} 5-4 . \mathrm{Kd} 5 \times \operatorname{Re} 4$
\& 1.Kd5-c5!=

## C70 (Cornel Pacurar, Adrian Storisteanu):

bB-bB Loshinski magnet four times - probably shown for the first time in a series Retractor Circe Assassin - a specialty of Canadian composers. The contents might seem not very deep at first glance, but it is fully satisfactory, with specific suicides and mates.
(Judges: Vlaicu Crișan \& Eric Huber)
a) I) $1 . \mathrm{Bb} 8 \times \mathrm{Ph} 2(+\mathrm{wPh} 2,-\mathrm{bBh} 2) 2 . \mathrm{Bc} 7 \times \mathrm{Ph} 2(+\mathrm{wPh} 2,-\mathrm{bBh} 2)$
\& 1.Sb4-a6 \#
II) $1 . \mathrm{Be} 5 \times \mathrm{Ph} 2(+\mathrm{wPh} 2,-\mathrm{bBh} 2) 2 . \mathrm{Bf} 4 \times \mathrm{Ph} 2(+\mathrm{wPh} 2,-\mathrm{bBh} 2)$
\& 1.Sb4-d3 \#
b) I) $1 . \mathrm{Bc} 7 \times \mathrm{Ph} 2(+\mathrm{wPh} 2,-\mathrm{bBh} 2) 2 . \mathrm{Bd} 6 \times \mathrm{Ph} 2(+\mathrm{wPh} 2,-\mathrm{bBh} 2)$
\& 1.Sa3-b5 \#
II) $1 . \mathrm{Bd} 6 \times \mathrm{Ph} 2(+\mathrm{wPh} 2,-\mathrm{bBh} 2) 2 . \mathrm{Be} 5 \times \mathrm{Ph} 2(+\mathrm{wPh} 2,-\mathrm{bBh} 2)$
\& 1.Sa3-c4 \#

## C71 (Adrian Storisteanu):

A very elegant problem with a paradoxical initial position in which there are only 4 fairy pieces and a black King (minus wK)!
(Judge: Michael Grushko)
a) I) $1 . \mathrm{Kh} 1-\mathrm{g} 2 \mathrm{Ga} 8-\mathrm{h} 12 . \mathrm{Kg} 2 \times \mathrm{h} 1[+\mathrm{wGg} 2][\mathrm{bKh} 1 \rightarrow \mathrm{a} 1]$ temporary bK switchback (i.e., before hurling himself, via the fairy side effects, onto the very opposite corner) Gg2-b2 3.Gh2×b2[+wGh2] [bGb2 $\rightarrow$ b2 ${ }^{1}$ ] Gh $2 \times \mathrm{b} 2[+\mathrm{bGh} 2][\mathrm{wGb} 2 \rightarrow \mathrm{~b} 8$ ] 4.Gh2-b2 third consecutive Gh2>b2 move - in an orthogonal $G$ manoeuvre (actually started with wGg2-b2) for flinging the wG far away via anti-supercirce Ga2×c2[+bGa2][wGc2 $\rightarrow \mathrm{h} 8$ ]\#

BK (transitory) switchback.
II) 1.Gh2-b2 Ga2×c2[+bGa2][wGc2 $\rightarrow \mathrm{f} 2] 2 . \mathrm{Kh} 1-\mathrm{h} 2$

Gf2 $\times$ a $2[+\mathrm{bGf} 2][\mathrm{wGa} 2 \rightarrow \mathrm{~g} 8]$ 3.Gb2-g2 Ga8-h1 4.Kh2 $\times \mathrm{h} 1[+\mathrm{wGh} 2]$ [bKh1 $\rightarrow h 1^{1}$ ] bK switchback (here, permanent) Gh $2 \times \mathrm{f} 2[+\mathrm{bGh} 2]$ [wGf2 $\rightarrow$ a8] \#

BK switchback, wGa8 rundlauf, and a bGh2 rundlaugh ${ }^{2}$. b) I) $1 . \mathrm{Kh} 1 \times \mathrm{h} 2[+\mathrm{wGh} 1][\mathrm{bKh} 2 \rightarrow \mathrm{~b} 7] \mathrm{Gh} 1 \times \mathrm{a} 8[+\mathrm{bGh} 1]$ [wGa8 $\rightarrow$ a8 ${ }^{1}$ ] 2.Gh1×a8[+wGh1][bGa8 $\rightarrow$ b2] Gh1-a8 third consecutive Gh1>a8 move - a $G$ manoeuvre similar to twin a)'s, but diagonal and employed here to toss a bG 3.Kb7-b8 Ga8-c8 $4 . \mathrm{Kb} 8 \times \mathrm{c} 8[+\mathrm{wGb} 8][\mathrm{bKc} 8 \rightarrow \mathrm{a} 1] \mathrm{Ga} 2 \times \mathrm{c} 2[+\mathrm{bGa} 2][\mathrm{wGc} 2 \rightarrow \mathrm{~h} 8] \#$
II) $1 . \mathrm{Kh} 1 \times \mathrm{h} 2[+\mathrm{wGh} 1][\mathrm{bKh} 2 \rightarrow \mathrm{~b} 2] \mathrm{Ga} 2 \times \mathrm{c} 2[+\mathrm{bGa} 2][\mathrm{wGc} 2 \rightarrow \mathrm{~g} 2]$ 2. Ga8 $\times \mathrm{h} 1[+\mathrm{wGa} 8][\mathrm{bGh} 1 \rightarrow \mathrm{~g} 3] \mathrm{Gg} 2 \times \mathrm{a} 2[+\mathrm{bGg} 2][\mathrm{wGa} 2 \rightarrow \mathrm{~g} 1]$ transitory $w G$ rundlauf (a2-c2-g2-a2), before the fairy side effects 3.Kb2-a2 Ga8-a1 4.Ka2×a1[+wGa2][bKa1 $\rightarrow \mathrm{h} 1] \mathrm{Gg} 1 \times \mathrm{g} 3[+\mathrm{bGg} 1]$ [ $w G g 3 \rightarrow a 8] \#$.

BK rundlauf, wGa2 rundlaugh ${ }^{2}$.
Chameleon echoes (corner \& model - both, in fact, by necessity).
${ }^{1}$ stay-put 'paradoxical' anti-supercirce rebirth - the capturing unit chooses to 'return' precisely onto that square on which it would have remained anyway in a regular, fully orthodox, chess capture (which only shows that a combination of fairy effects may occasionally yield thoroughly-orthodox moves :-))
${ }^{2}$ rundlaugh :-) (phantom rundlauf) - daft, ad hoc term coined for an apparent, but false, round trip: the original piece in the diagram position is actually not the one that ends up on that same square in the mate picture.

## LETTERS FROM READERS

We are always happy to receive feedback from our readers! In this issue we include feedback received from Manfred Rittirsch, Thierry Le Gleuher and Arno Tüngler, along with some brief responses from us.
(2) "The pencil drawing of the horse. .." (A.T. wrt. Bulletin Issue 1, page 2)

Interesting parallel! In this context, it is worth nothing that the Freepik.com drawing on CPB-1 page 2 (sidebar) was not my first choice! Instead, I would have very much preferred including Canada Post's image of the "Year of the Horse: Souvenir Sheet" (see http://tinyurl.com/o8u6873), but I did not receive permission from Canada Post. In fact, Canada Post never bothered answering my request! (Ed.)
(3) "maybe a series-tournament with that fairy beast?" (A.T. wrt. Helix Knight)

Maybe, but unlikely! (Ed.)

Manfred Rittirsch, January $10^{\text {th }}, 2015$.
Manfred Rittirsch has kindly sent the following:
"I just informed Sébastien Luce about the dual in AUW-21 of his article ${ }^{1}$ and the corrected version ( $C+$ ) published 1999. The details are as follows:

AUW-21 = 5024 published in Die Schwalbe 91 (2/1985), p. 416.
Dual: $6 . n B \times d 78 . d 8=n S$ 9.b8=nR.
5024v published in Die Schwalbe 177 (6/1999), p. 154 (with a misprint regarding the stipulation).

## Manfred Rittirsch

5024v Die Schwalbe 1999


$$
\text { ser- }=7 \quad \text { C }+\quad(3+4+4)
$$

AntiCirce
I would be happy if you could provide a hint to both the dual and the version in one of the next issues of your wonderful magazine."

Thierry Le Gleuher, January $29^{\text {th }}, 2015$.
It is good to see that the Canadian composers are now more active and are collaborating more. It is also interesting to note that five out of the six or seven active Canadian composers are interested in retros and/or proof games. Thierry informs:
"I met François Labelle and Alexandre Leroux again the $15^{\text {th }}$ of January 2015. It's the third time we met. Our meetings are very constructive for retro problems and proof games"

Arno Tüngler, March $27^{\text {th }}, 2015$.
Many thanks to our friend and close collaborator Arno Tüngler for providing very detailed and valuable feedback via a long letter:
"As now already four issues of your bulletin have been published and the first year of this undertaking has passed, I would like to write down some of the thoughts that I had when reading the contents. Really I am very impressed with the level of quality and the nice layout of the publication. Obviously the very fitting colorful paintings of Elke Rehder have much contributed making the bulletin so attractive. Now a few personal notes to the four issues:

CPB-1: The pencil drawing of the horse ${ }^{(2)}$ illustrating your witty introduction reminded me of a similar but somehow wilder horse in the awards to the $50^{\text {th }}$ feenschach thematic tourney. See the corresponding scanned journal at http://tinyurl.com/p4ggezp and compare to the picture on page 345! The featured fairy piece would have been worth a note in that context - a helix knight (German: Spiralspringer)! The definition on PDB database says: Similar to the nightrider, but the $1: 2$ jumps are not on a straight line, but on a helix around an orthogonal line. Example: helix knight a1 moves a1-b3-a5-b7 or a1-c2-a3-c4-a5-c6-a7-c8, checks the enemy king on c8, if the relay square are empty, and checks the enemy king on a5 simultaneously on different routes (thus multiple pins are possible). So, here is my idea for future content that you asked from your readers: maybe a series-tournament with that fairy beast ${ }^{(3)}$ ? If so, you even have an example in that article, the $2^{\text {nd }}$ commendation by Christian Poisson.

When I saw the T162 in the originals I first thought that this was a misprint - a series-helpmate in 200 moves with just one fairy condition? I understand that with the maximum condition quite some moves are "automatic", however, I still cannot understand how you can actually compose a problem of such length... It would be interesting to have some comments of Václav on this question.

CPB-2: Adrian Storisteanu's article '' 0 Canada') was a nice read with a permanent smile on my face. It is noteworthy that in contrast to that Canadian beaver briefness, Germans like the exactness even in series-movers and have already almost 40 years ago pioneered a somehow related but revealing opposite concept in series-movers: "exact" (German: "genau") series!

## LETTERS FROM READERS

(4) German "genau" vs. Canadian "beaver"! (A.T. wrt. Bulletin Issue 2, page 27)

Those casual 'Canadian' compositions are not "exact" series and have different requirements. "Exact" effectively eliminates unwanted shorter solutions - here there are no shorter (than n-1) solutions whatsoever and there should be no solutions one move longer (that is, in n moves) either. In contrast, your examples PDB/P1013210 and P1013544 have one-move-longer solutions and also numerous shorter solutions without the "exact" constraint. The type included in Adrian's article was first presented by François and yours truly, at the end of ifaybish.com TT3. Later on this type became the subject of the ChessProblems.ca TT2 and (partialy) ifaybish.com TT7 tourneys! Please also see feenschach 176, April-June 2009 problems 60 and 61 on page 58 and 59 at http://tinyurl.com/qxwr5ws (Ed.)
(6) "wKh6"' and "bare black king" (A.T. wrt T222 Issue 4, page 100)

Indeed, the first unpublished version from 2005 had wKh6! I prefer T222 as is because the solution is not diluted by unnecessarilylong King walks. A 'classic' series-stalemate with wKa7, wPg6 and bPg 7 was also considered, however the old and extremely rare "bare black king" has its own undeniable charm!
Finally, many thanks for the LFR1 dedication and wishes! (Ed.)

ChessProblems.ca Bulletin $\operatorname{Issue} 5$

See the very sophisticated solution of the series-long-mover task PDB/P1013210 of Hans Gruber of 1978 (himself 19 years old at that time and composing part of a set of 19 19-movers to his 19 years old girl-friend. ..) The "Zero" in this sensational problem is another interesting horse jumping up and down on the spot and allowing for great exact length. You can find another 12 exact series-movers of the same author, if you search for "genau" in the stipulation of that database; including the dedicated to another German PDB/P1013544 that has quite a lot of "Canadian springshrinkage" tries with a surprising "exact" solution! Probably those "exact" guys would claim that A2 and A3 on page 27 have zero solutions ${ }^{(4)}$.

CPB-3: No reactions to my "series-castle" article with its challenge, hopefully that is not true with other challenges in the future! So, I had to create the first series-help-castle length record with promoted force myself (see as Hors Concours in the current issue). Much more should really be possible with a better matrix.

The series retractors were really impressive. I remember having solved a few of Wong's Circe retractors in feenschach, quite challenging! With other Circe variants this becomes even harder - at least for me! - so, I would have loved to get a bit more insight on the mechanisms and logic behind the problems reading some comments and not just the dry solutions! I know how hard it is to get the time for that but it is a wish for the future.. . By the way, my only series retractor is another "exact" invention: a Vielväter problem - see PDB/P1204925! Unfortunately I had to limit the number of retracted pawn captures. .

CPB-4: Nice to see so many Circe variants in the well-researched "neutral" article of Sébastien Luce. Look at the splendid motivation for the AUW in Manfred's AUW-21 ${ }^{5}$ - the four neutral units cannot move from their rebirth places due to the ready-to-capture-and-promote wPb7 in the final position, which $P$ does not check the bK just because of these placeholders! Maybe it still deserves to indicate also two other old series-movers with neutral "Allumwandlung" but without any fairy condition: PDB P1237813 and P1228060. Mine is the most economic (miniature), Kjell's short and sharp being "inspired" by the former when he

[^4]
## tried to solve it.

Your T222 was quite inspiring for me as I saw the first time the pretty rebirth possibilities in seriesmovers with the Chameleon Circe condition. I understand that you did not just have length in mind as you could have easily added quite a lot by moving the wK to h6. The "bare black king" goal has its humor but really more basic stipulations could do the thematic job also ${ }^{(6)}$. I would have liked to compose something where the anticirced white unit has to take different routes - once to the right once to the left but found only the beneath so far:

## LFR1

Arno Tüngler
Original
Dedicated to Cornel Pacurar

ser-sx 151 $\mathrm{C}+(1+8)$
Double Edge-Mover Chameleon Circe Diagram AntiCirce 드n = Wazir
1.WEe1-f1! 10.WEh7×h8[+bRh8] [wWEh8 $\rightarrow$ e1] 20.WEh7 $\times$ h8 [wWEh $8 \rightarrow \mathrm{e} 1]$ 31.WEh $8 \times \mathrm{g} 8[+\mathrm{bSg} 8$ ] [wWEg $8 \rightarrow \mathrm{e} 1]$ 42.WEh $8 \times \mathrm{g} 8$ [wWEg8 $\rightarrow$ e1] 54.WEg8×f8 [+bRh8][wWEf8 $\rightarrow$ e1] 64.WEh7 $\times$ h8 [wWEh8 $\rightarrow \mathrm{e} 1]$ 77.WEf8 $\times \mathrm{e} 8[+\mathrm{bSg} 8$ ] [ $w$ WEe $8 \rightarrow \mathrm{e} 1$ ] 88 .WEh $8 \times \mathrm{g} 8$ [wWEg $8 \rightarrow \mathrm{e} 1]$ 102.WEe8 $\times \mathrm{d} 8$ [wWEd8 $\rightarrow$ e1] 117.WEd8 $\times$ c8 [wWEc8 $\rightarrow$ e1] 118.WEe1-d1! 128.WEa7×a8[+bQd8][wWEa8 $\rightarrow$ e1] 129.WEe1-f1! 142.WEe8 $\times$ d8 [wWEd8 $\rightarrow$ e1] 143.WEe1-d1 144.WEd1-c1 145.WEc1-b1 146.WEb1-a1 147.WEa1-a2 148.WEa2-a3 149.WEa3-a4 150.WEa4-a5 151.WEa5-a6 Sb8×a6[+wWEa8][bSa6 $\rightarrow$ b8] $\times$

Here White goes first 10 times to the right, eating his way through to $\mathbf{c} 8$, then goes once to the left (move 118!), again to the right, and then the final route to the left to get captured. Probably I barely avoid writing "after Cornel Pacurar" by dedicating this to you as a big THANK YOU for all the work with this much appreciated and awaited electronic journal. Wish you enough power for the coming years to continue this enterprise!

## LAST PAGE

Matou : La Revue de la Ligue d'Échecs de l'Outaouais Inc.
(1980-1995) No. 1 (May 1980)-no. 30 (Sept 1995). Irregular. Editor G. Jobin. Buckingham, Québec. Canada. Illus., 28 cm Magazine. General. French. Note Replaces Légéchecs (Le). Not published after no. 20 (1983) till 1990. No longer published. Sources Cohen; LAC. Availability Library and Archives Canada, Ottawa - complete, call number 794.1/05 19.
(Source: Chess Periodicals: An Annotated International Bibliography, 1836-2008 By Gino Di Felice)
$\qquad$

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Matou: La Revue de la Ligue d'Échecs de l’Outaouais Inc.


Left: Matou, \#13, Décembre 1981 - Cover
Right: Les Problèmes à Godbout (same issue) - Page 17.
[http://www.matoutaouais.org]
-


[^0]:    Chain of Pawns
    [Oil on canvas, ©Elke Rehder, http://www.elke-rehder.de. Reproduced with permission.]

[^1]:    ${ }^{1}$ Hyperbole! - Ed

[^2]:    ser-sZg4 116
    $\mathrm{C}+(1+1)$ ser- $=44$

    ## Irregular Grid, PWC

    \% = Erlking
    Irregular Grid

    2 Solutions

[^3]:    
    

[^4]:    ${ }^{5}$ See previous page!

